

# **Exposing Photo Manipulation with Geometric Inconsistencies**

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**Collaborators**

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**Eric Kee**

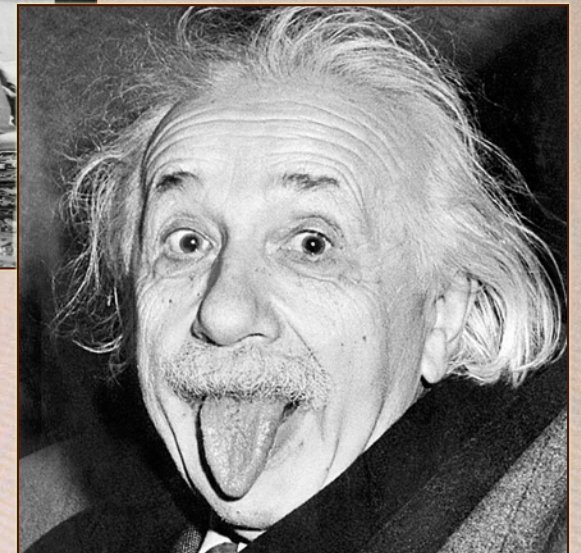
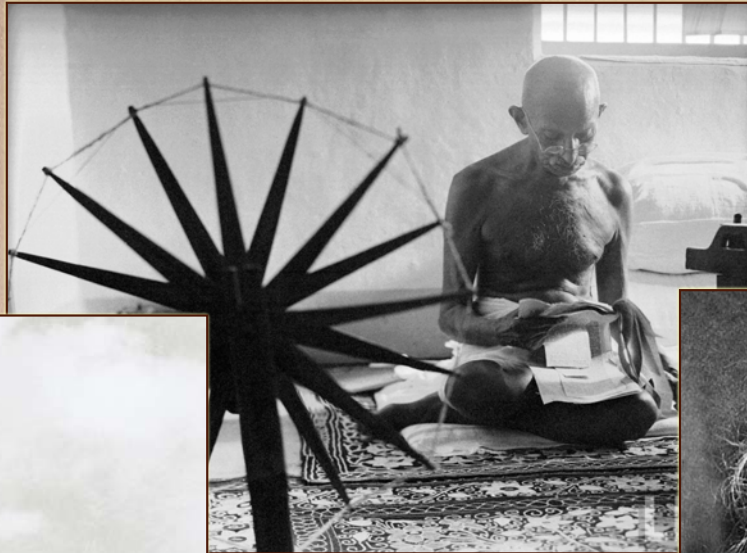
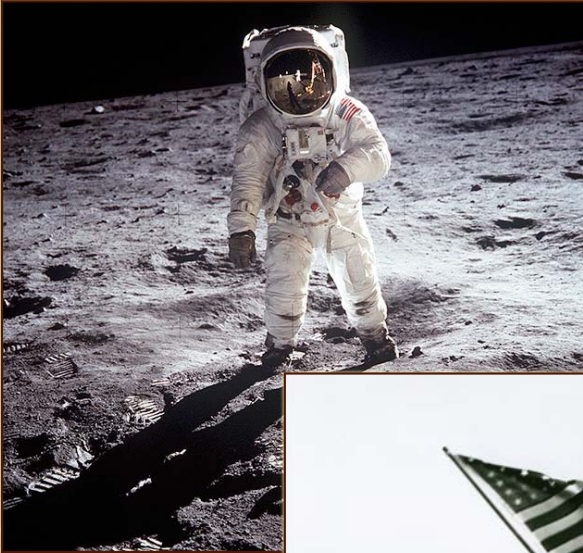
**Valentina Conotter**

**Stephen Bailey**

# Communication by Images



# Communication by Images





# Image Manipulation



Iranian missile test, 2008



# Image Manipulation



Iranian missile test, 2008





# Image Manipulation



Iranian stealth fighter, 2013



# Image Manipulation



Iranian stealth fighter, 2013





# Image Manipulation



Economist manipulates image of Obama, 2010



# Image Manipulation



Economist manipulates image of Obama, 2010



# Image Manipulation



Fabricated image of John Kerry and Jane Fonda, 2004



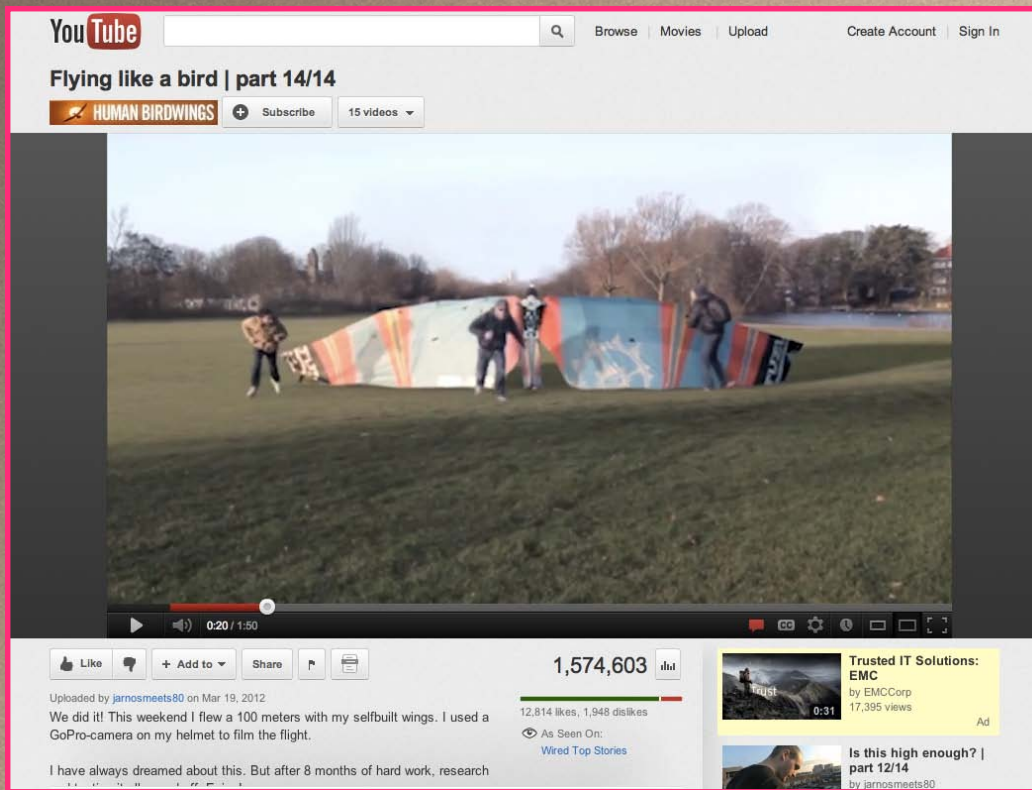
# Image Manipulation



Fabricated image of John Kerry and Jane Fonda, 2004



# Video Manipulation



## Flying Birdman Hoax, 2012



# Video Manipulation



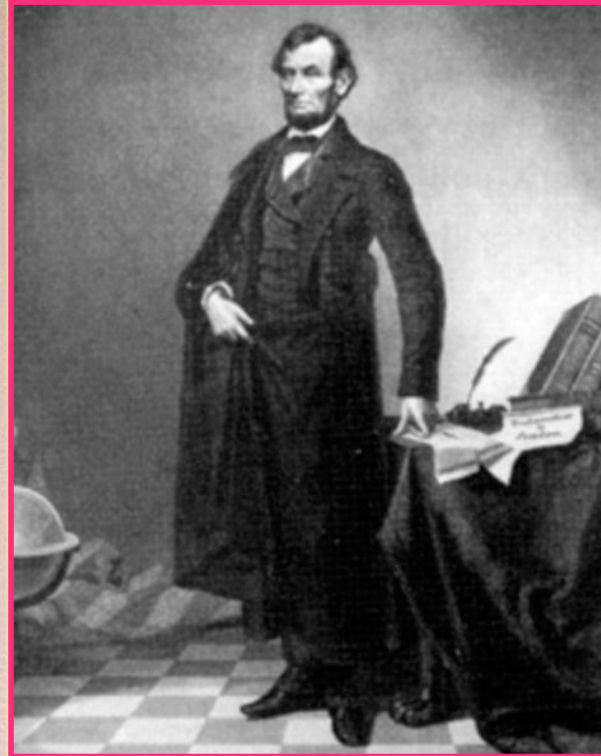
Flying Birdman Hoax, 2012



# Historical Image Manipulation

- Image manipulation as old as photography
- Primitive techniques work surprisingly well

Library of Congress archive  
photo of Abraham Lincoln  
1826

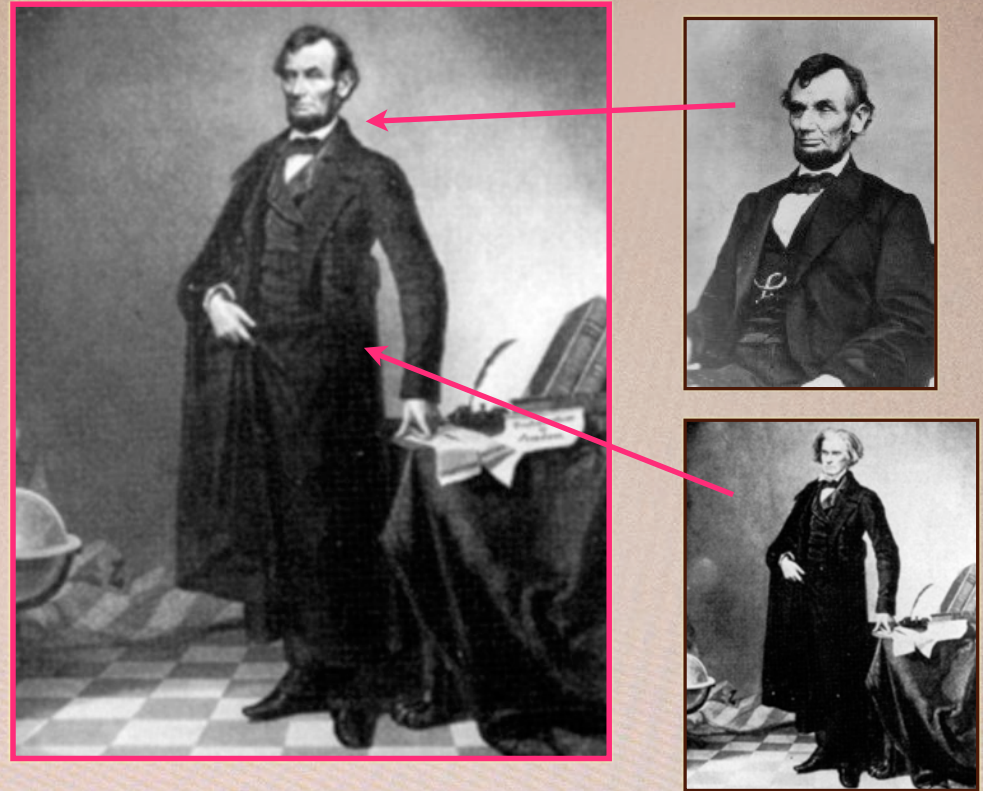




# Historical Image Manipulation

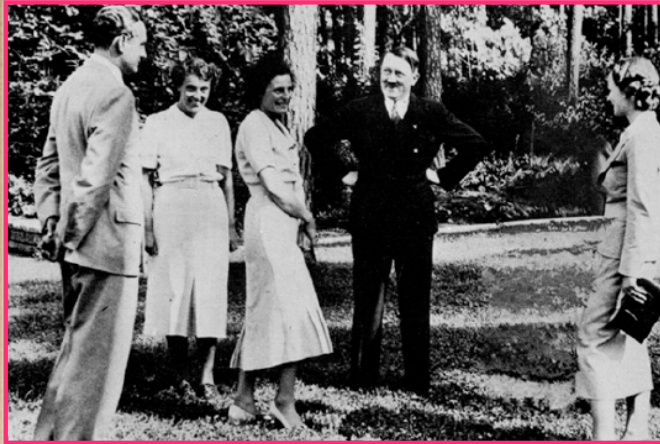
- Image manipulation as old as photography
- Primitive techniques work surprisingly well

Library of Congress archive  
photo of Abraham Lincoln  
1826



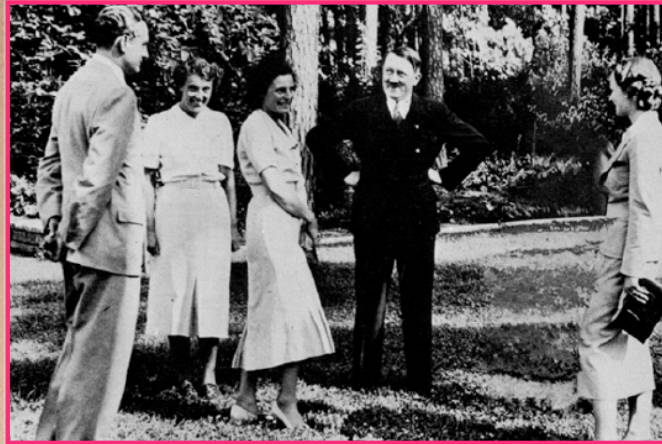


# Historical Image Manipulation





# Historical Image Manipulation





# Image Forensics

- Detect forgeries
  - Detect signs of manipulation
    - **Prove image was modified in some way**
  - Cannot *prove* an image *unmodified*
- Suite of detection tools
  - Individual methods can be countered by informed attacker
  - Individual tools may not apply in all cases
  - Each additional method makes forgery harder

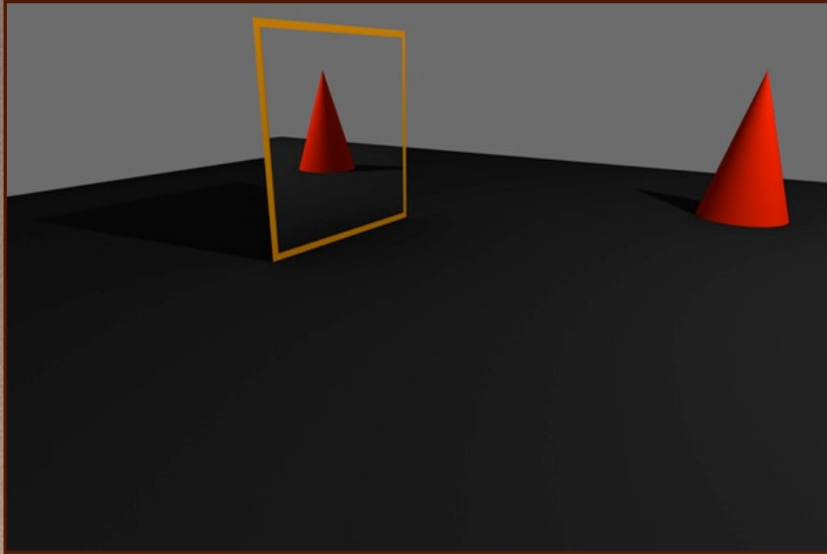


# Advantage: Forgers

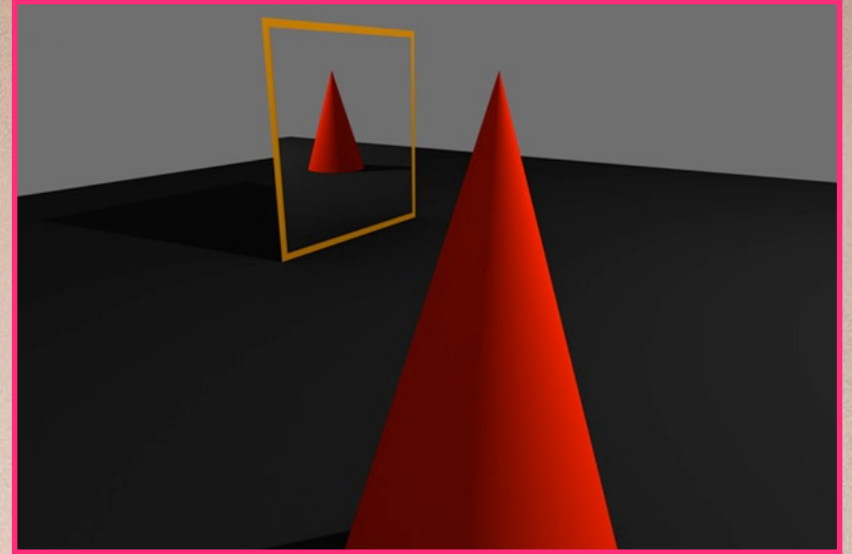
- People:
  - Good at understanding scene content
  - Poor at noticing many types of inconsistencies
- Simple manipulation methods work well
- New manipulation methods being developed



# Example Inconsistency



Selected as correct: 62.1 %



Selected as correct: 50.1 %

$N = 20$ ;  $RT = 7.6s$

Farid and Bravo 2010



# Things we don't see





# Things we don't see





# Advantage: Forgers

- People:
  - Good at understanding scene content
  - Poor at noticing many types of inconsistencies
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# Image Forensics

## • Format Methods

- EXIF meta data
- Quantization tables
- Coding decisions
- Signatures or watermarks

## • Pixel Methods

- Linear dependance
- Bayer pattern artifacts
- Chromatic aberration
- Compression artifacts



## • Not tied to scene content

- Easy to apply
- Easy to fool (informed attacker)
- Not robust to common operations



# Image Forensics

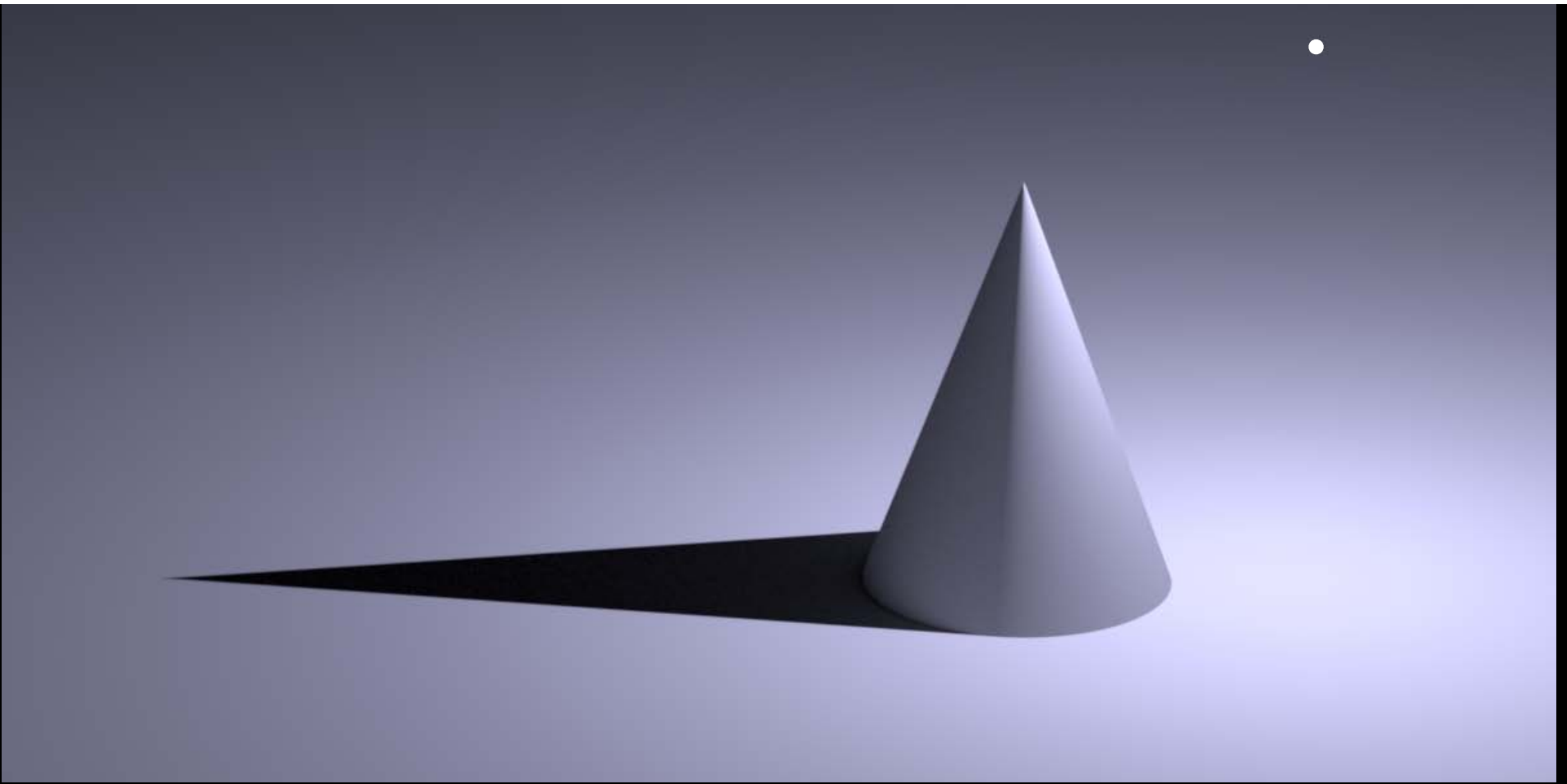
- **Geometric methods**
  - Content inconsistencies
  - Require human annotation
    - Computer analysis
- **Examples:**
  - Shadows
  - Lighting
  - Reflections



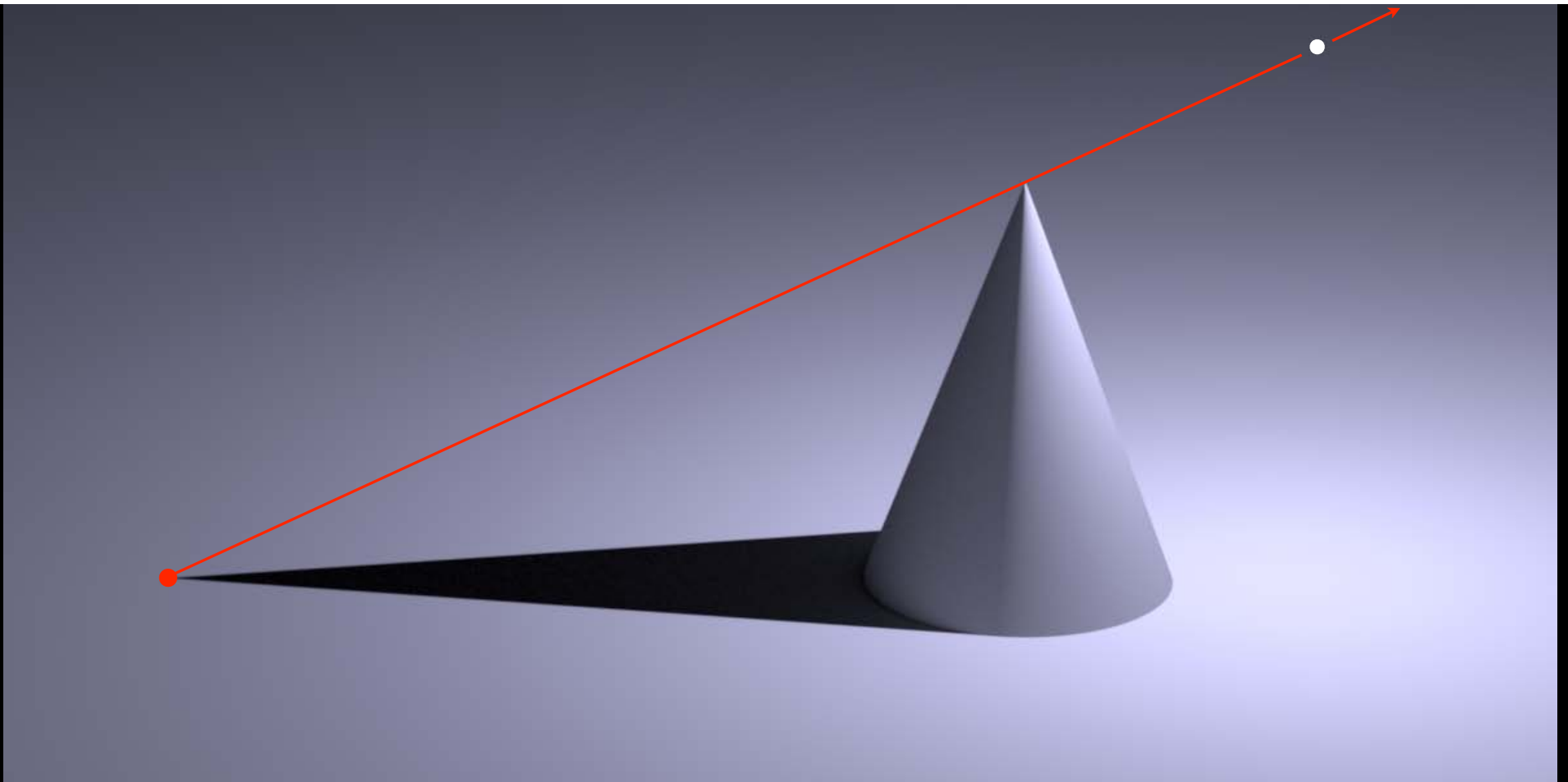
# Geometric Image Forensics

- **Not same as Computer Vision**
  - Possibly user involved in loop
  - Only looking for inconsistencies only
    - Don't need to fully extract scene content

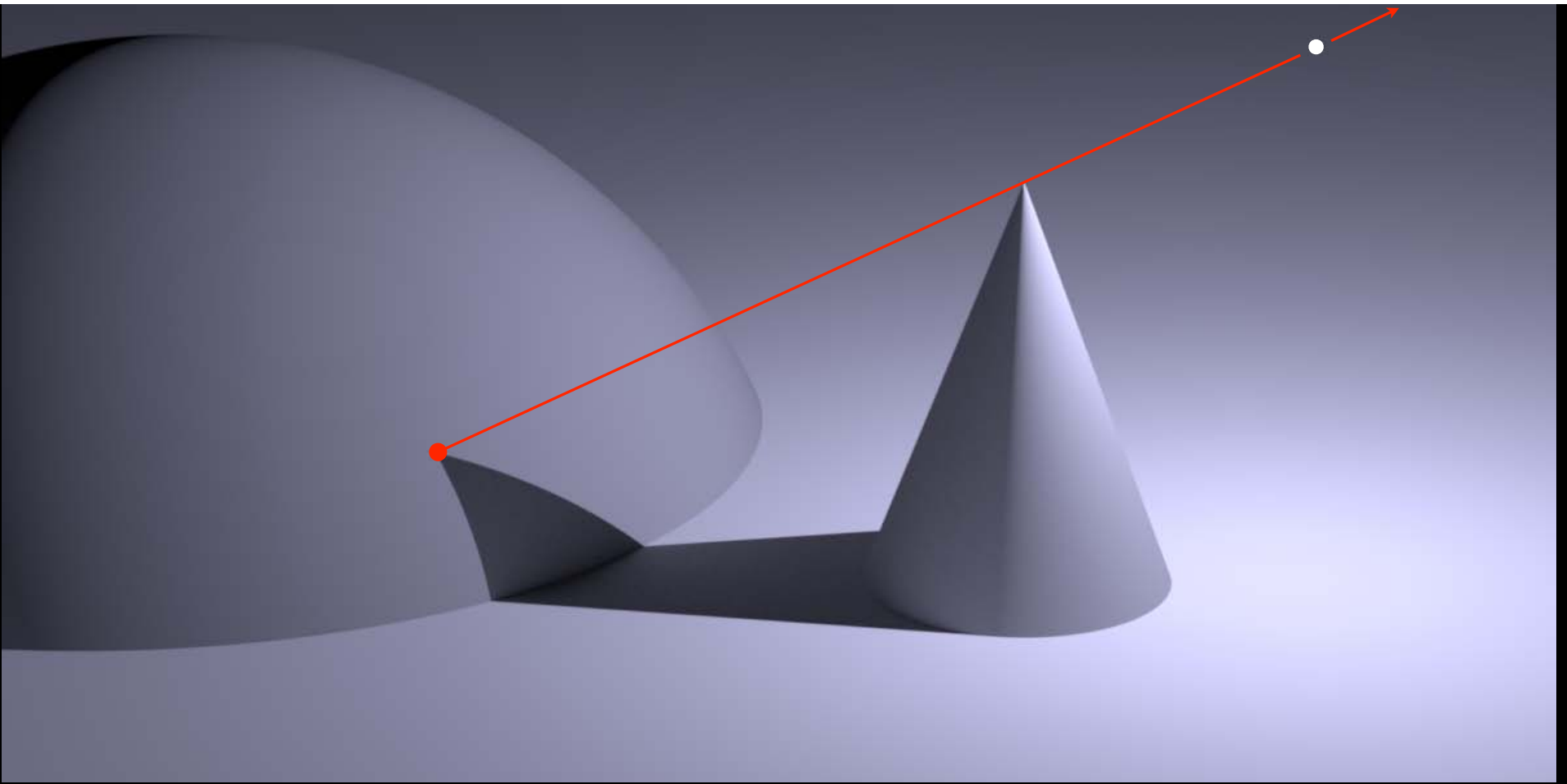




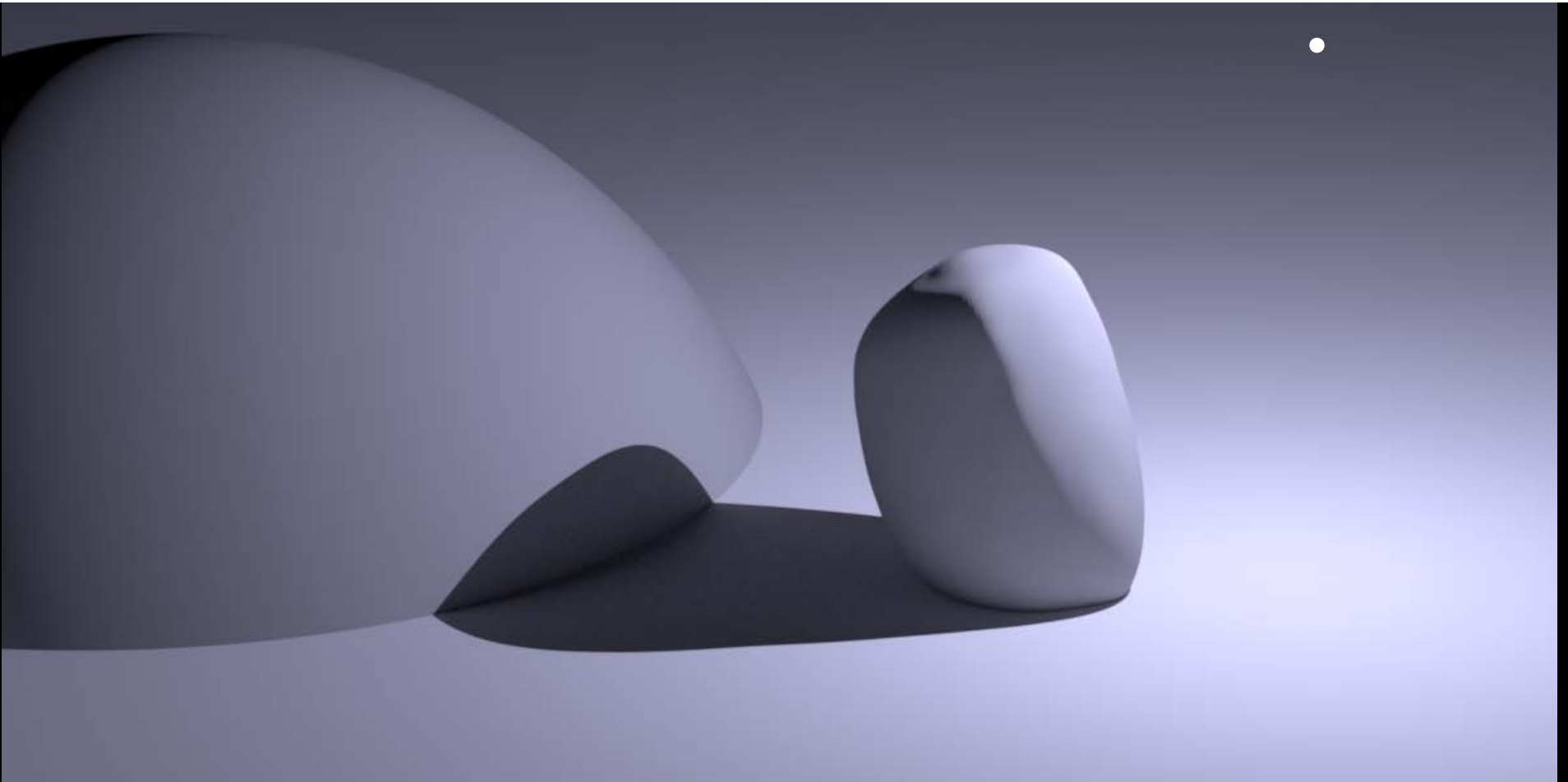




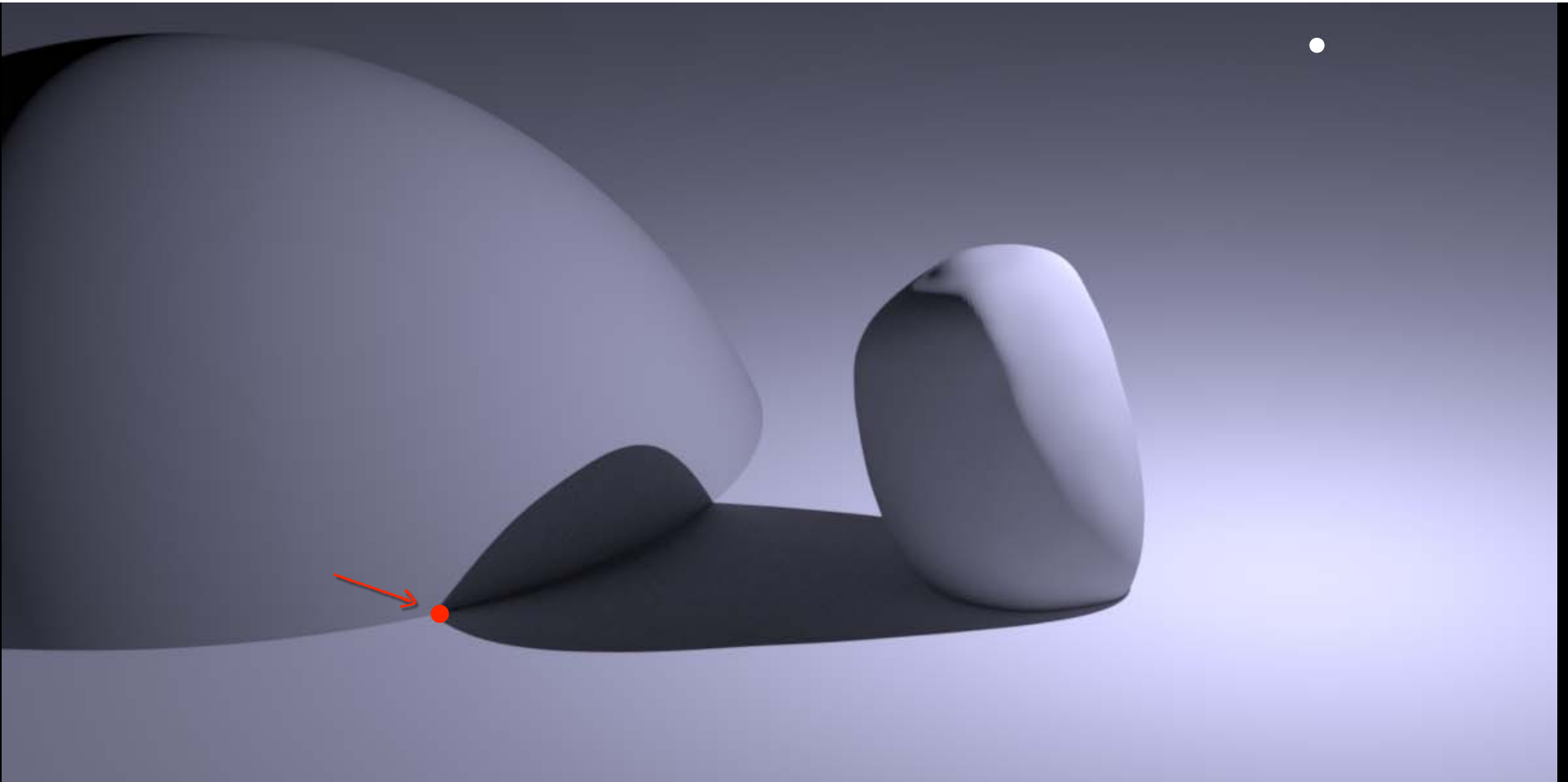




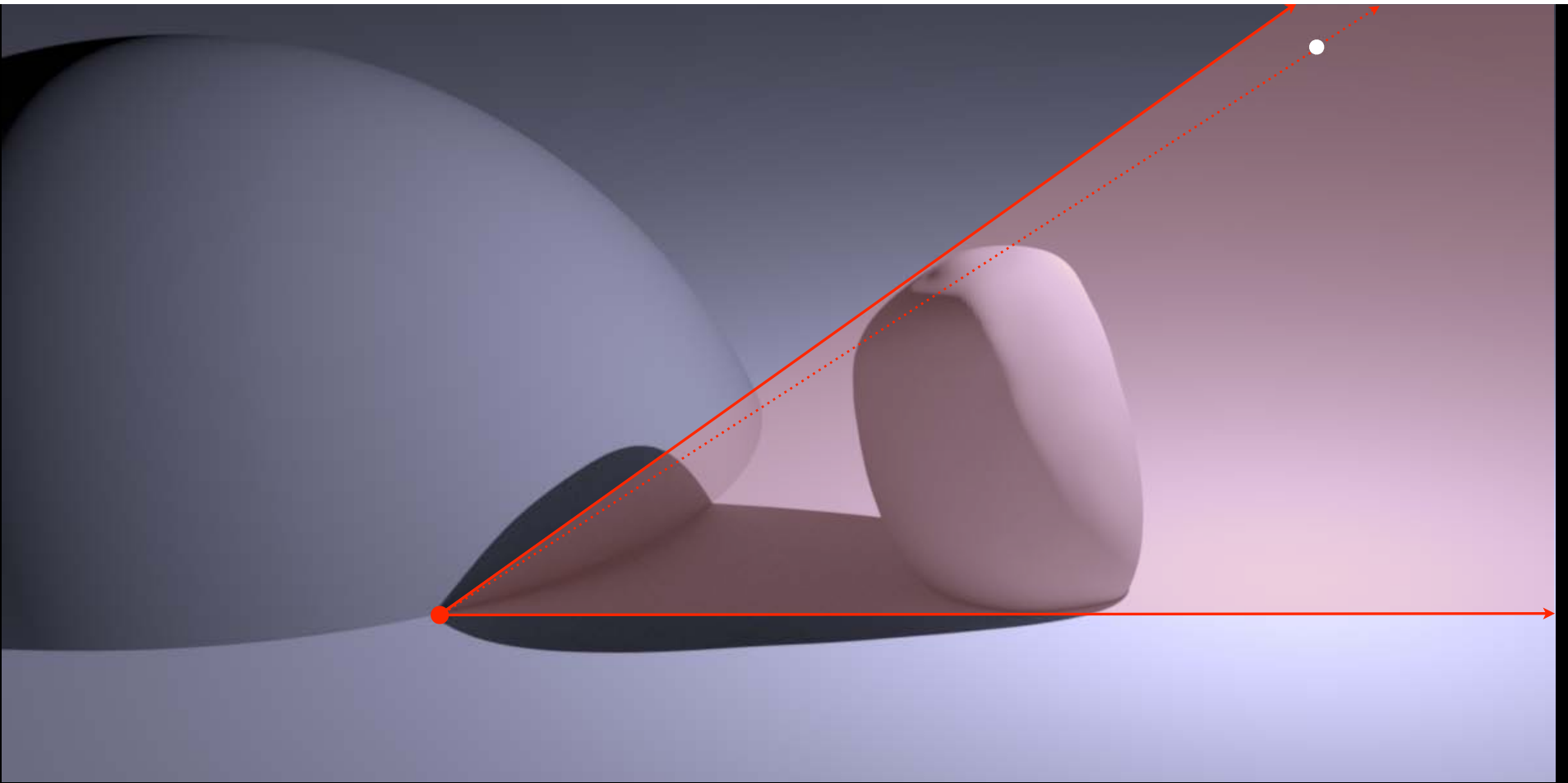




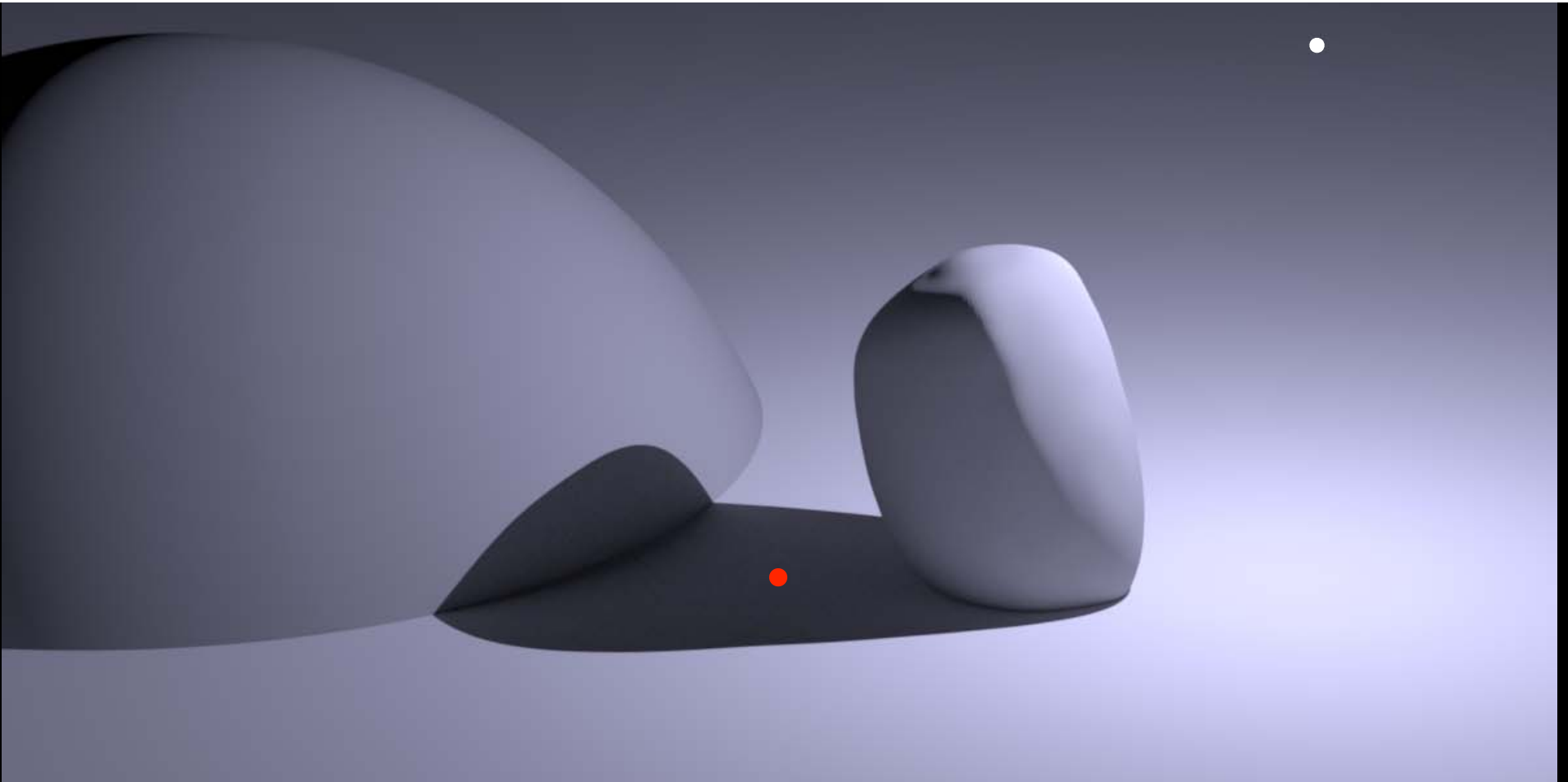




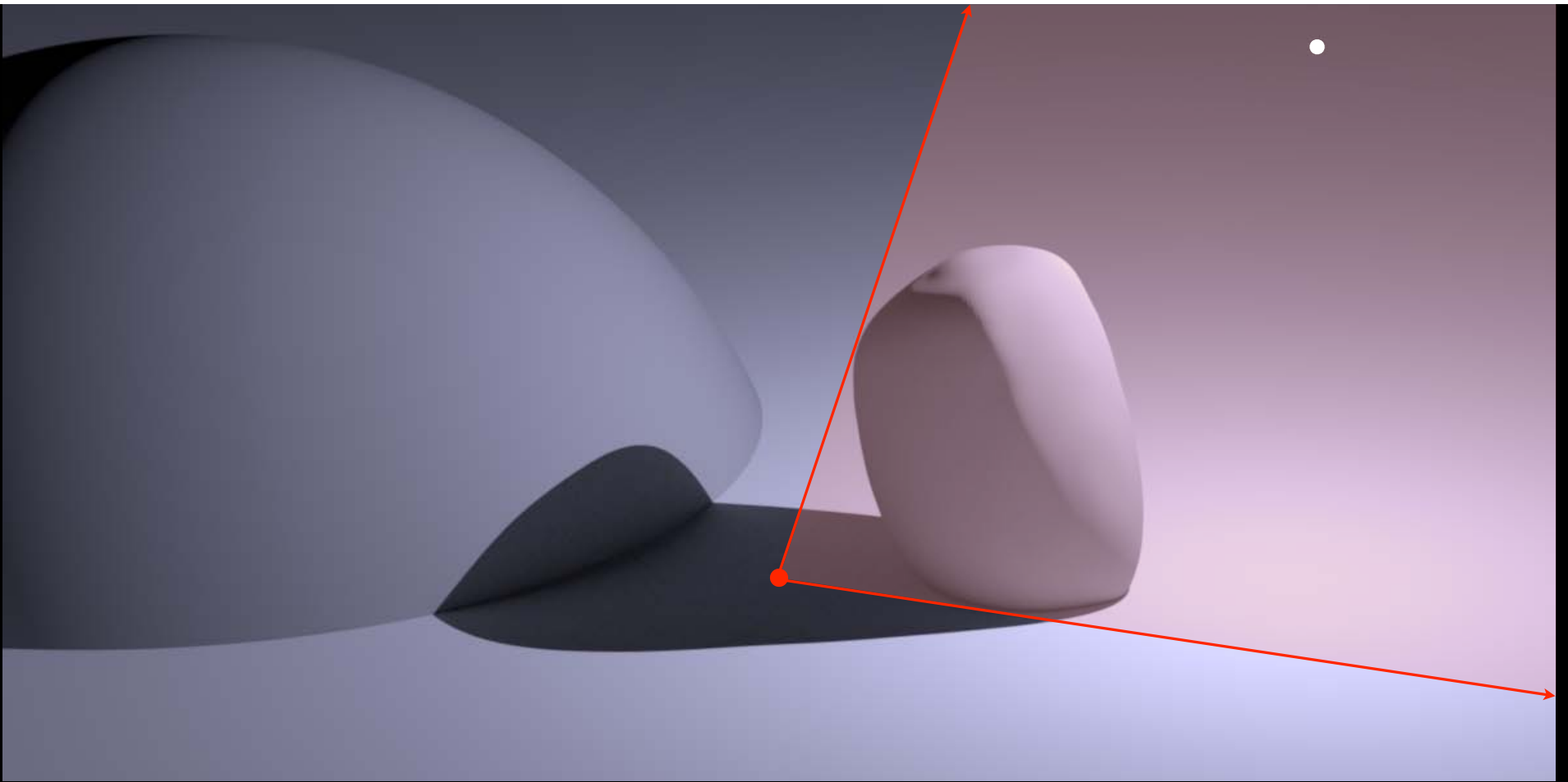


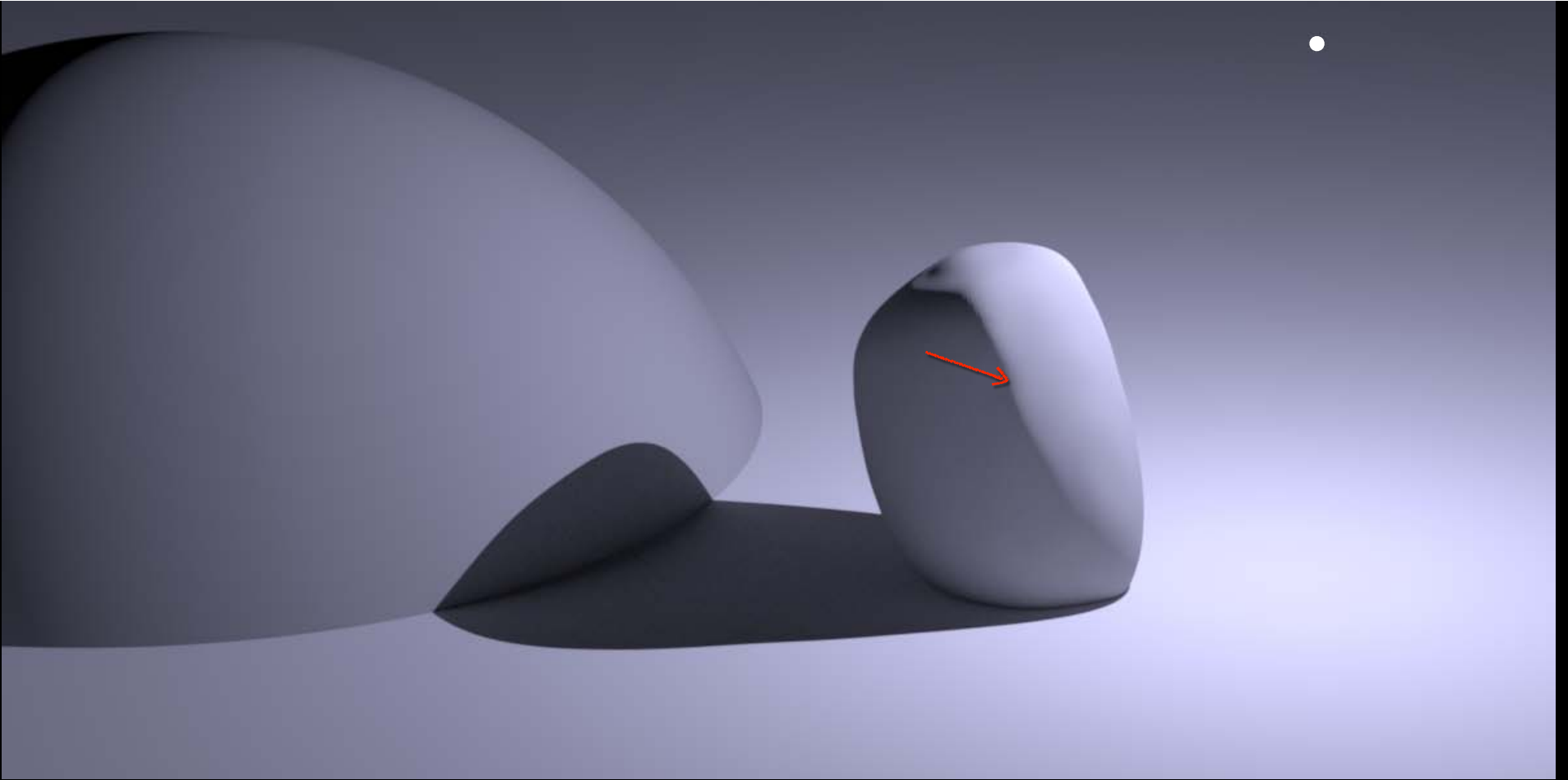




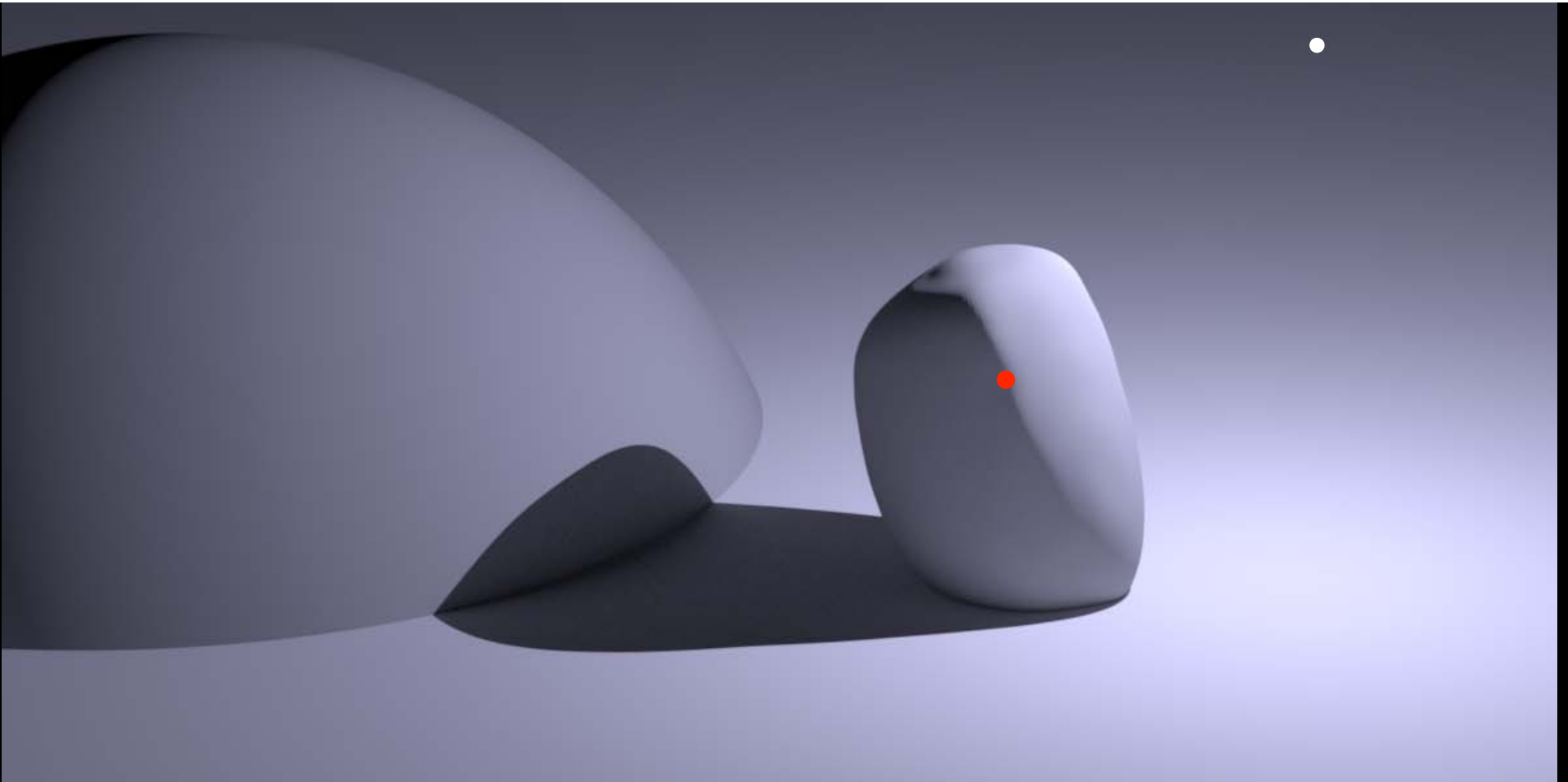


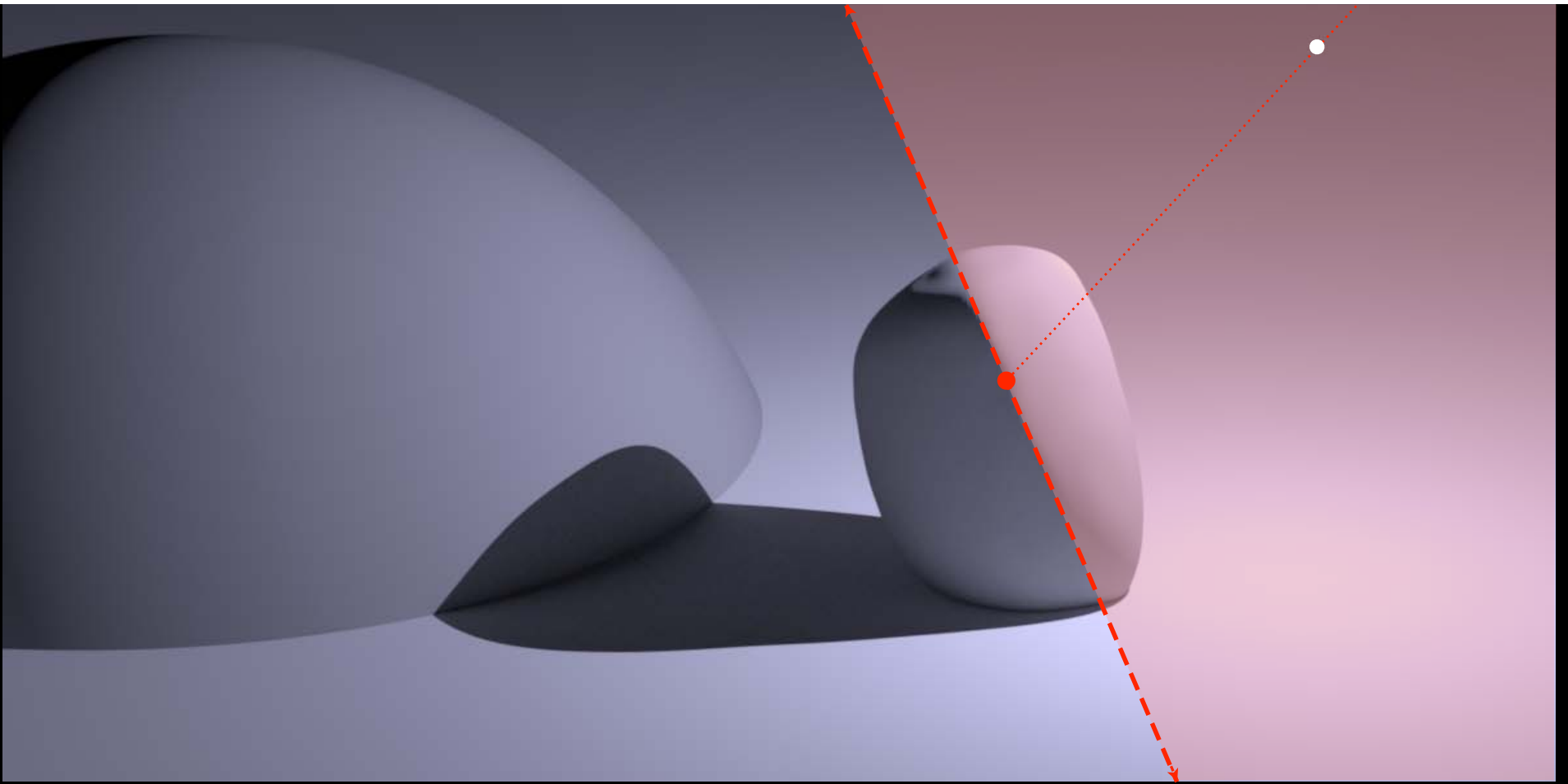




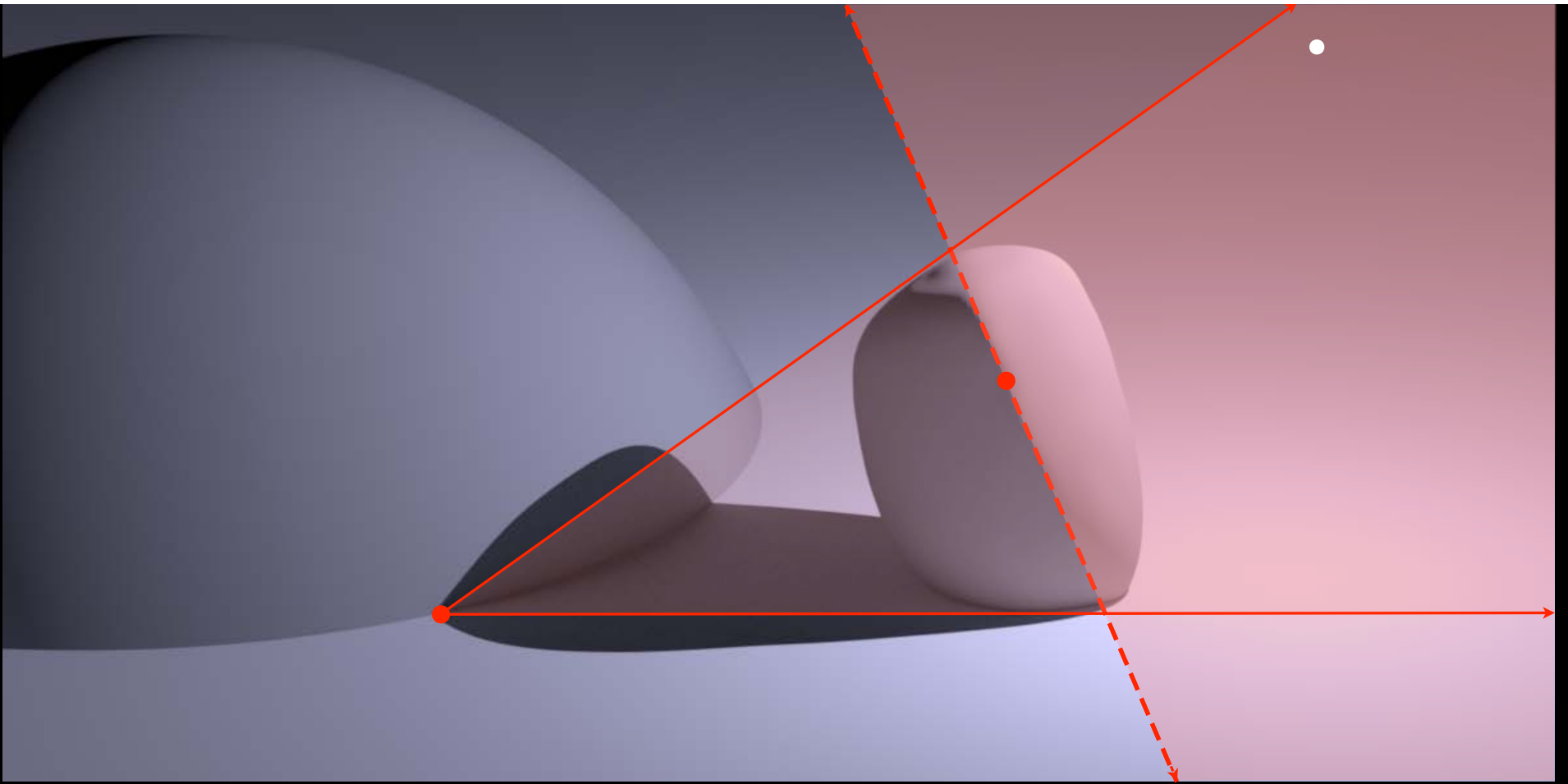


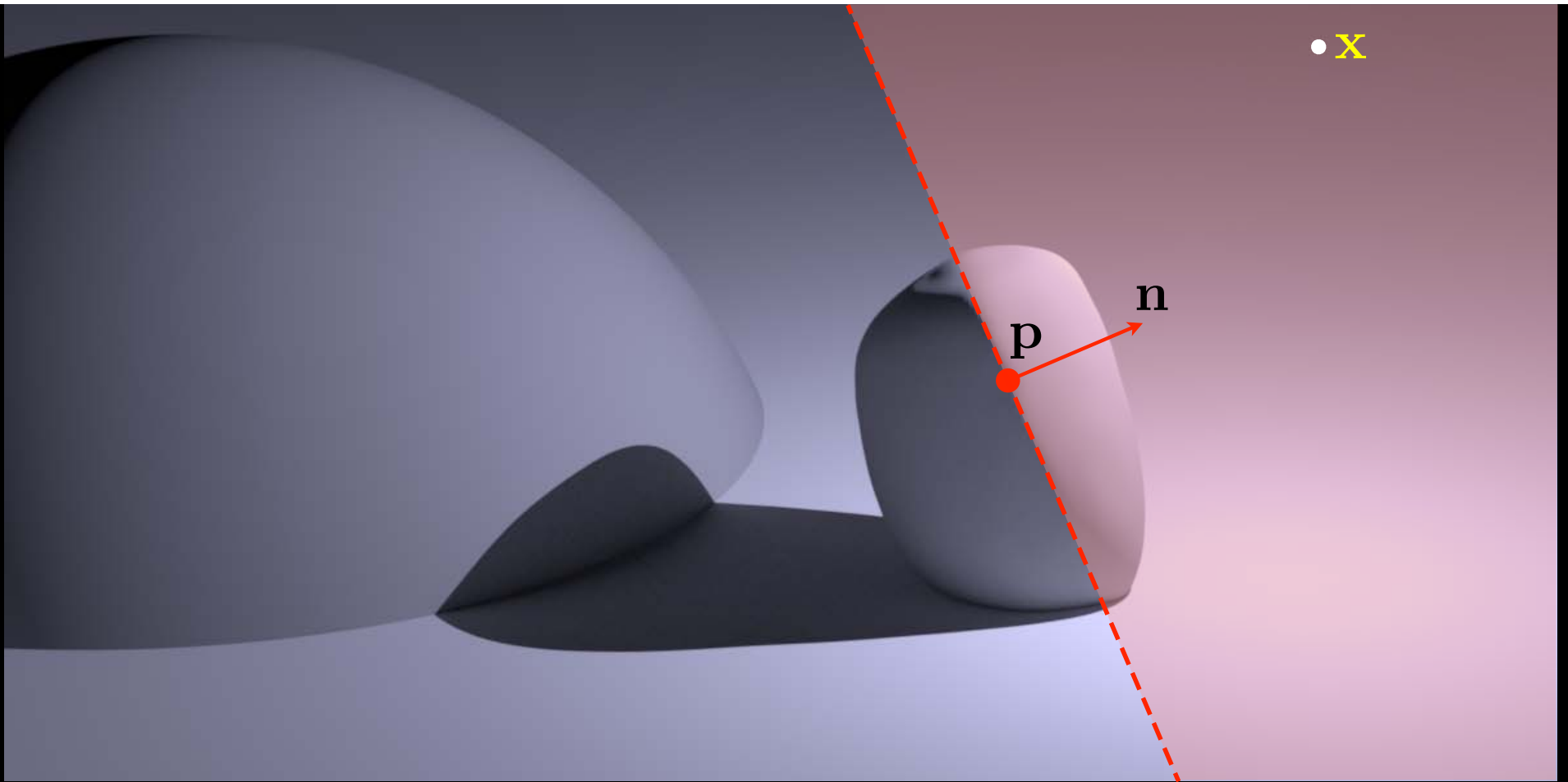




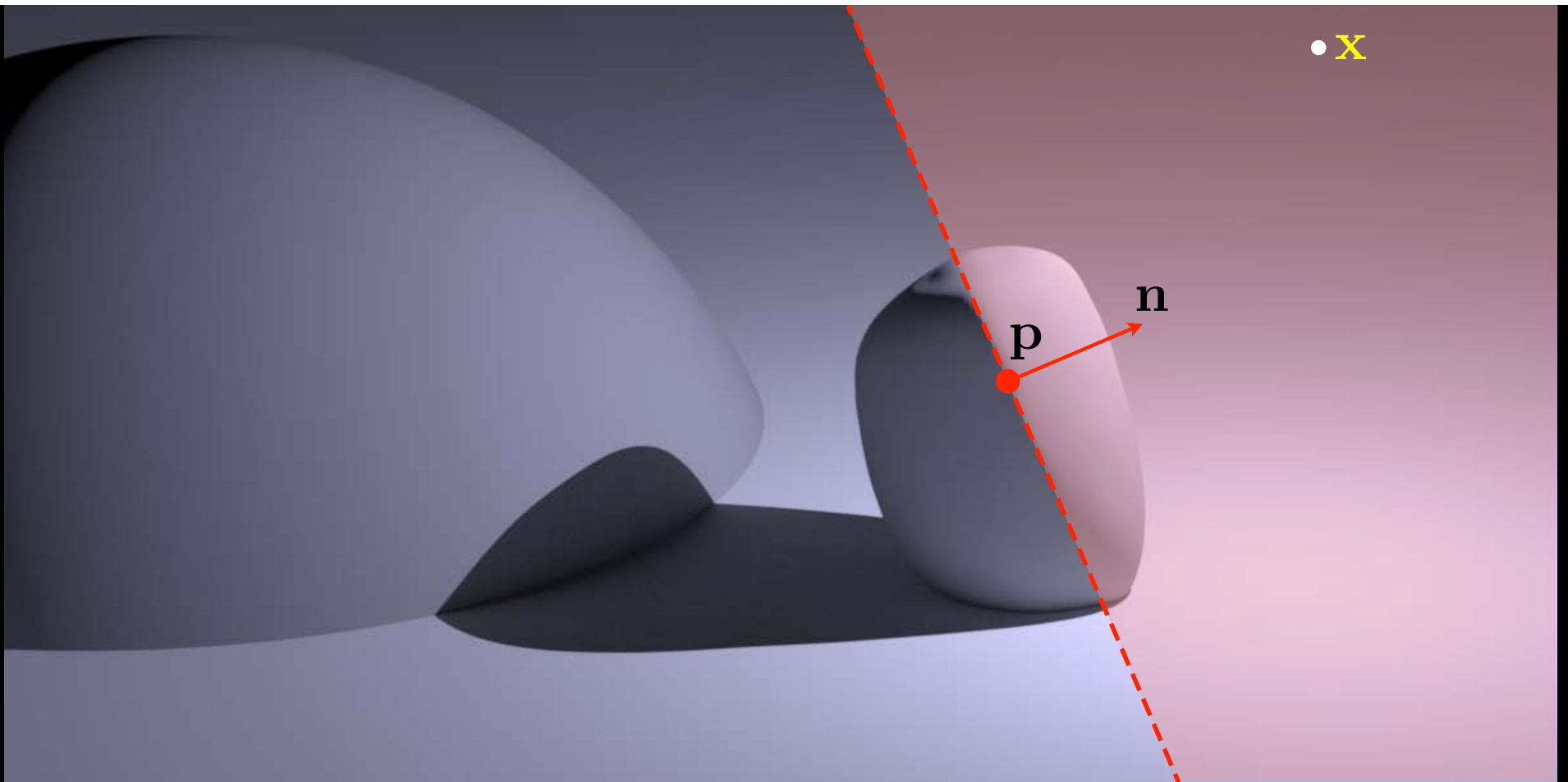




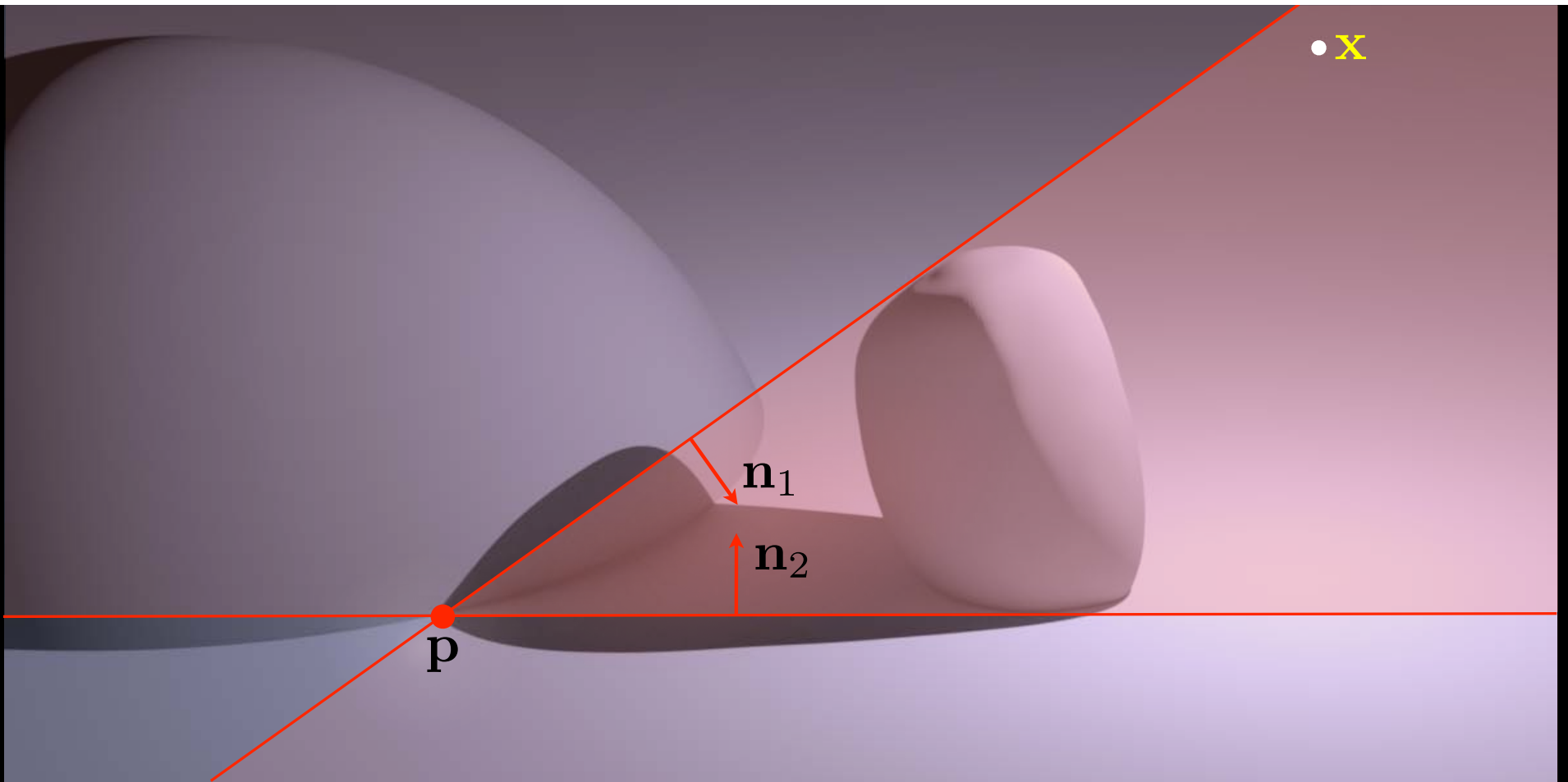




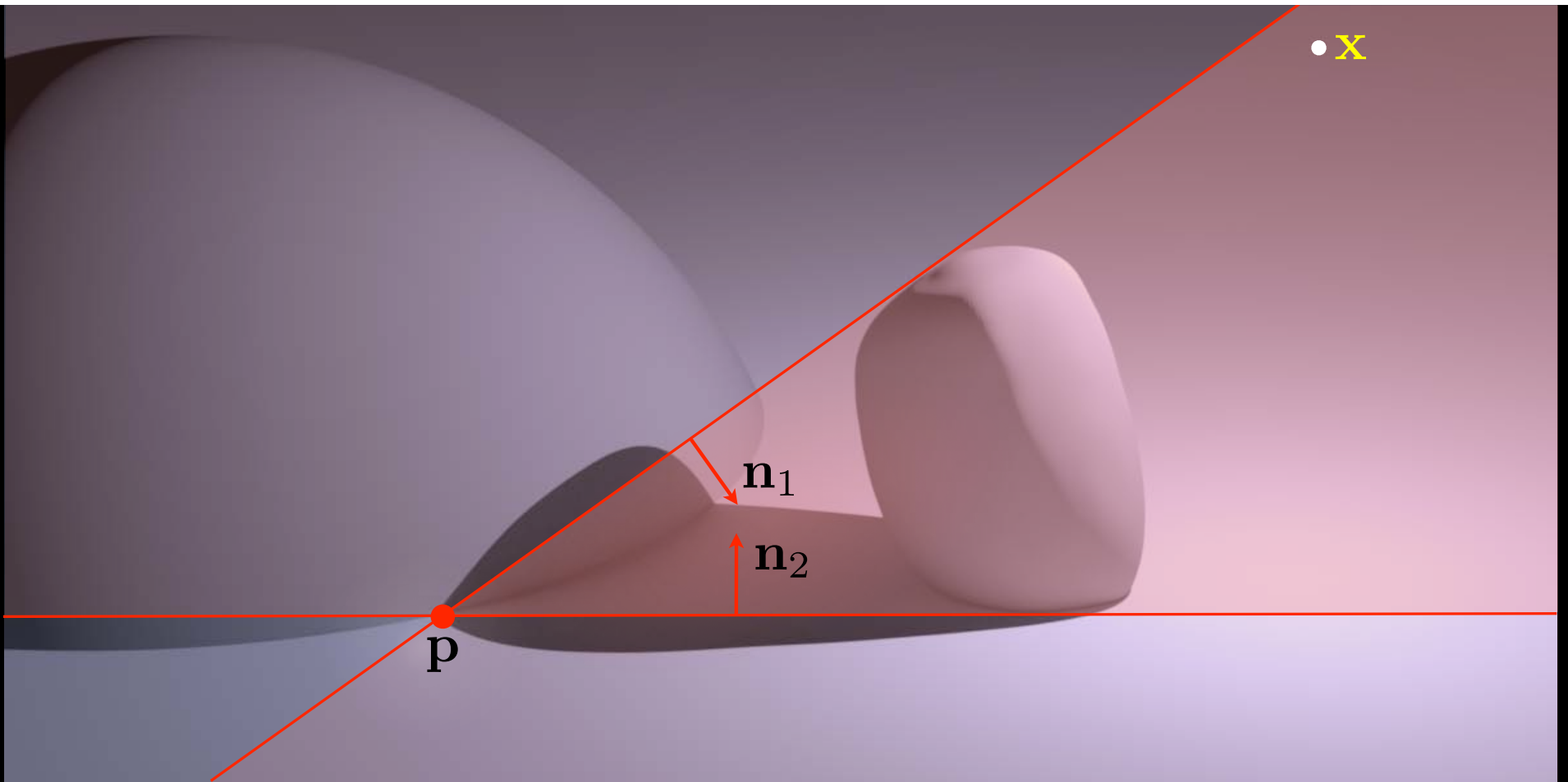




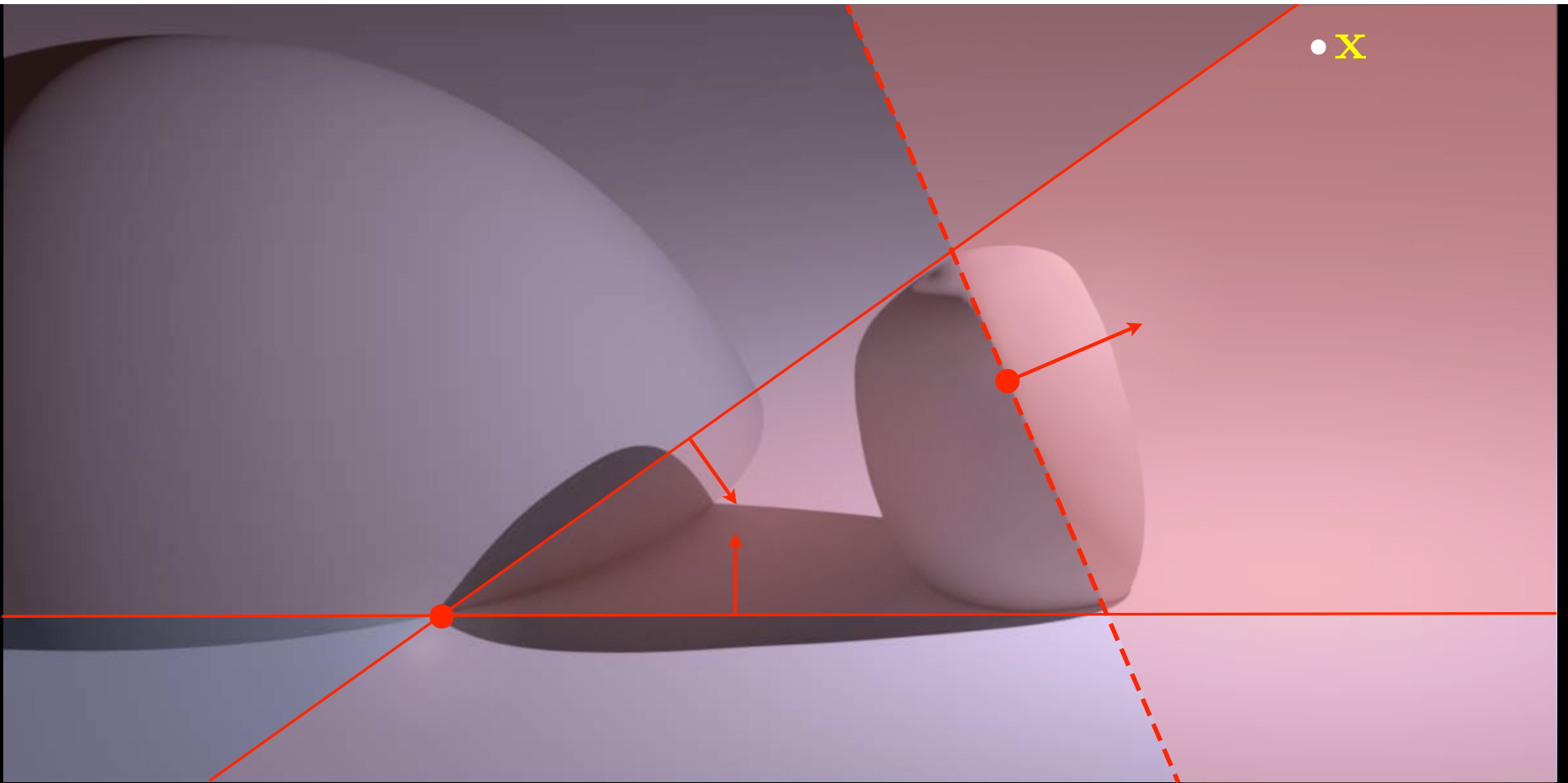
$$\mathbf{n} \cdot \mathbf{x} - \mathbf{n} \cdot \mathbf{p} \geq 0$$





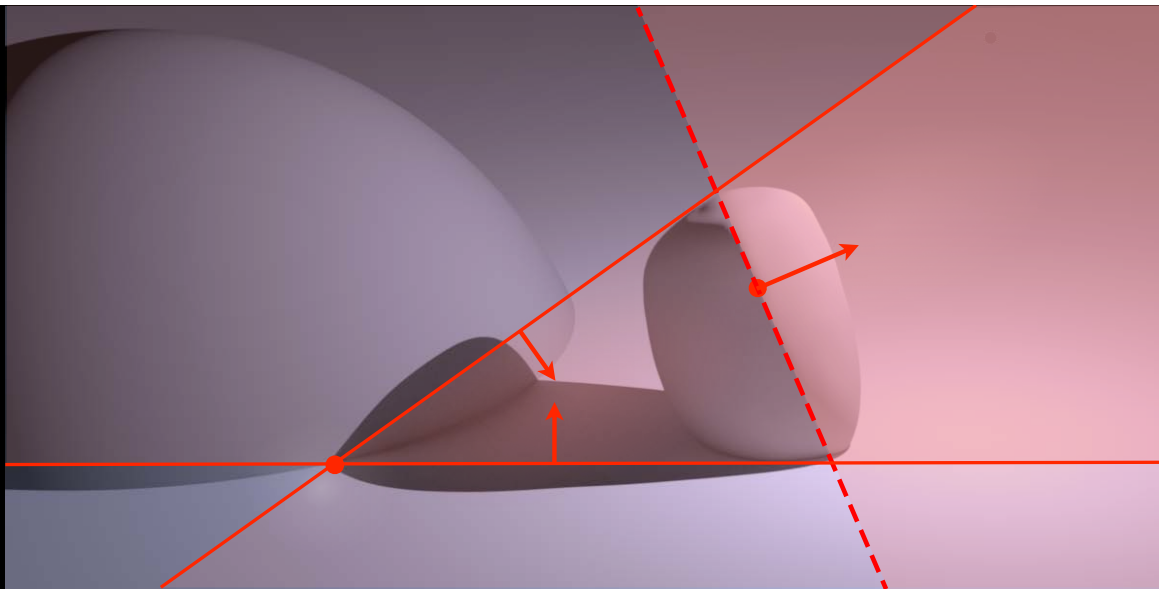


$$\begin{bmatrix} n_1 \\ n_2 \end{bmatrix} x - \begin{bmatrix} n_1 \cdot p \\ n_2 \cdot p \end{bmatrix} \preceq 0$$



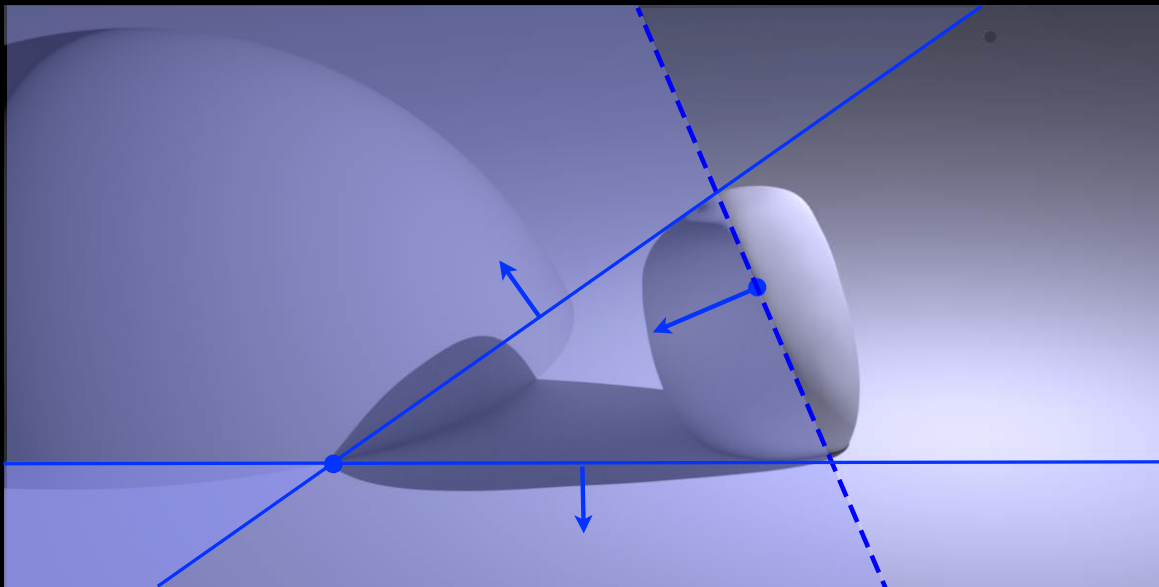
$$\mathbf{N}_x - \mathbf{P} \succeq 0$$





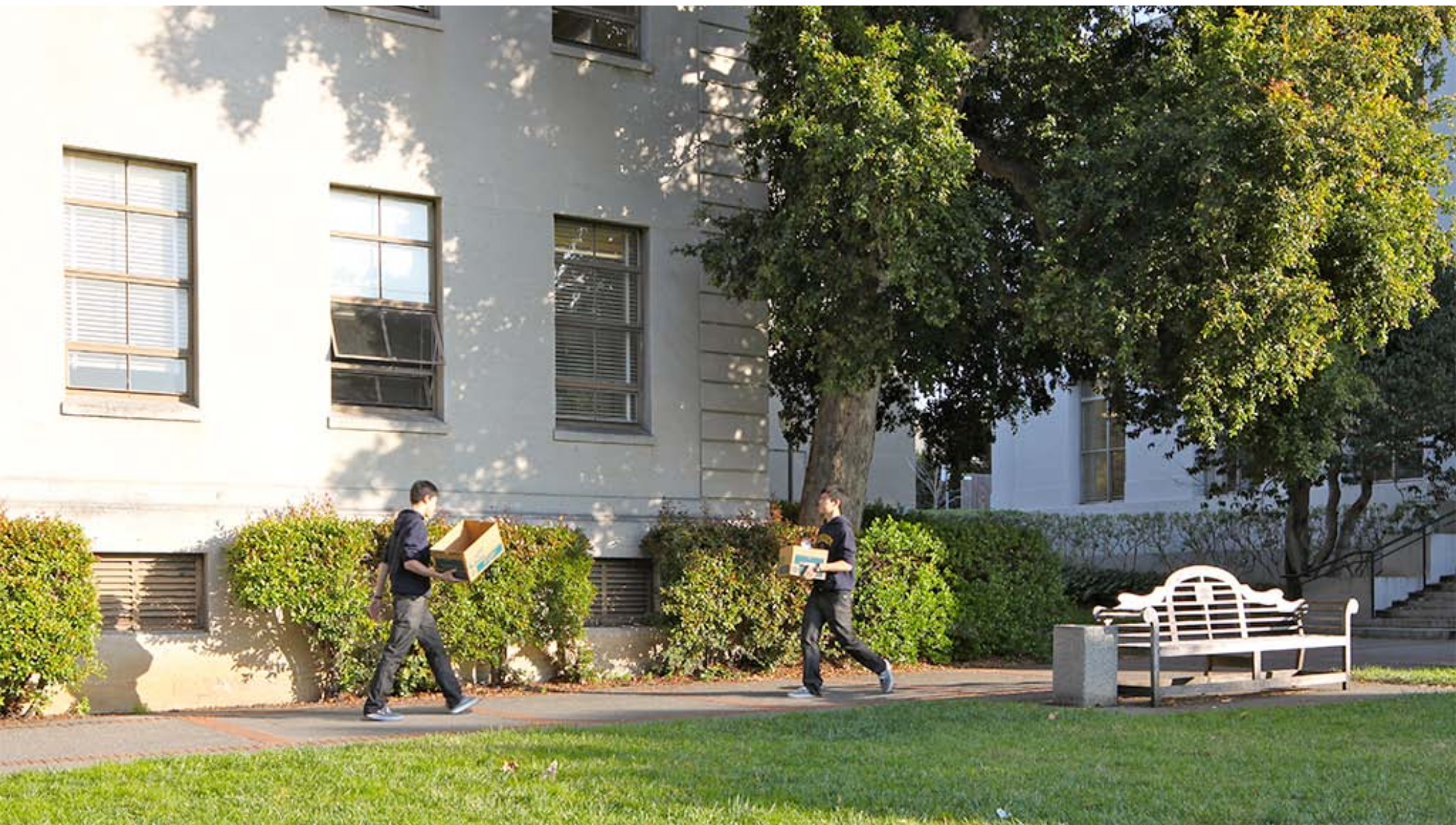
Light *in front* of camera

$$\mathbf{N} \mathbf{x} - \mathbf{P} \succeq 0$$

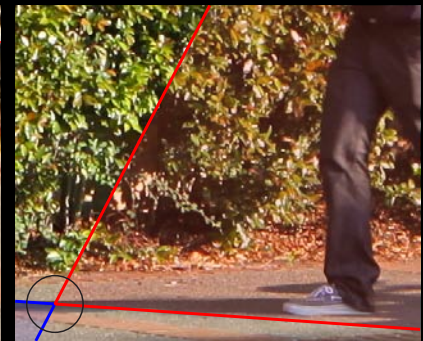
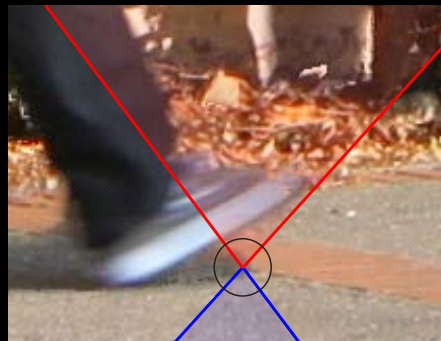


Light *behind* camera

$$-\mathbf{N} \mathbf{x} - \mathbf{P} \succeq 0$$



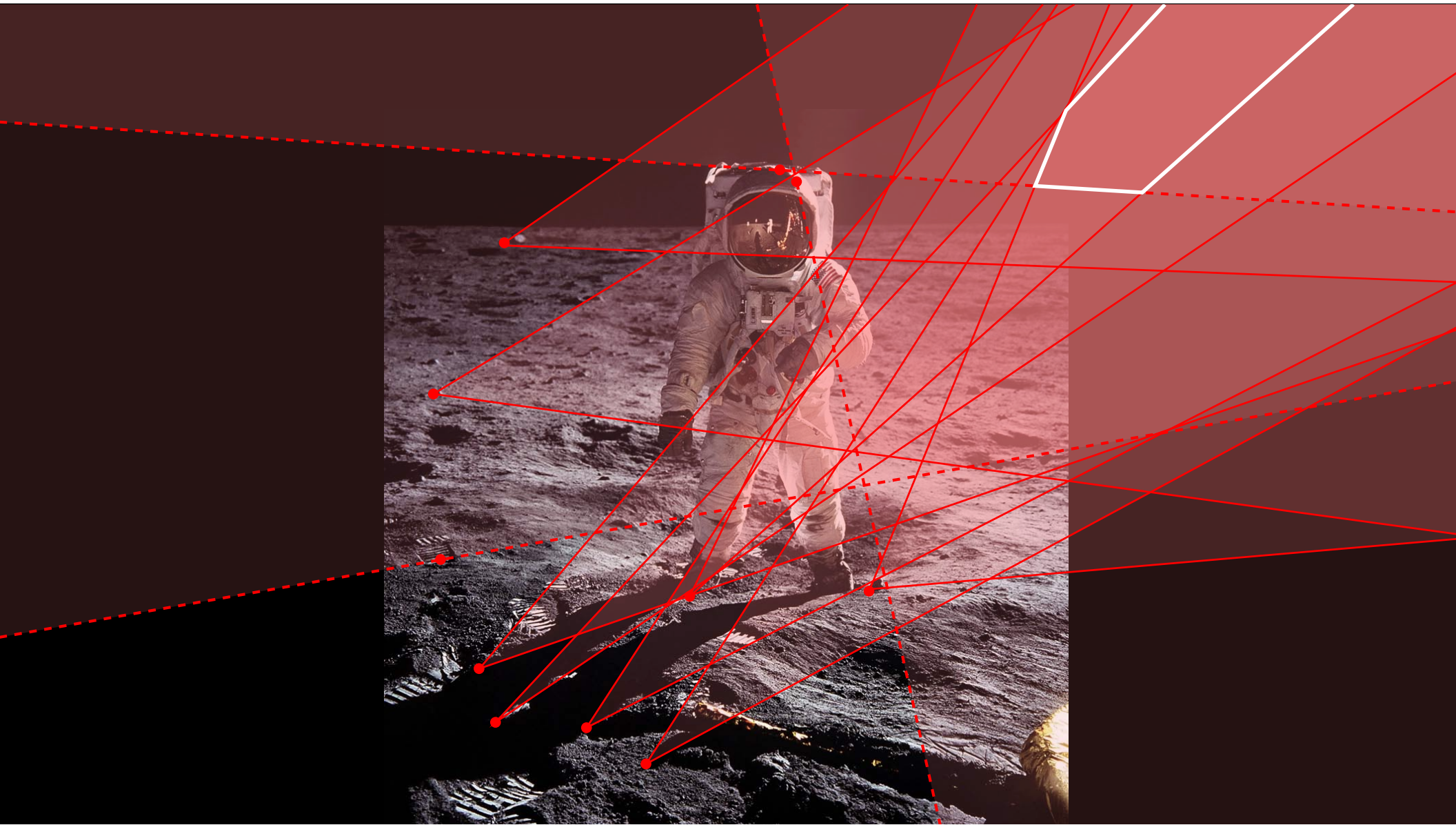






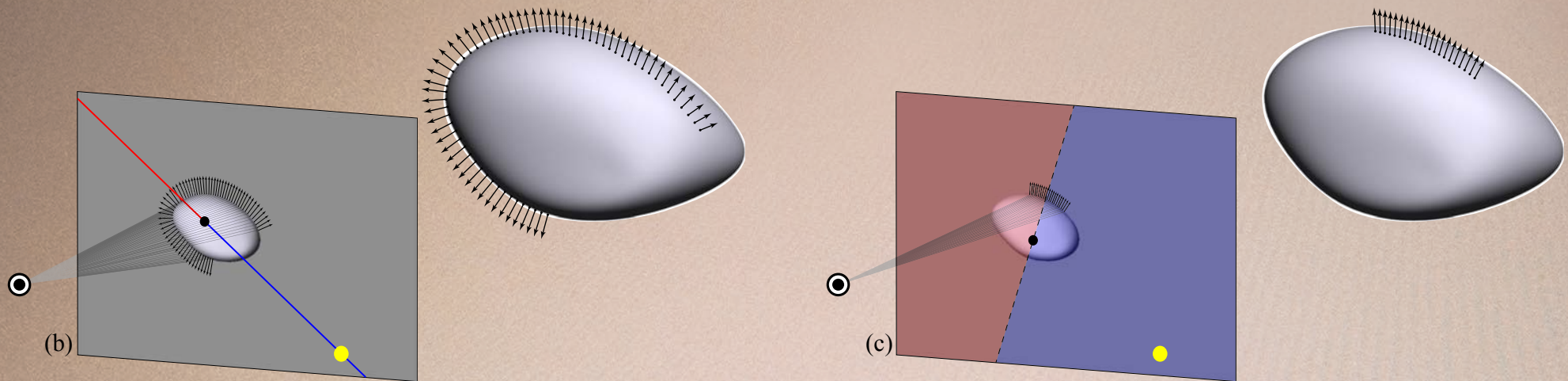






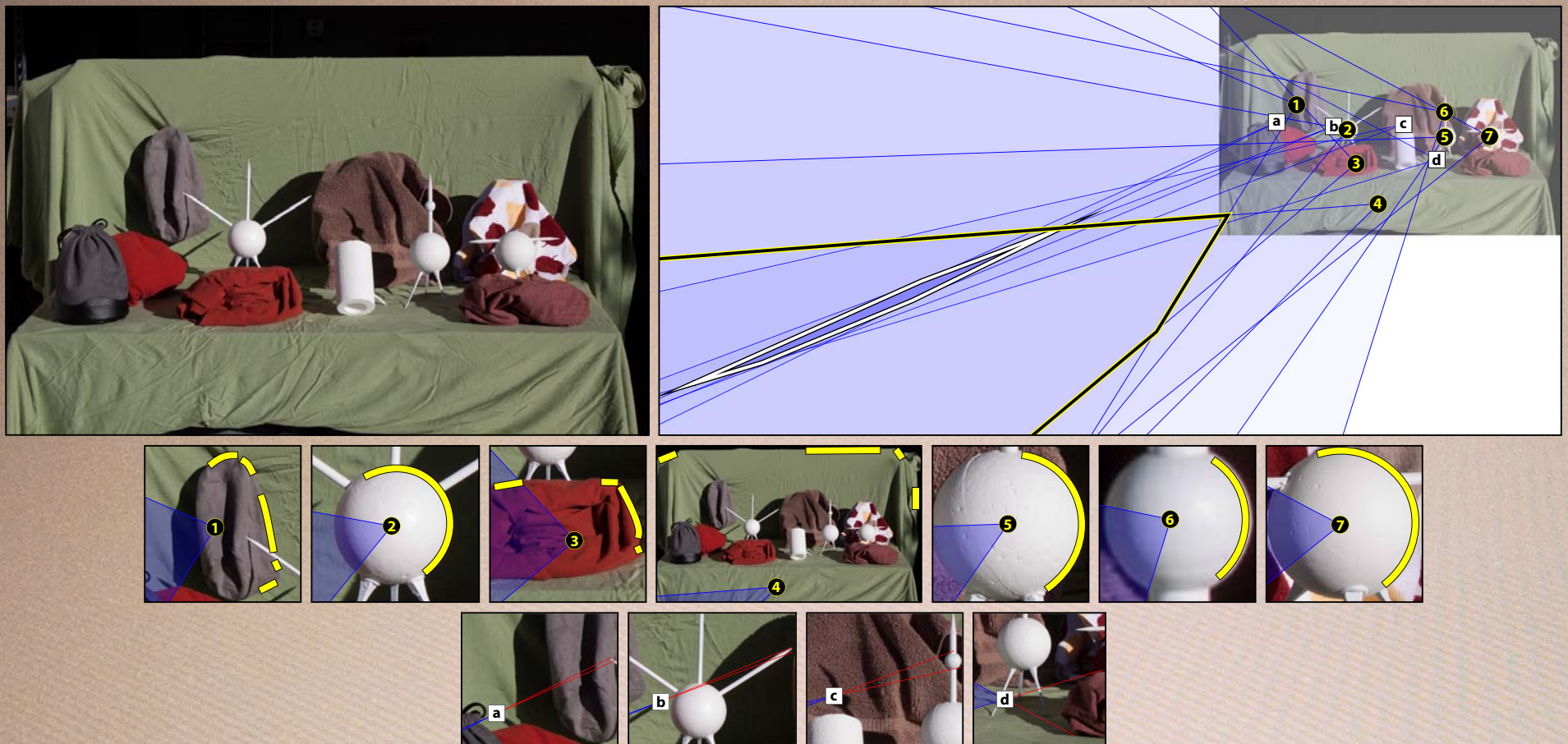


# Shading Constraints



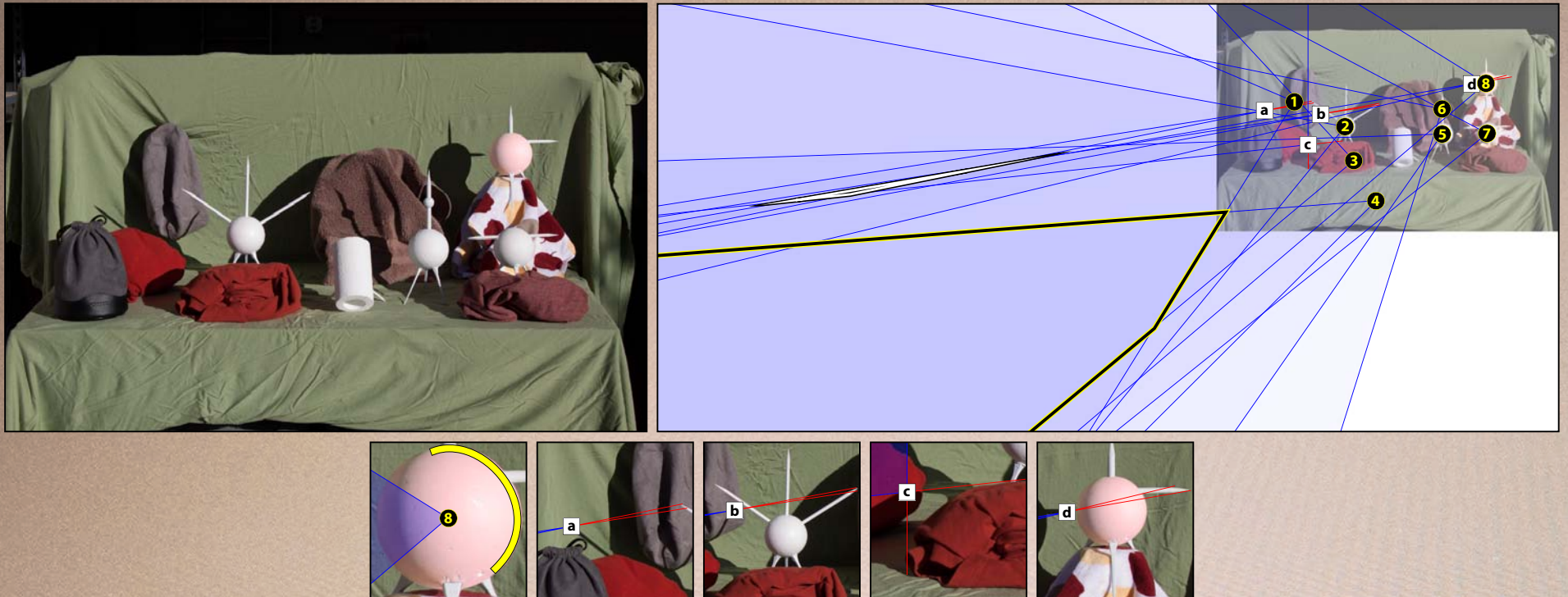


# Shading Constraints



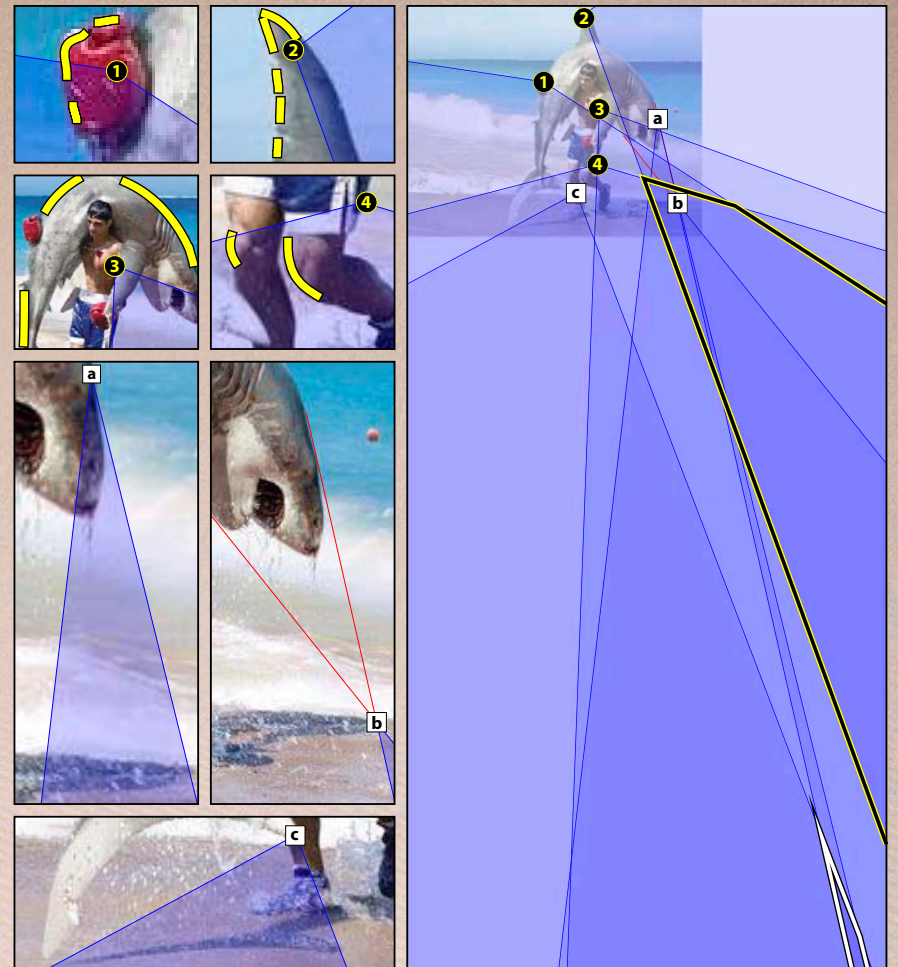


# Shading Constraints





# Shading Constraints





# Motion in Video





# Motion in Video





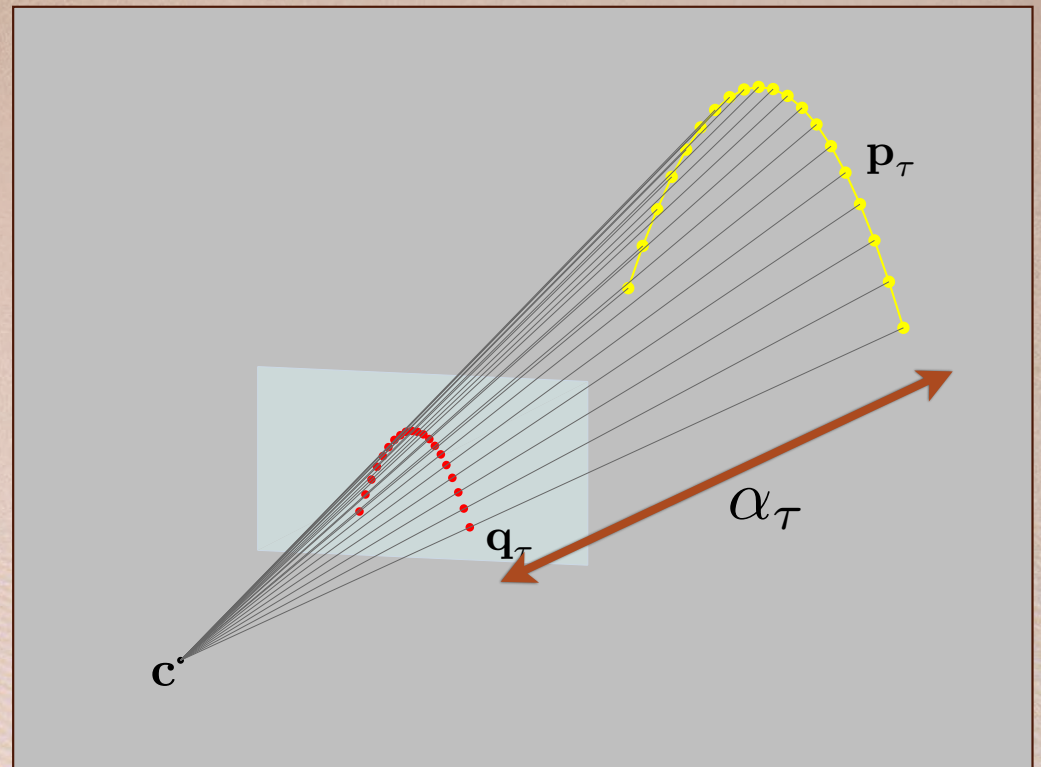
# Parabolic Motion in World (Still Camera)

$$\mathbf{p}_\tau = \mathbf{p}_0 + \Delta t \tau \mathbf{v}_0 + \frac{1}{2}(\Delta t \tau)^2 \mathbf{g}$$

$$\mathbf{p}_\tau = \mathbf{c} + \alpha_\tau (\mathbf{q}_\tau - \mathbf{c})$$

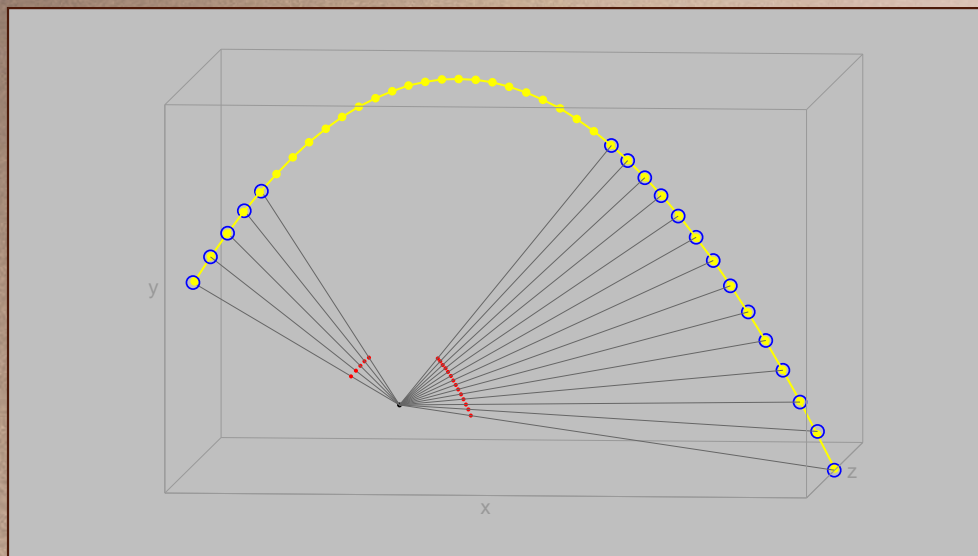
$$\tau \in 1..n$$

Solve for:

 $\alpha_\tau$  $\mathbf{v}_0$  $\mathbf{g}$ 



# Matching observed motion







[http:// www.youtube.com/ watch?v=WbaH52JI3So](http://www.youtube.com/watch?v=WbaH52JI3So)





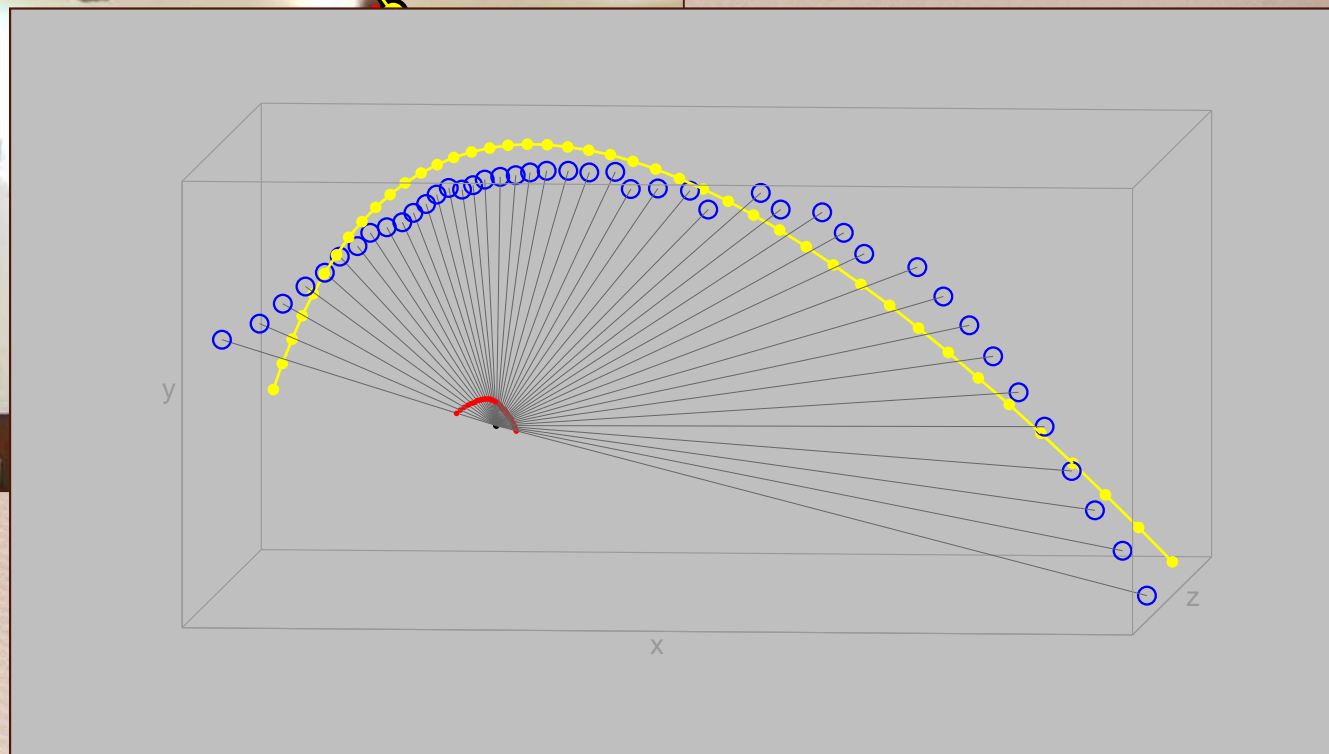
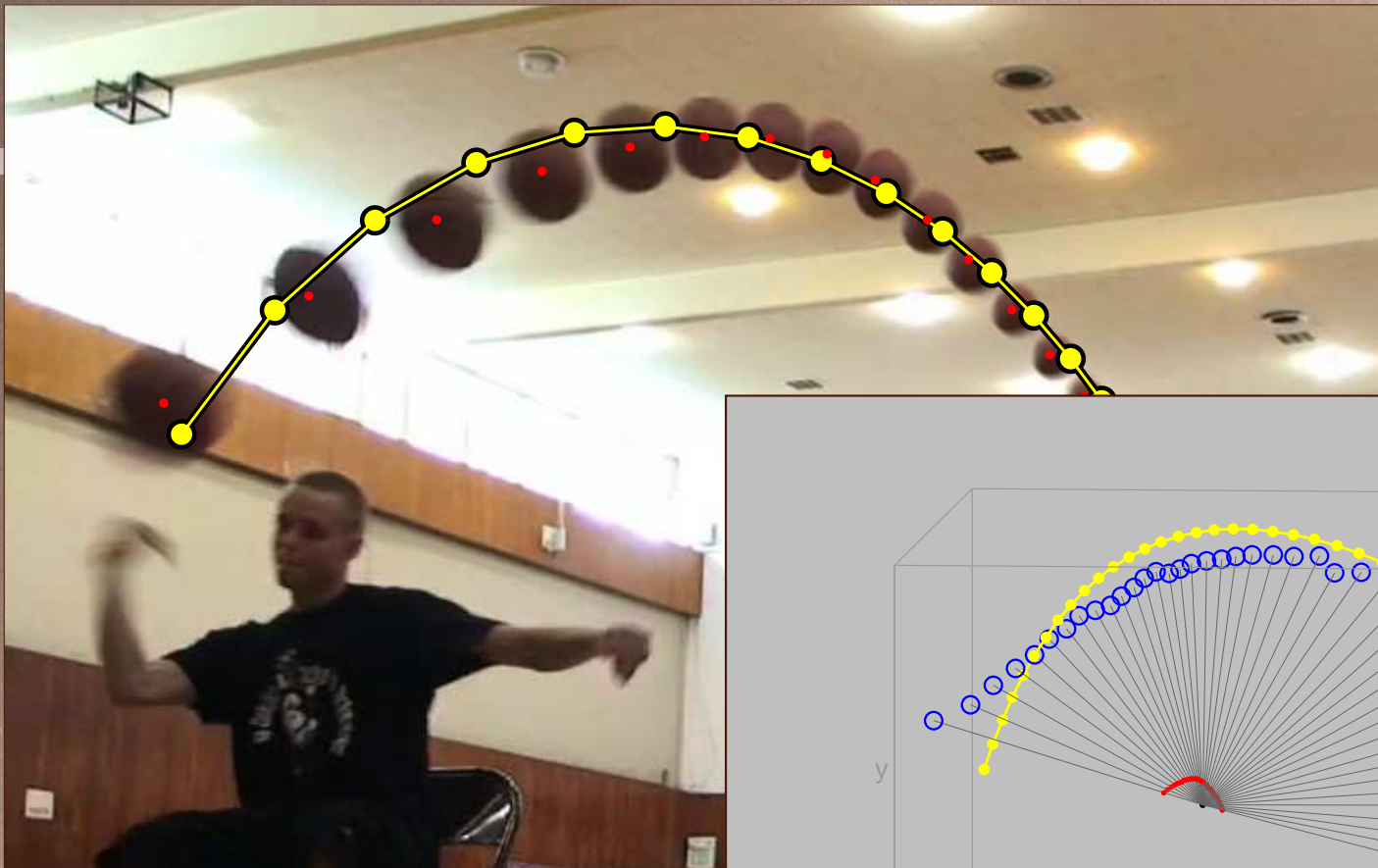
[http:// www.youtube.com/ watch?v=WbaH52JI3So](http://www.youtube.com/watch?v=WbaH52JI3So)



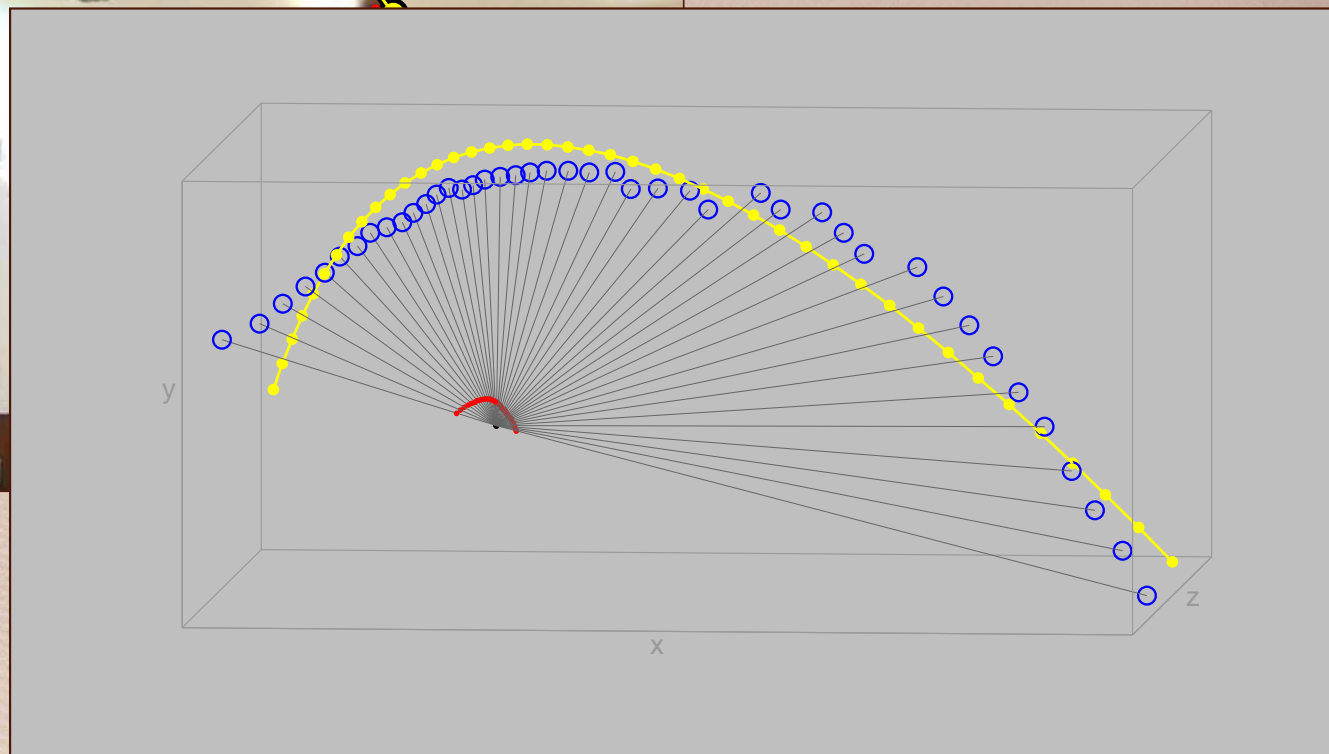
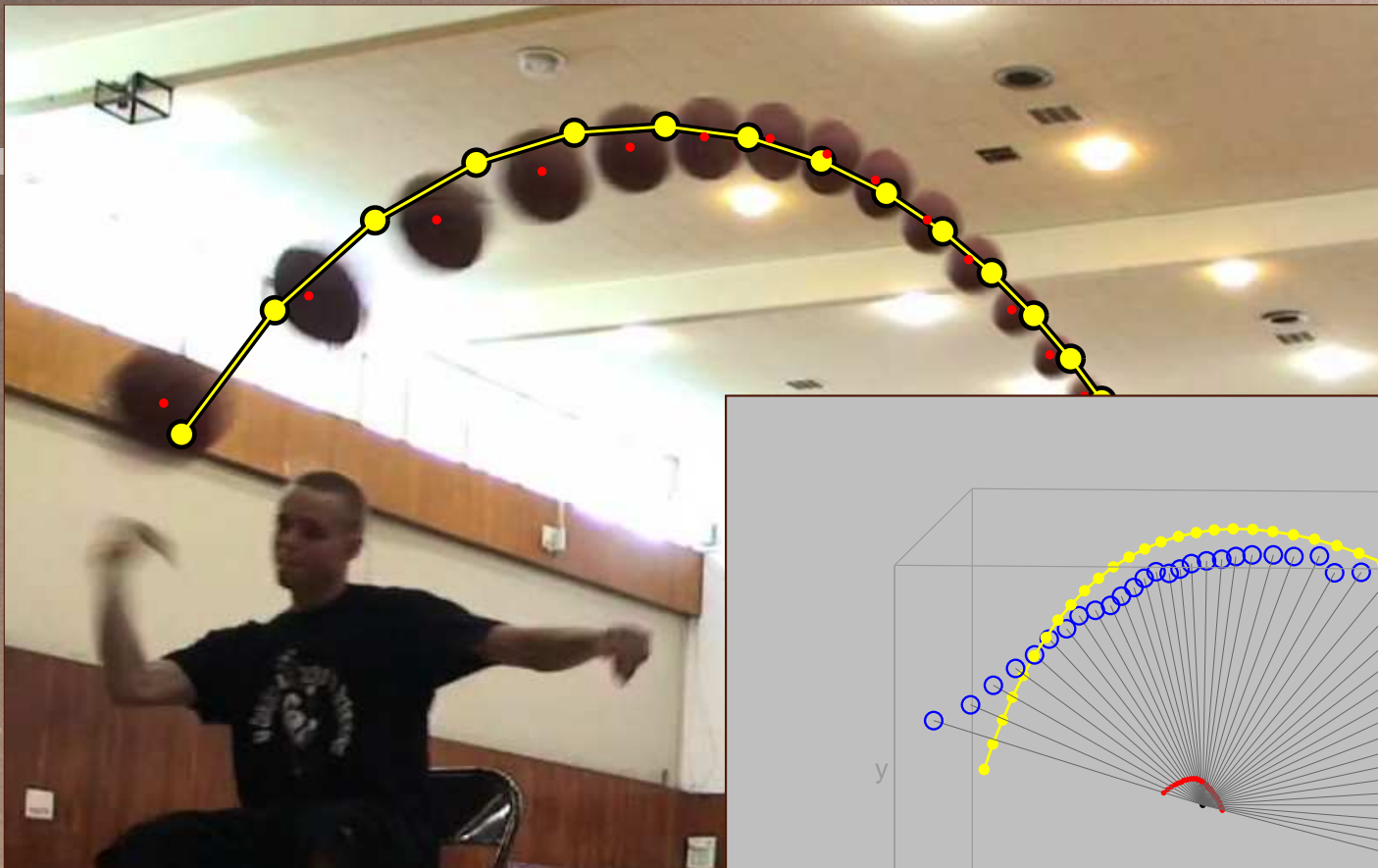












# Parabolic Motion in World (Moving Camera)

$$\mathbf{p}_\tau = \mathbf{p}_0 + \Delta t \tau \mathbf{v}_0 + \frac{1}{2}(\Delta t \tau)^2 \mathbf{g}$$

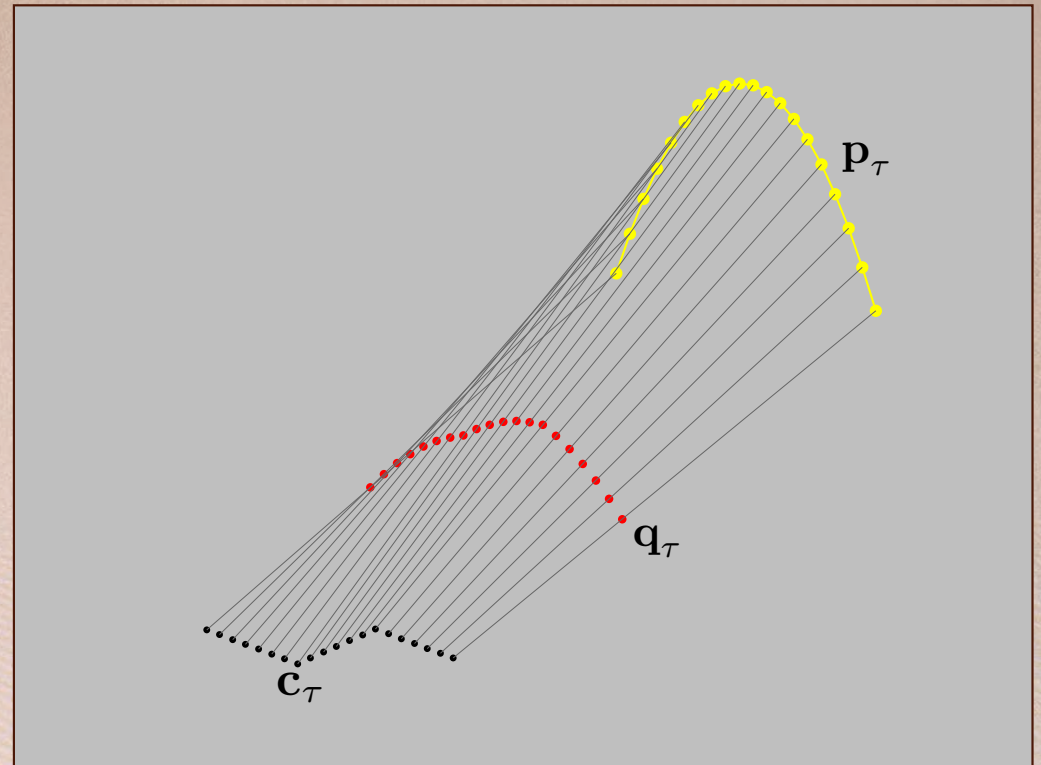
$$\mathbf{p}_\tau = \mathbf{c} + \alpha_\tau(\mathbf{q}_\tau - \mathbf{c})$$
$$\tau \in 1..n$$

$\alpha_\tau$

Solve for:  $\mathbf{v}_0$

$\mathbf{g}$

**Track camera motion**



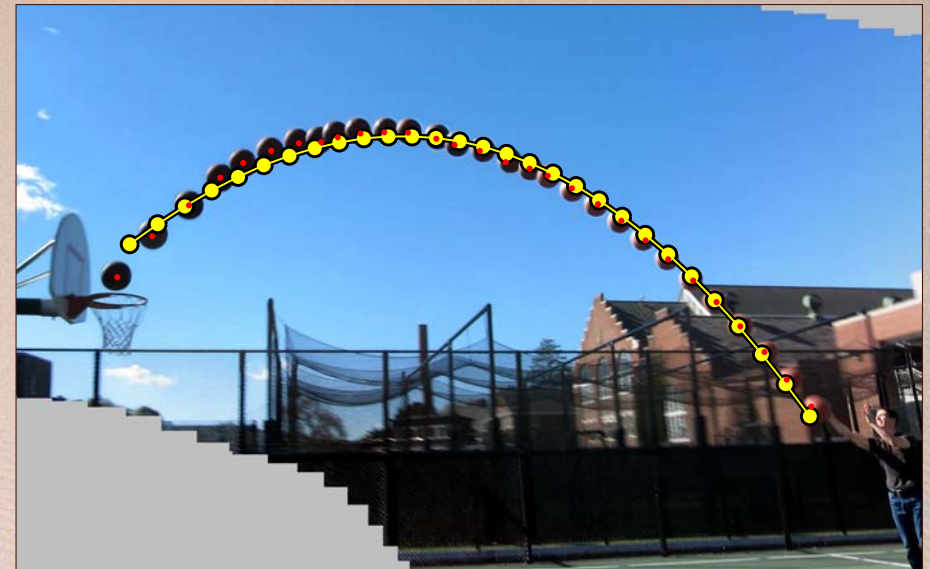
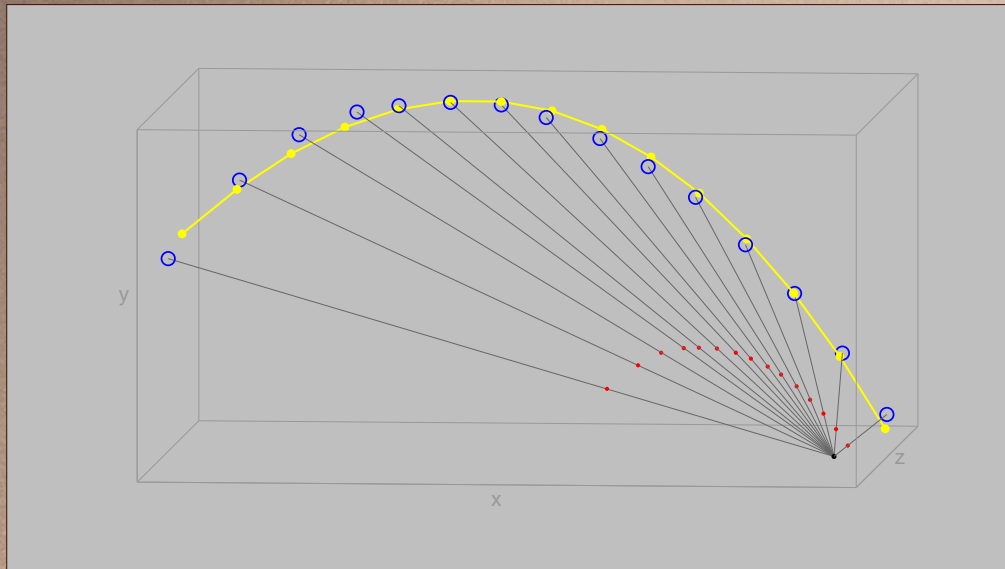












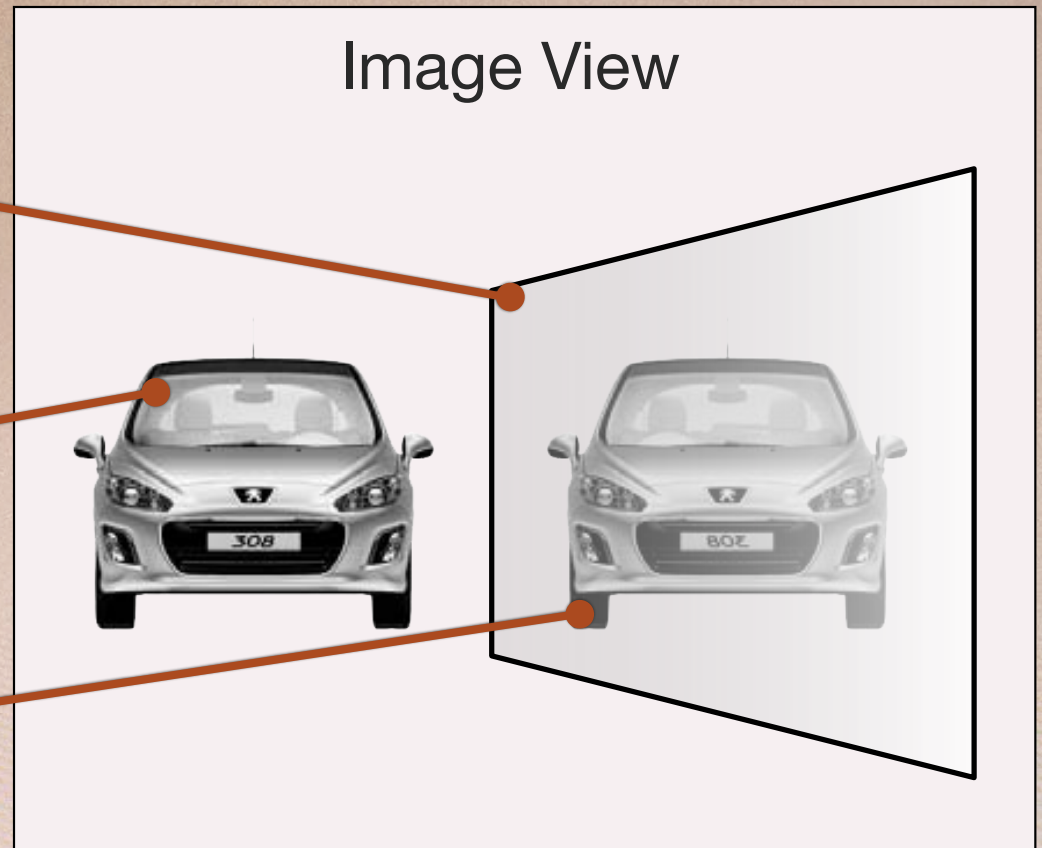
# Basic Mirror Geometry

Linear perspective image

Mirror

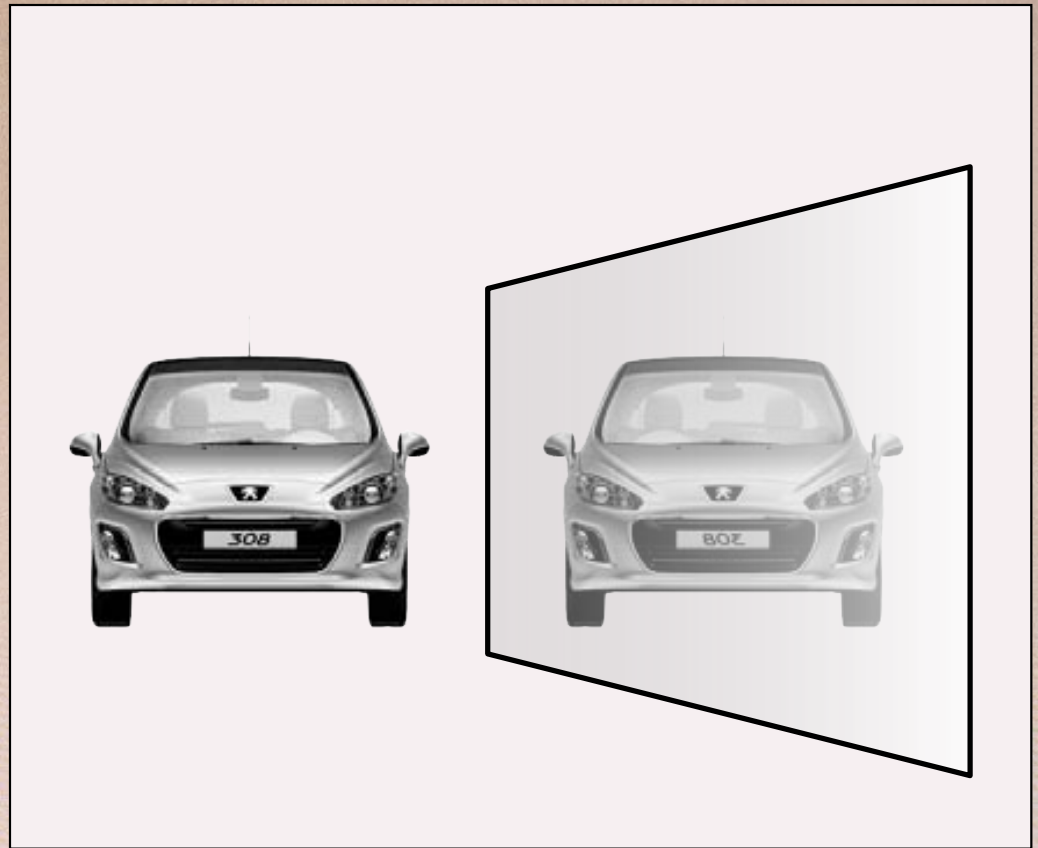
Object

Reflection of object



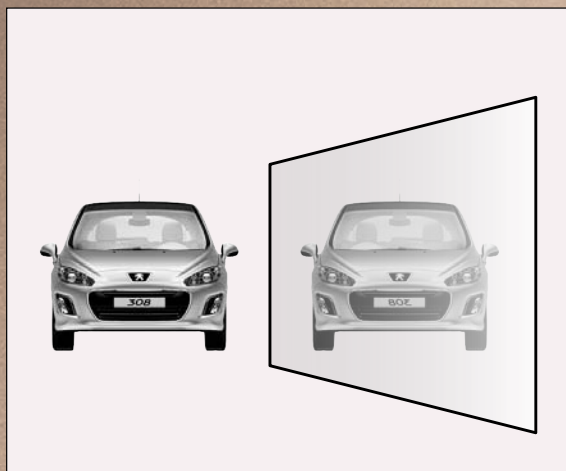


# Basic Mirror Geometry



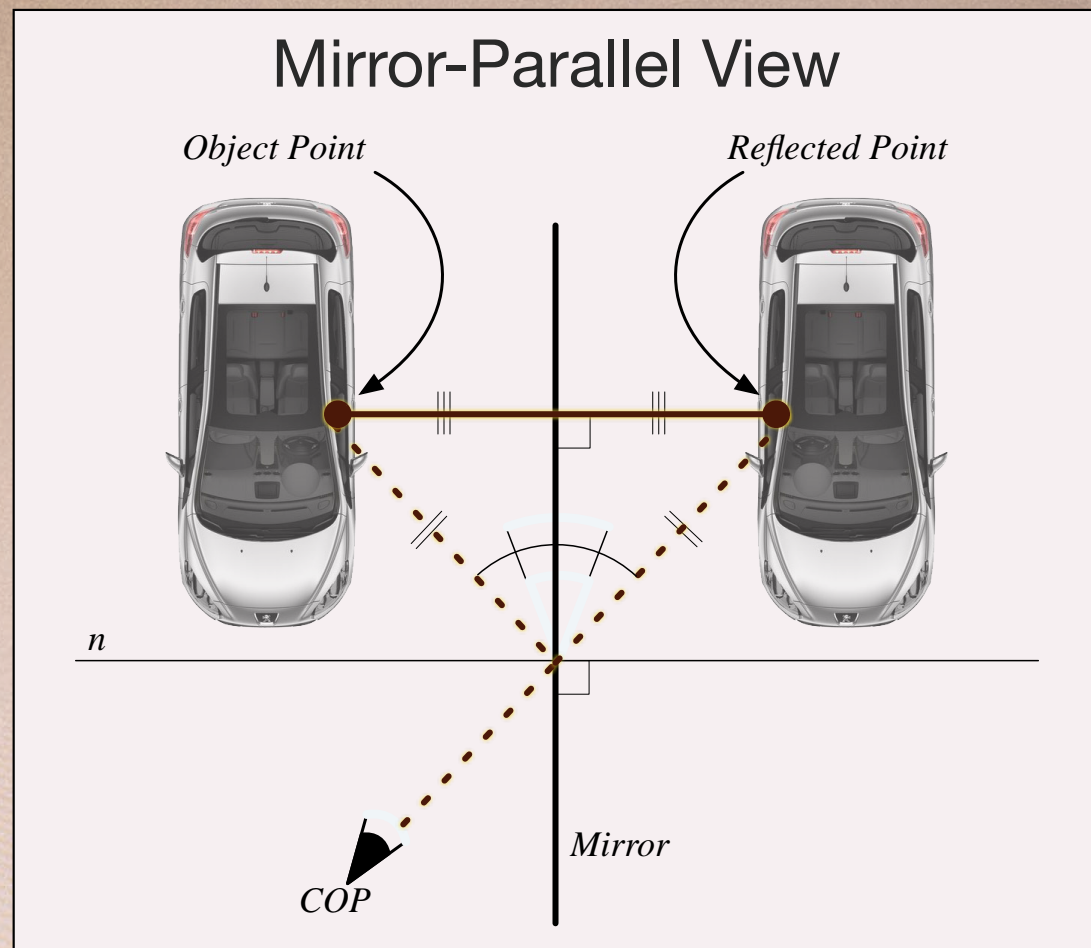
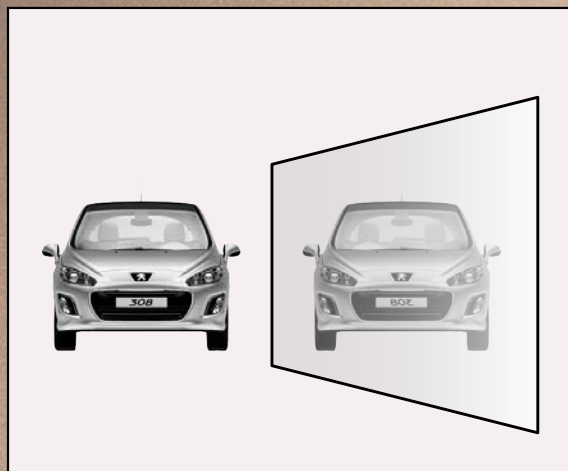


# Basic Mirror Geometry

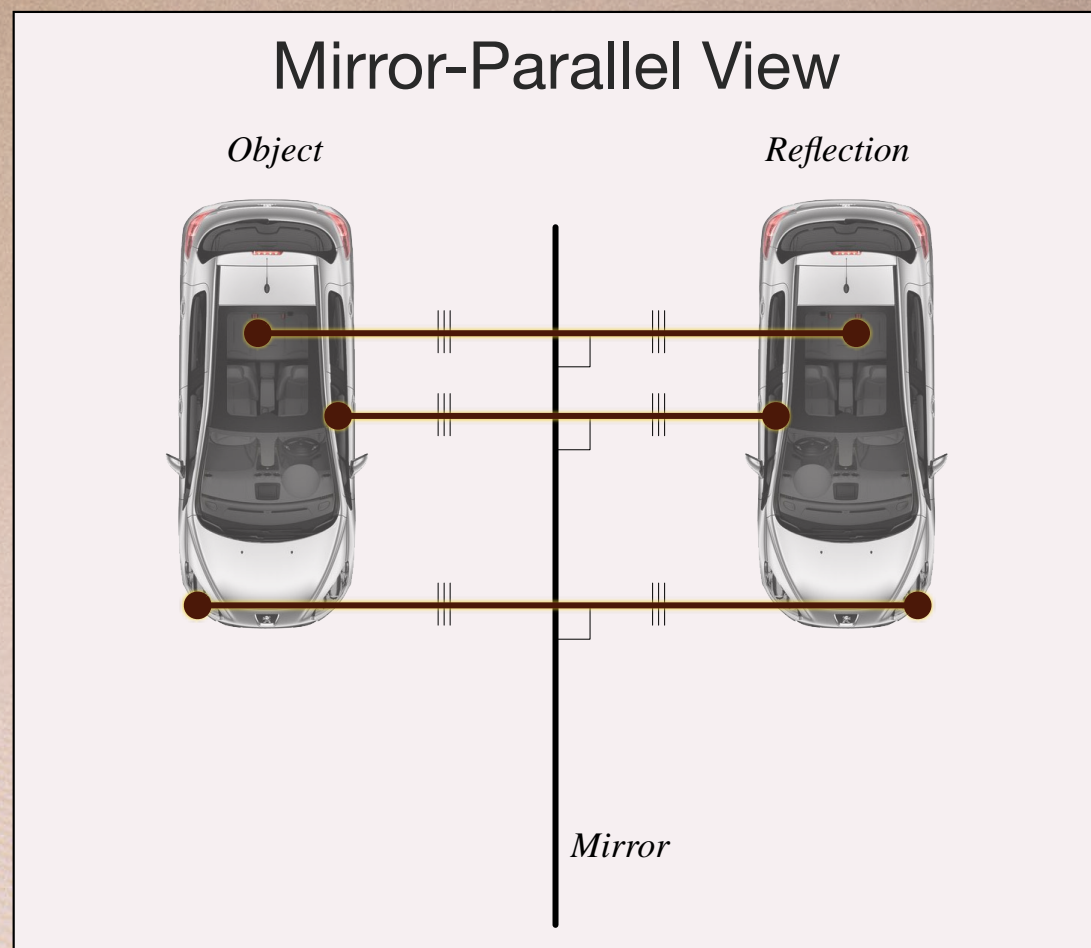
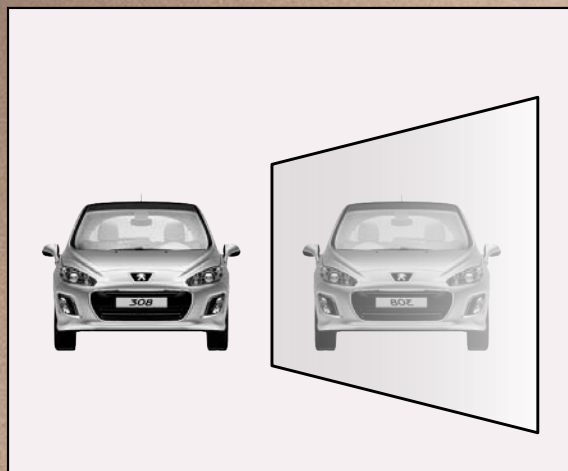




# Basic Mirror Geometry



# Basic Mirror Geometry



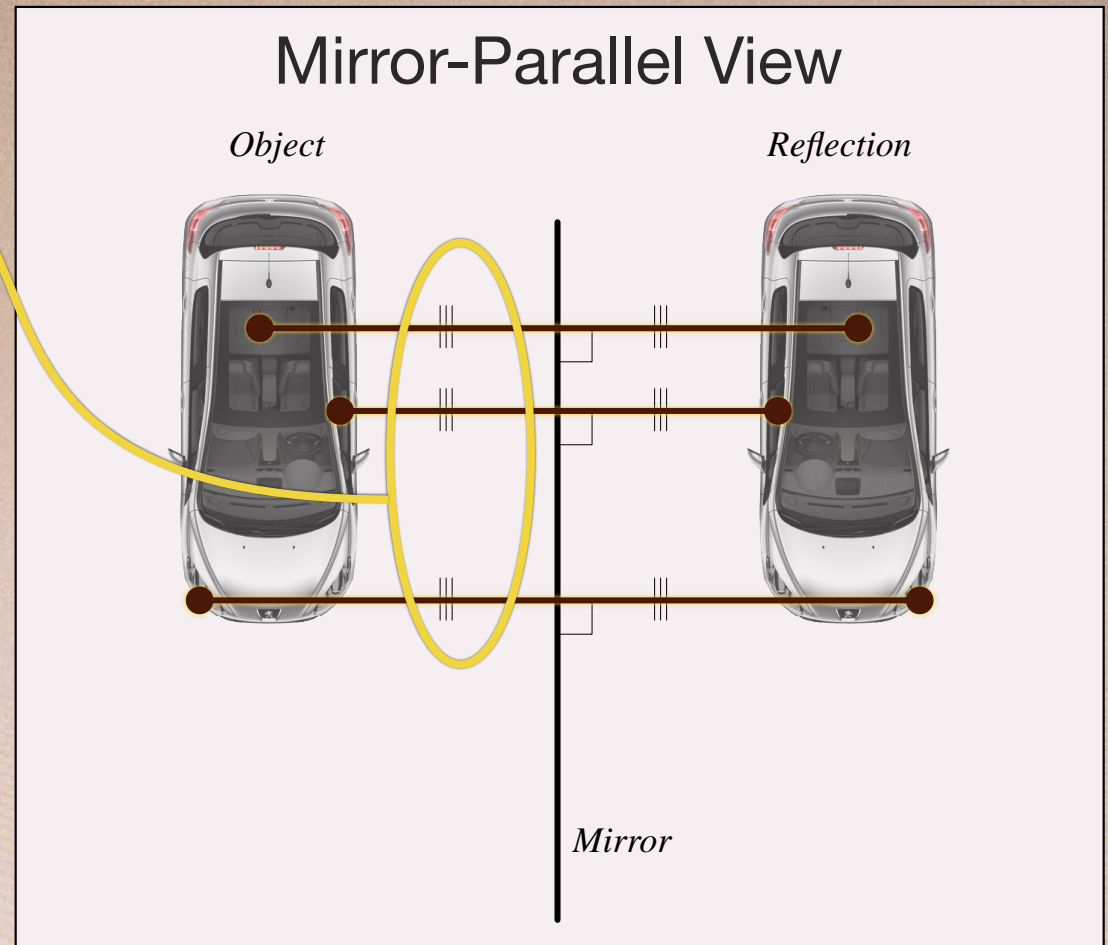


# Basic Mirror Geometry

## Bundle of parallel lines

In original image they must converge to a common vanishing point.

(Possibly at infinity)



# Reflection Vanishing Point

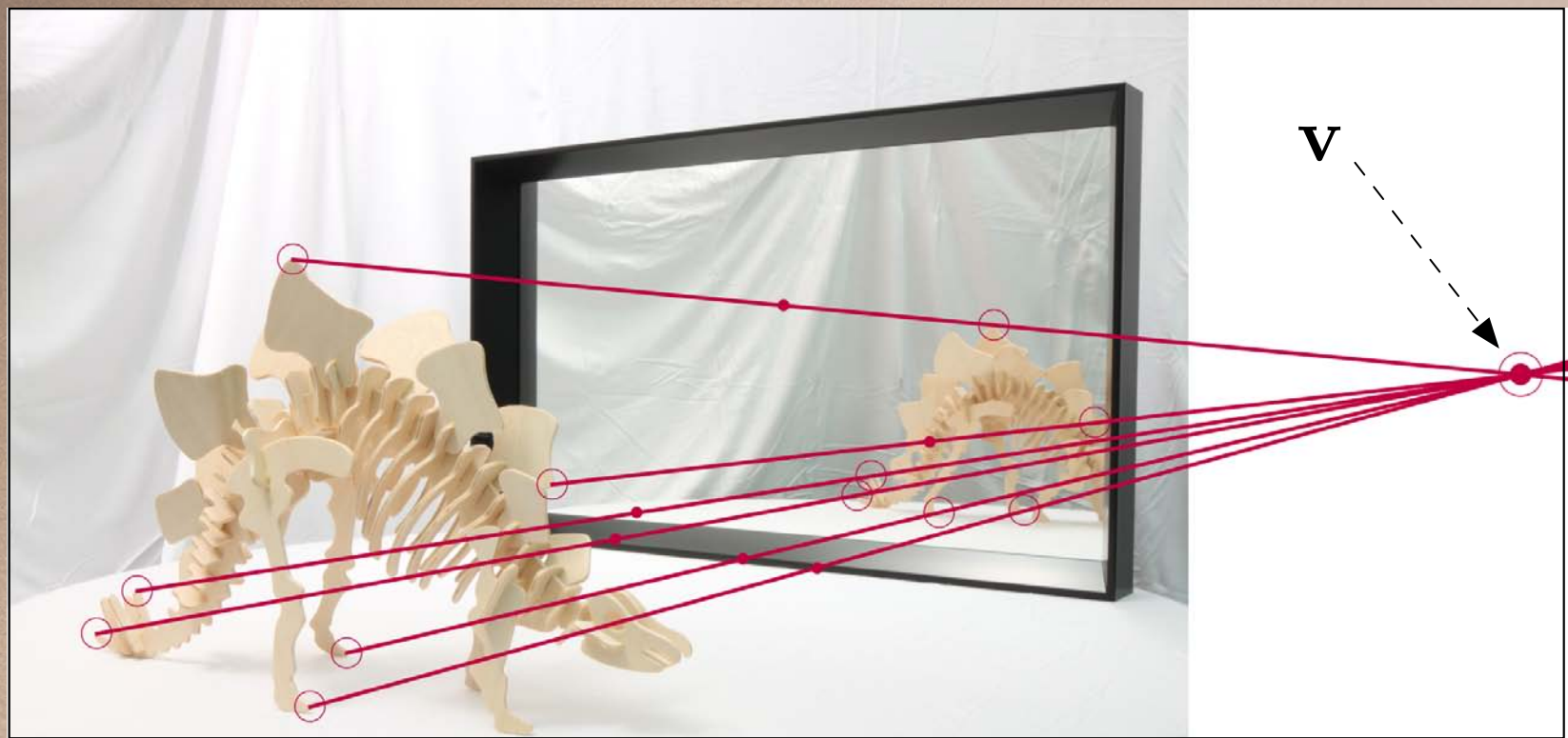
Real Photograph





# Reflection Vanishing Point

Real Photograph



# Reflection Vanishing Point

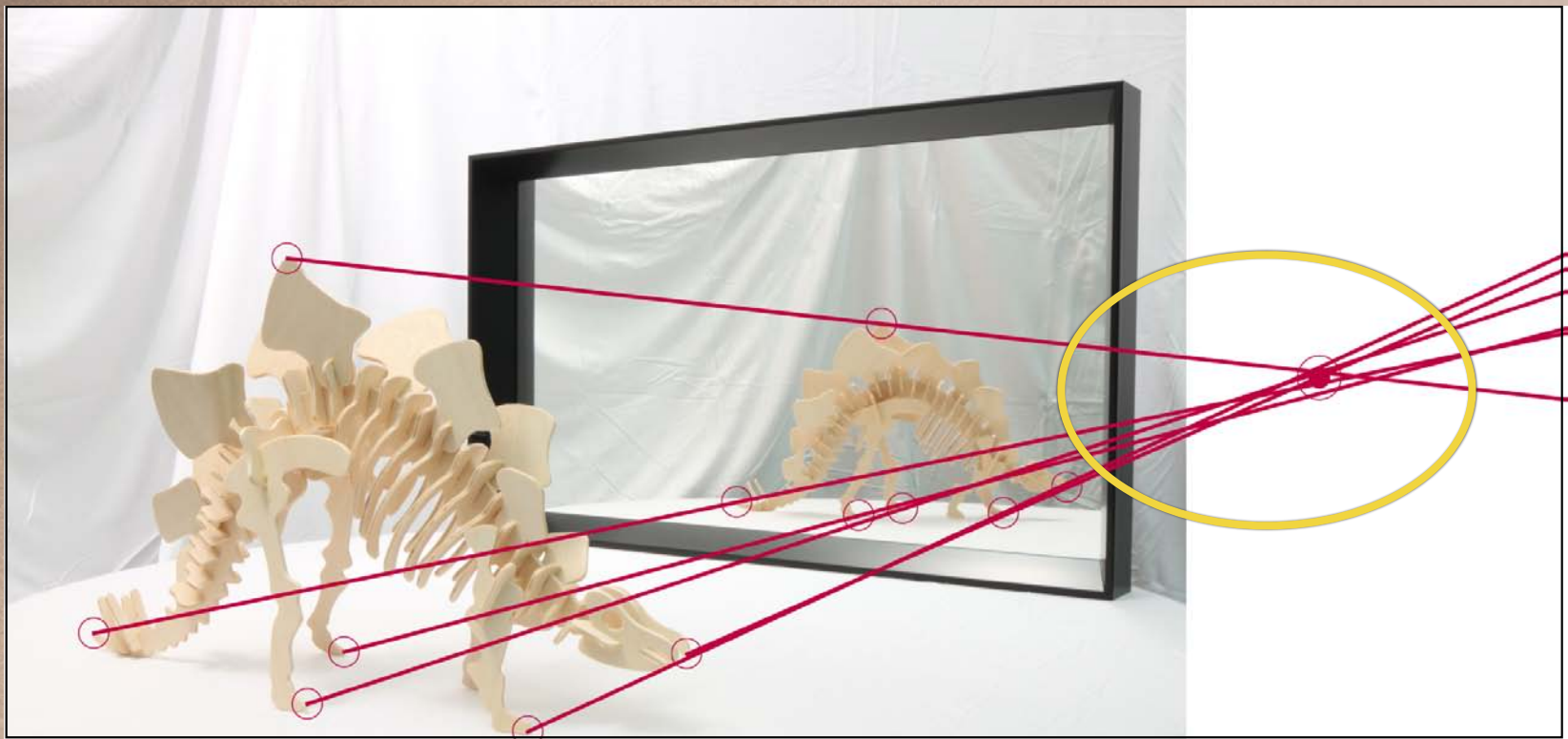
## Altered Photograph





# Reflection Vanishing Point

## Altered Photograph



# Reflection Vanishing Point

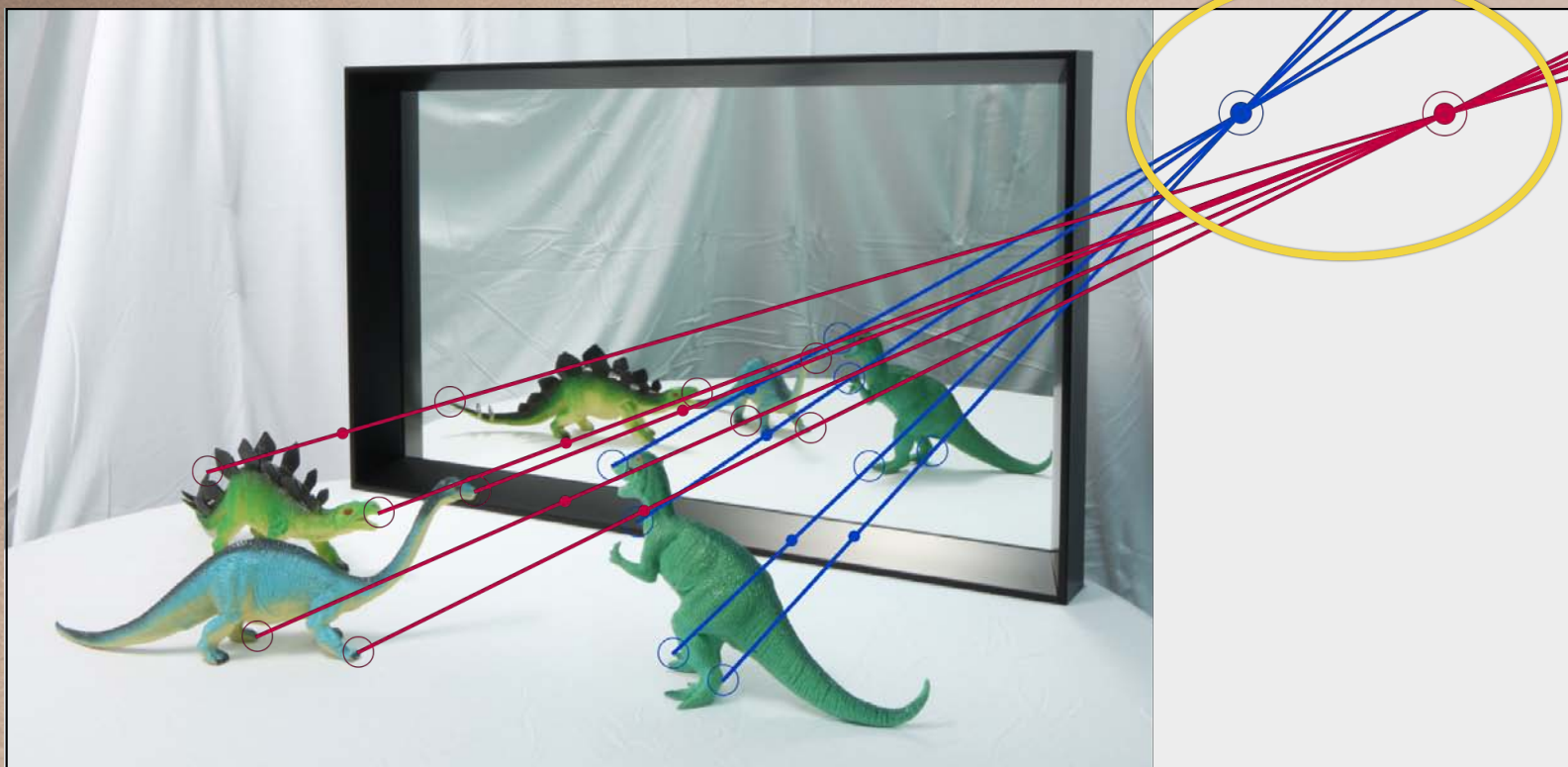
## Altered Photograph





# Reflection Vanishing Point

Altered Photograph



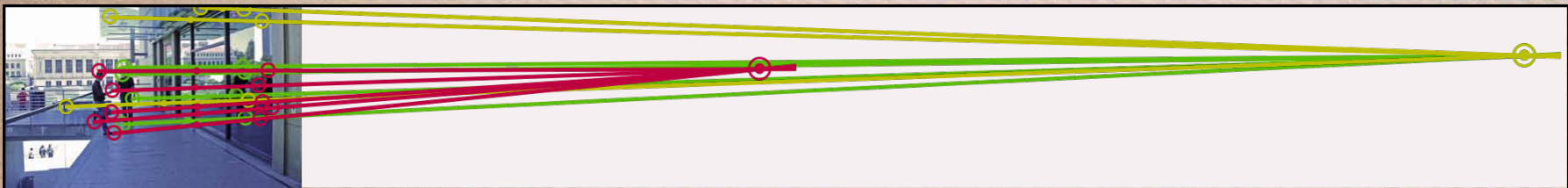
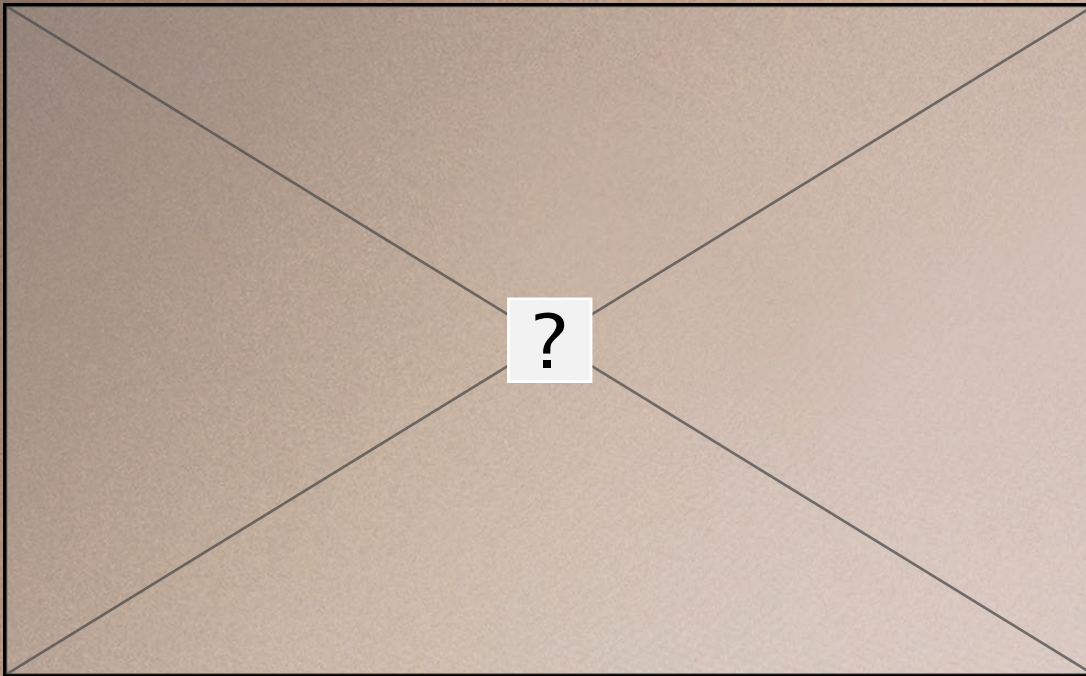


# Examples



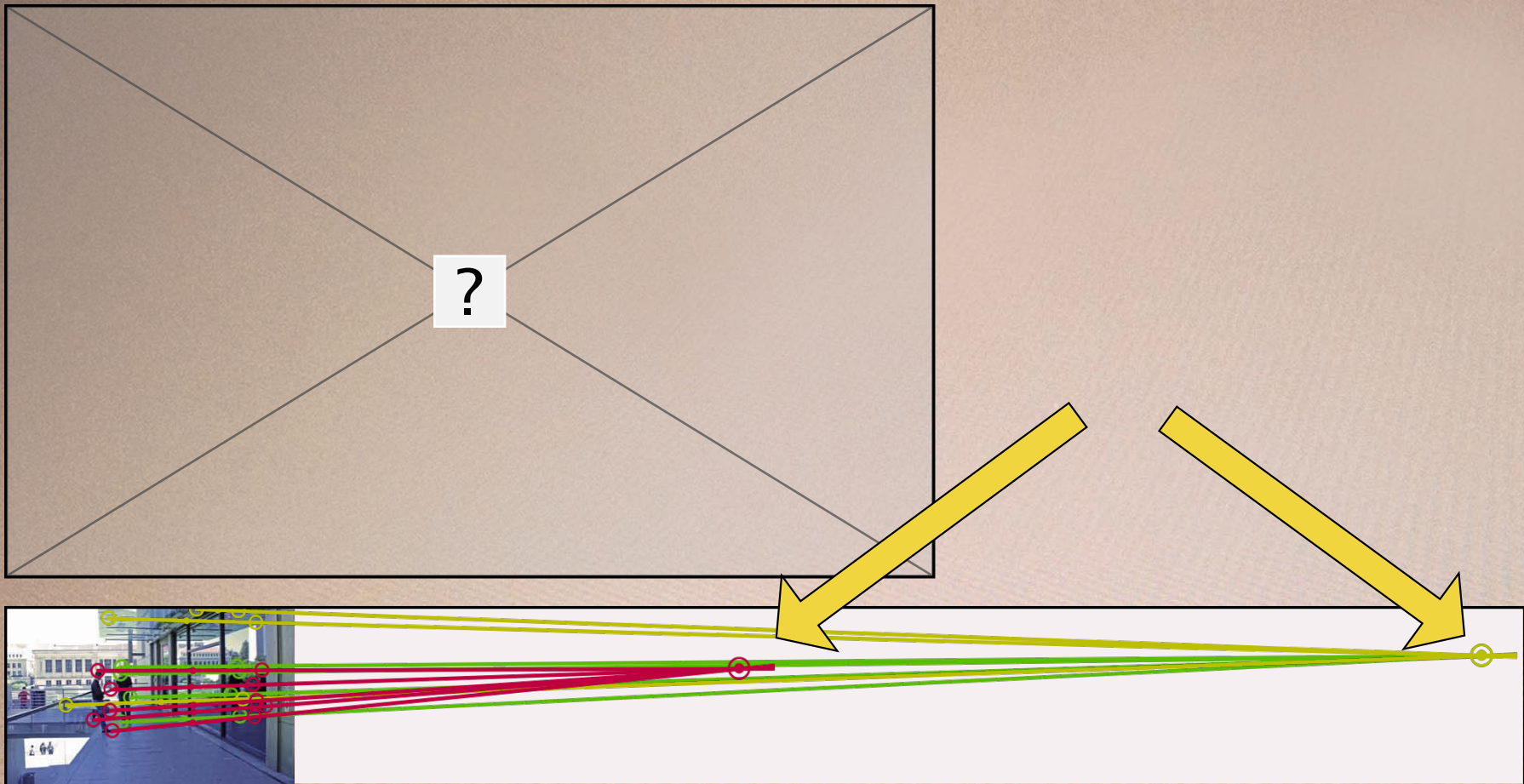


# Examples





# Examples





# Examples

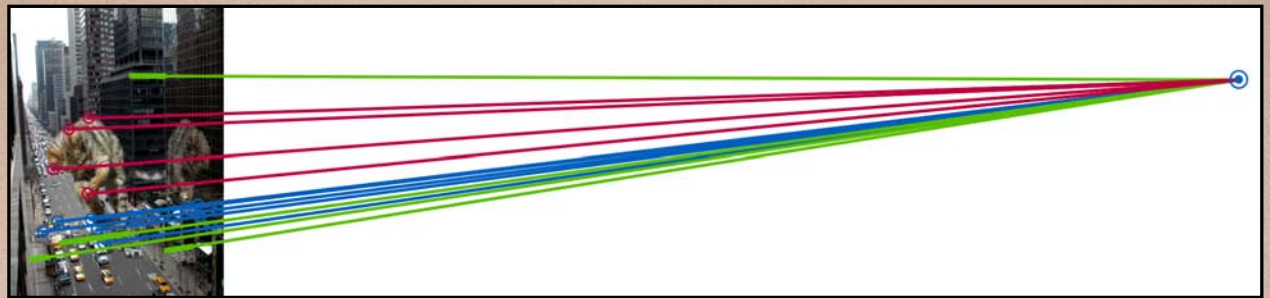
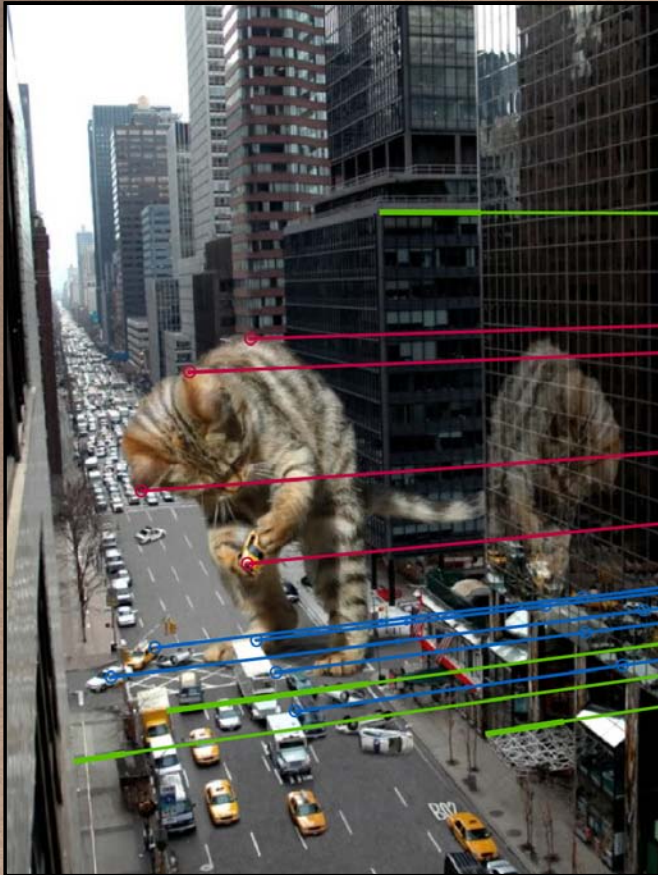


Composite photo World News, copyright 2006.



# Examples

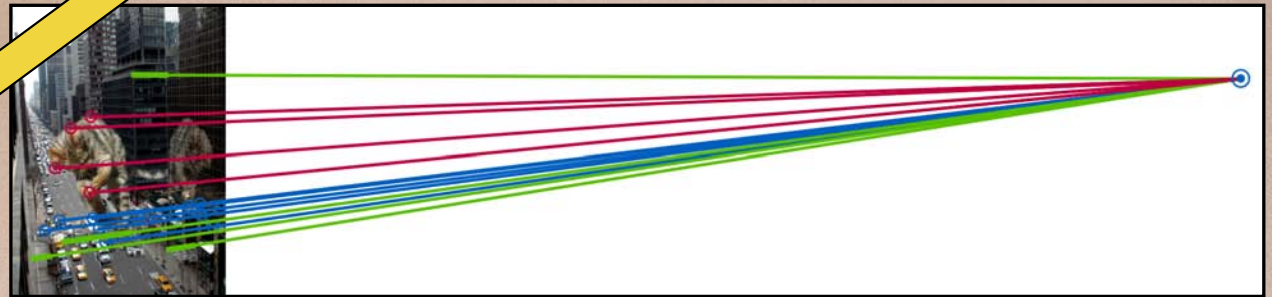
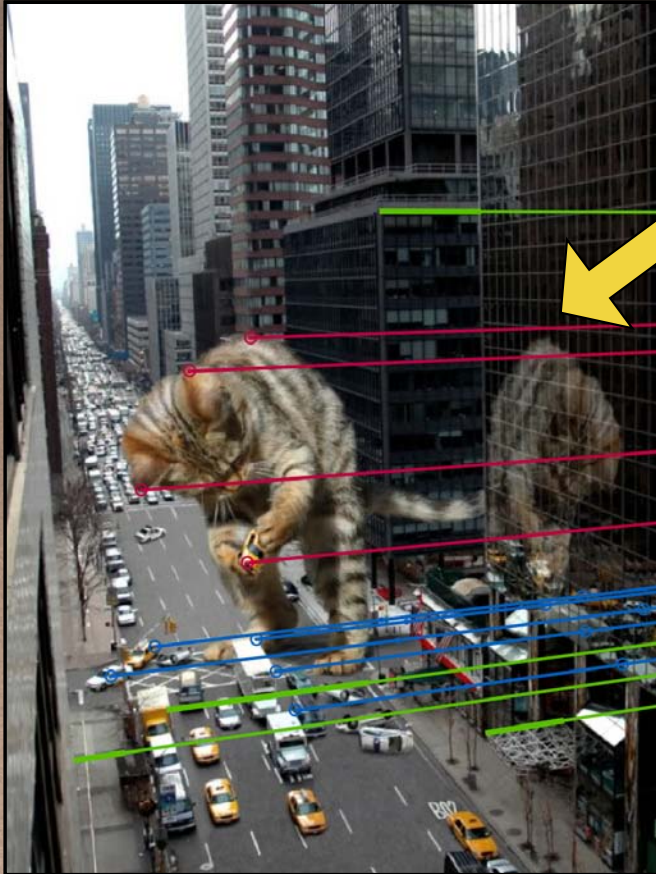
Composite photo World News, copyright 2006.





# Examples

Composite photo World News, copyright 2006.



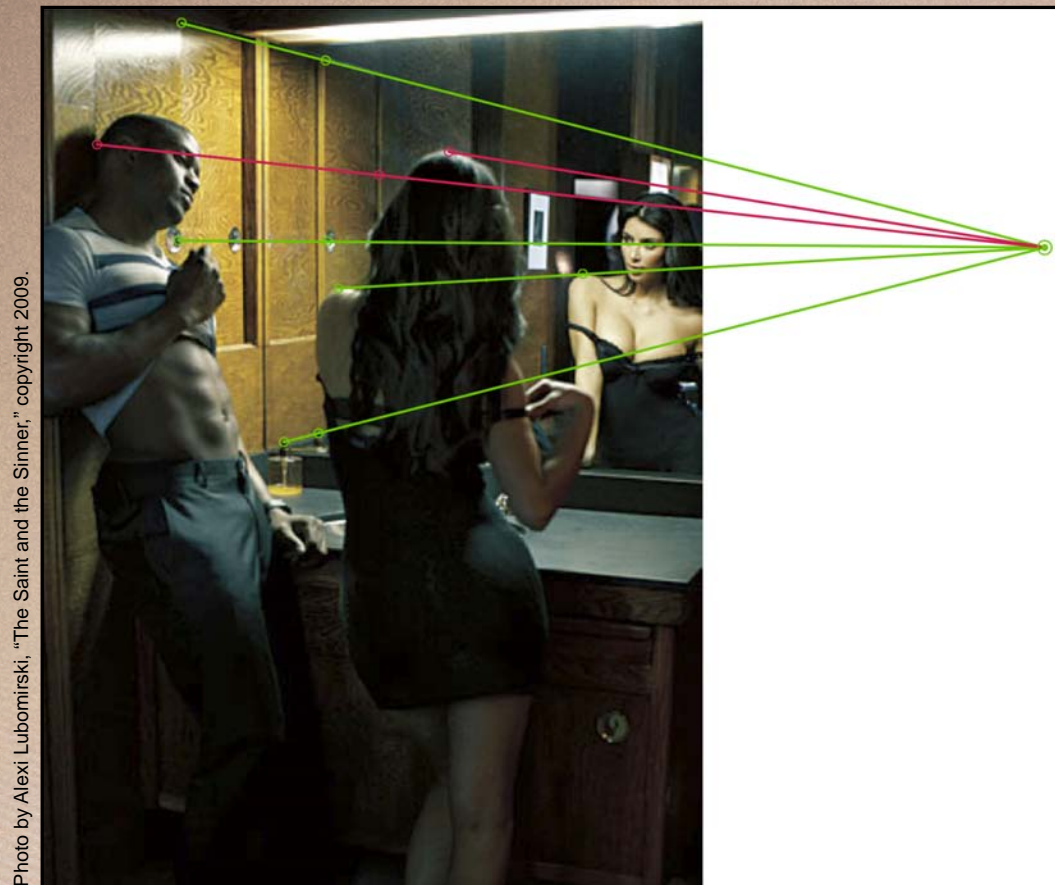


# Examples



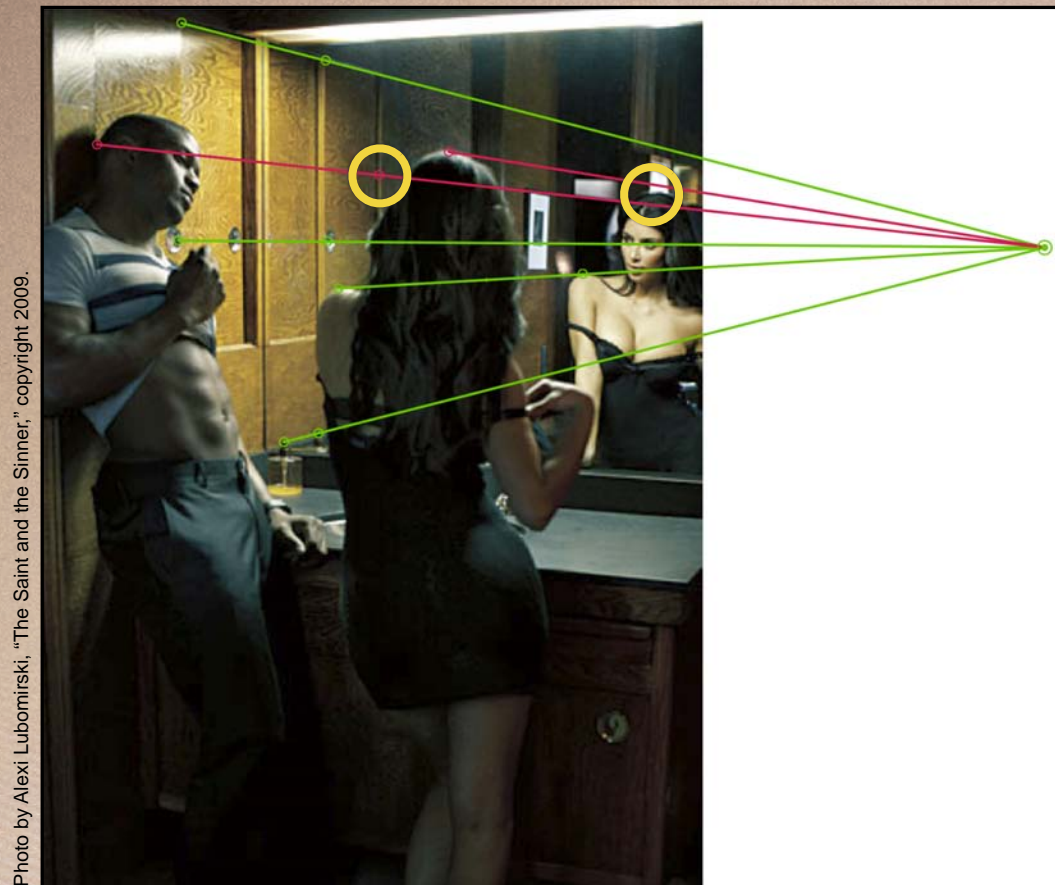


# Examples





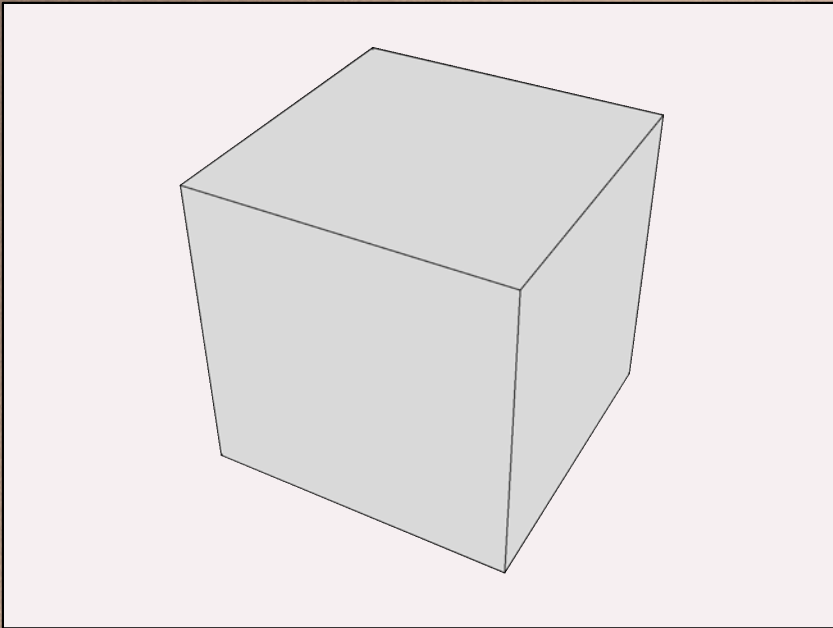
# Examples





# Center of Projection

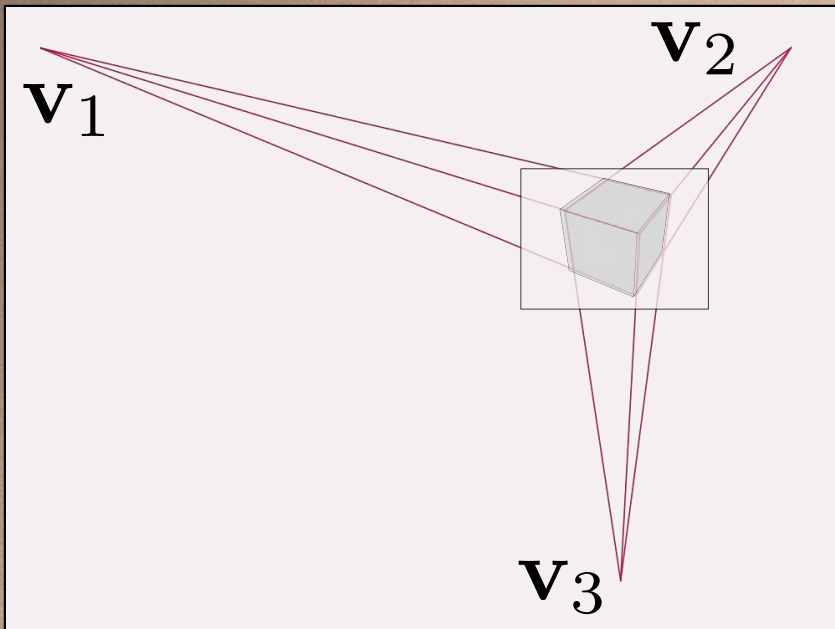
- COP determined by 3 orthogonal vanishing points





# Center of Projection

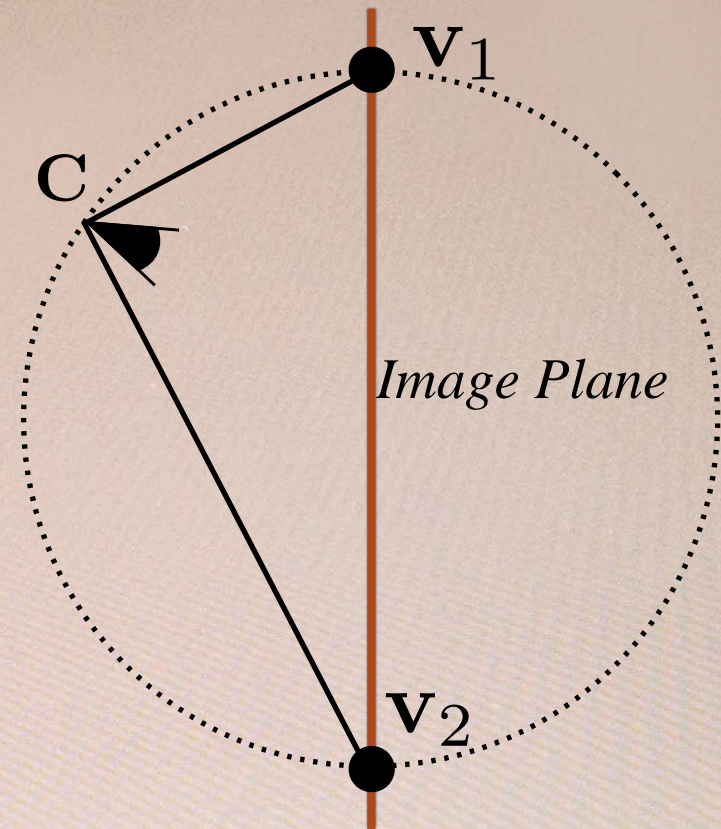
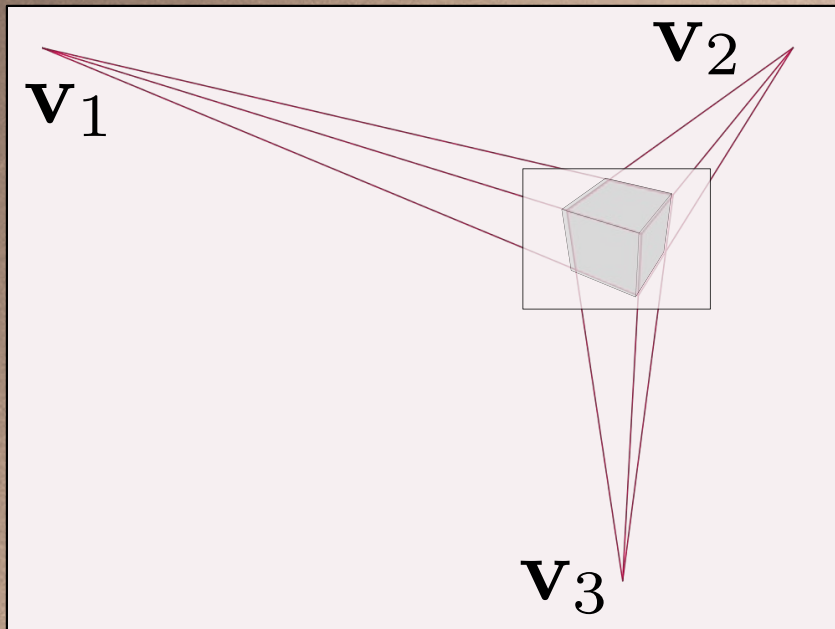
- COP determined by 3 orthogonal vanishing points





# Center of Projection

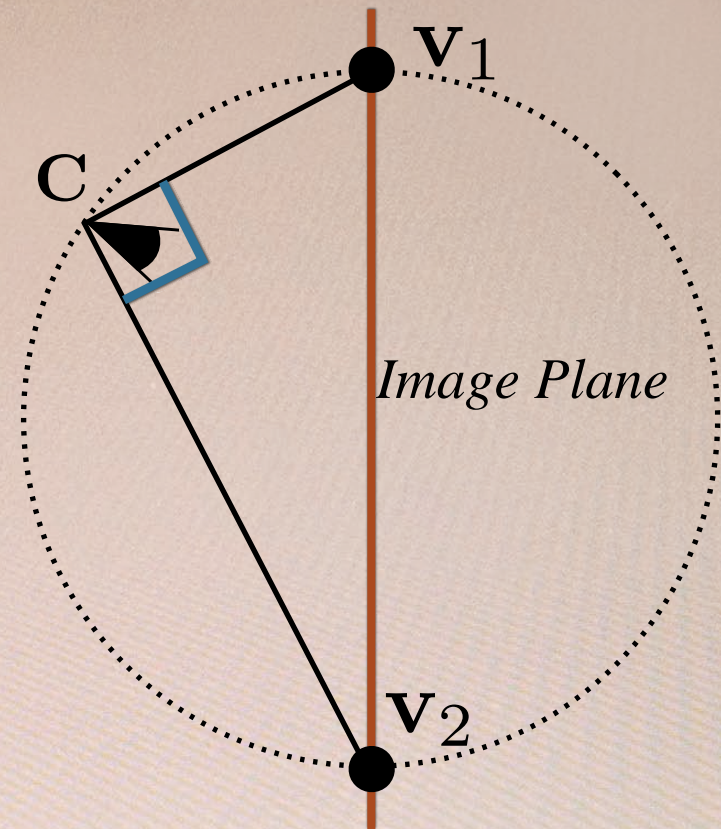
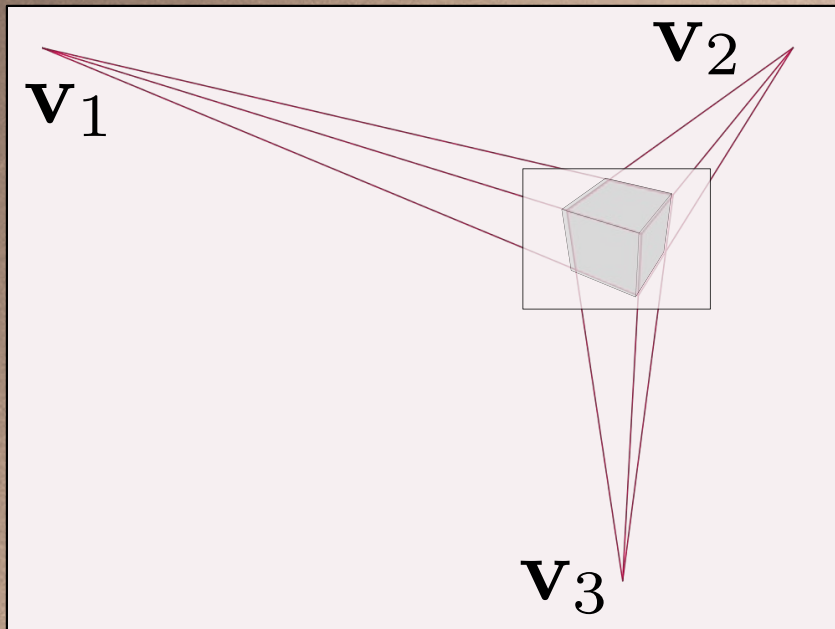
- COP determined by 3 orthogonal vanishing points





# Center of Projection

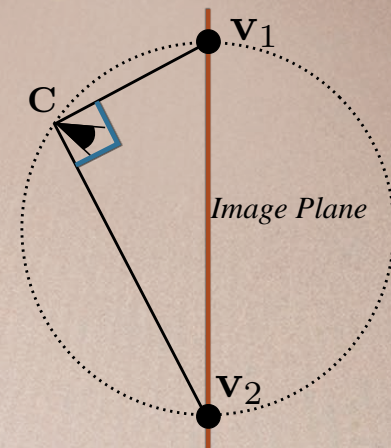
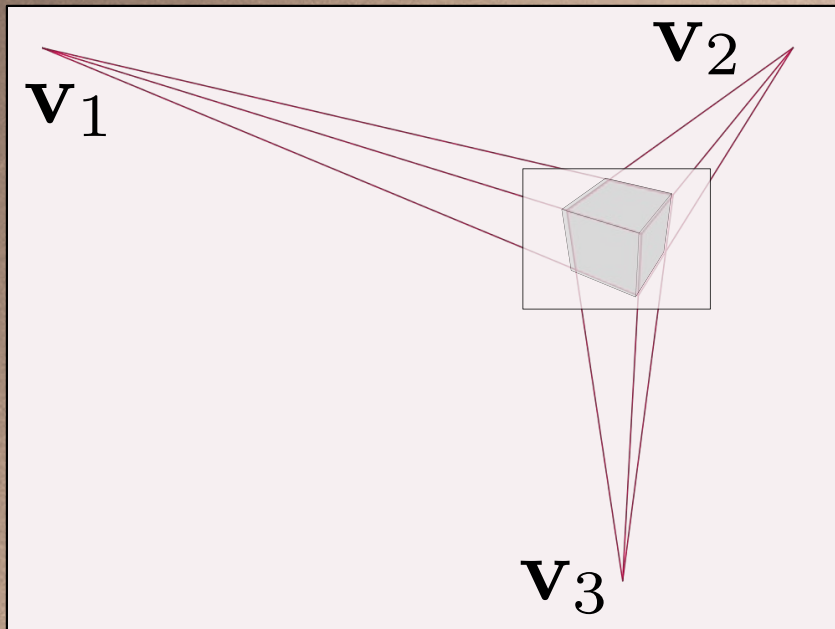
- COP determined by 3 orthogonal vanishing points





# Center of Projection

- COP determined by 3 orthogonal vanishing points

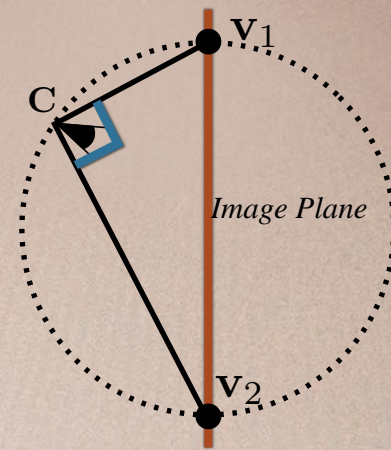
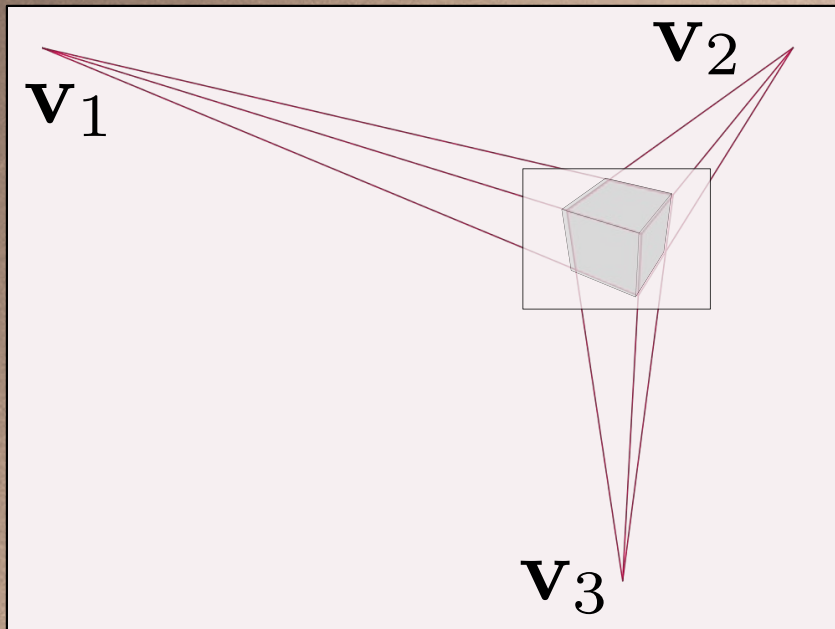


$$(\mathbf{C} - \mathbf{V}_1) \cdot (\mathbf{C} - \mathbf{V}_2) = 0$$



# Center of Projection

- COP determined by 3 orthogonal vanishing points



$$(\mathbf{C} - \mathbf{V}_1) \cdot (\mathbf{C} - \mathbf{V}_2) = 0$$

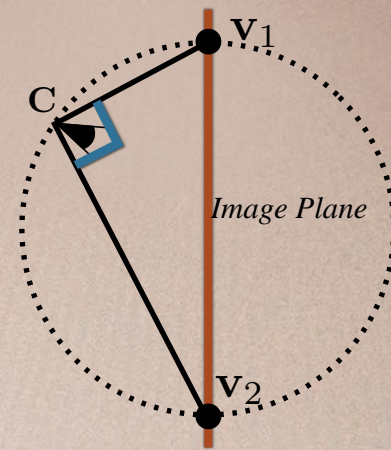
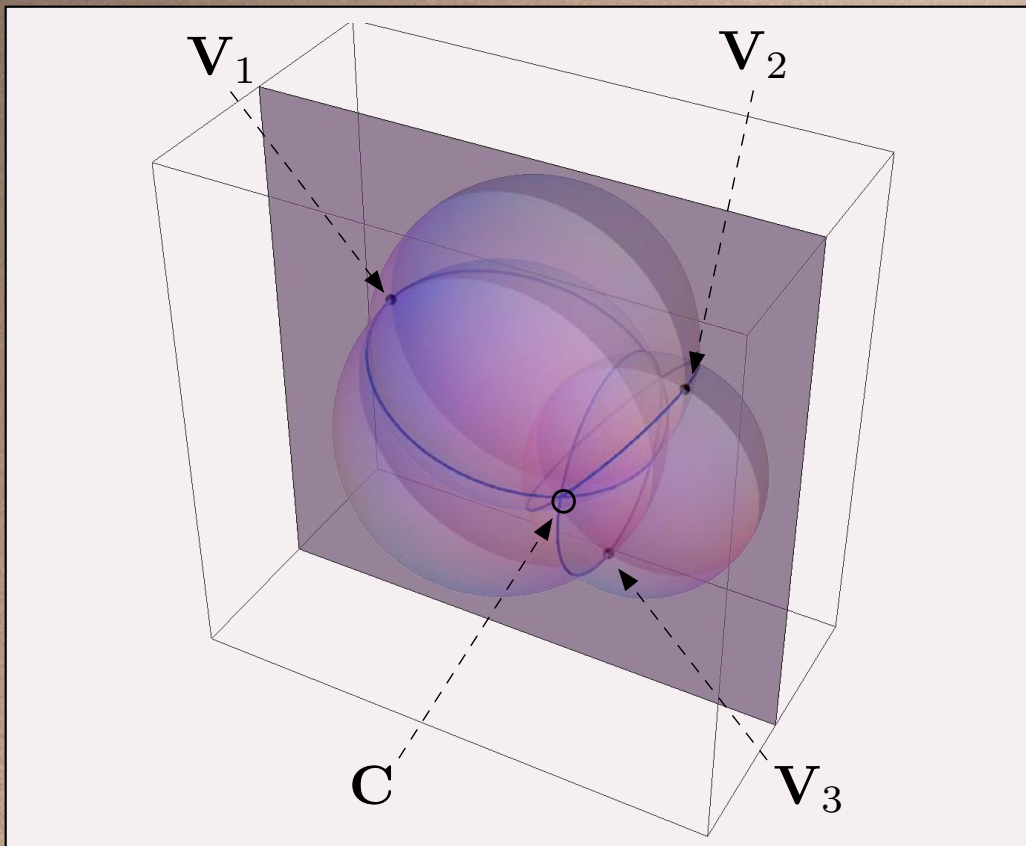
$$(\mathbf{C} - \mathbf{V}_2) \cdot (\mathbf{C} - \mathbf{V}_3) = 0$$

$$(\mathbf{C} - \mathbf{V}_3) \cdot (\mathbf{C} - \mathbf{V}_1) = 0$$



# Center of Projection

- COP determined by 3 orthogonal vanishing points



$$(\mathbf{C} - \mathbf{V}_1) \cdot (\mathbf{C} - \mathbf{V}_2) = 0$$

$$(\mathbf{C} - \mathbf{V}_2) \cdot (\mathbf{C} - \mathbf{V}_3) = 0$$

$$(\mathbf{C} - \mathbf{V}_3) \cdot (\mathbf{C} - \mathbf{V}_1) = 0$$



# Center of Projection

- COP determined by 3 orthogonal vanishing points
- System of quadratic equations

$$(\mathbf{C} - \mathbf{V}_1) \cdot (\mathbf{C} - \mathbf{V}_2) = 0$$

$$(\mathbf{C} - \mathbf{V}_2) \cdot (\mathbf{C} - \mathbf{V}_3) = 0$$

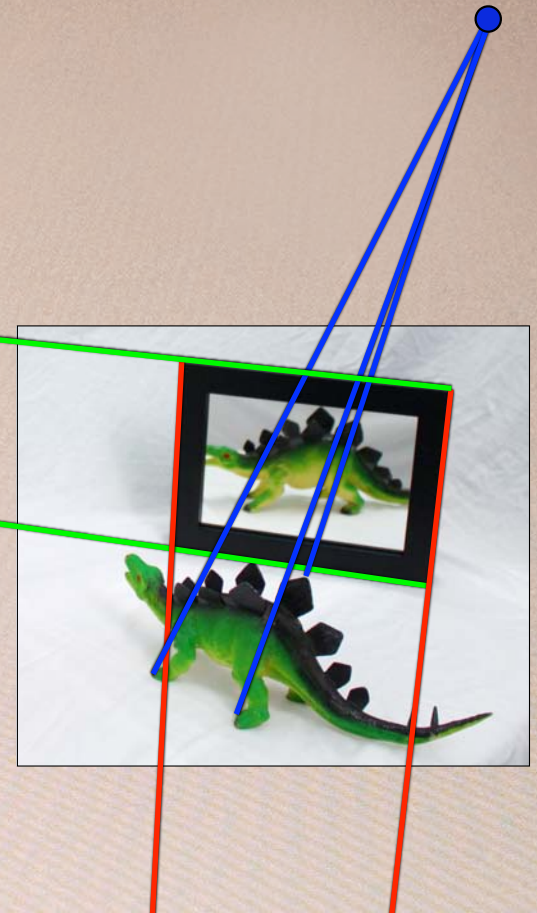
$$(\mathbf{C} - \mathbf{V}_3) \cdot (\mathbf{C} - \mathbf{V}_1) = 0$$

- Easy to solve by change of variables



# Center of Projection

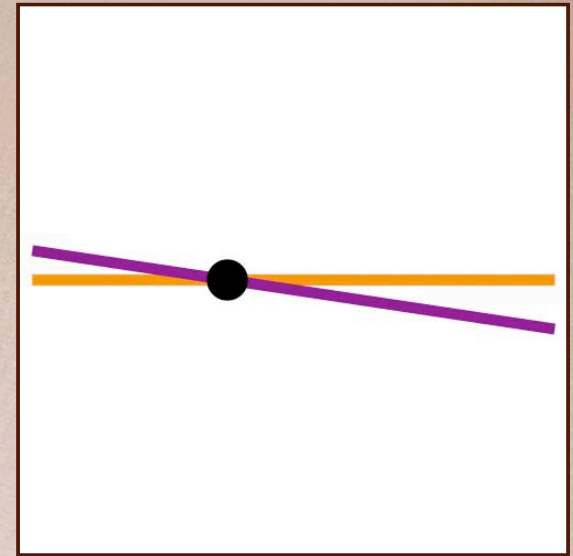
- Building and other structures
- Reflectors with rectangular frames
- Frames: two orthogonal vanishing points
- Reflected features: third vanishing point
- Compare COP from separate elements in the image





# Center of Projection

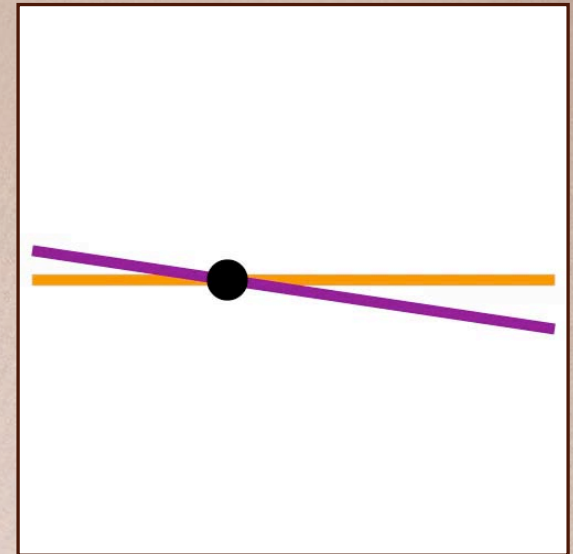
- Computation is unstable
  - Step 1: intersect [nearly parallel] lines
  - Step 2: intersect spheres





# Center of Projection

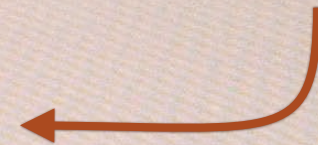
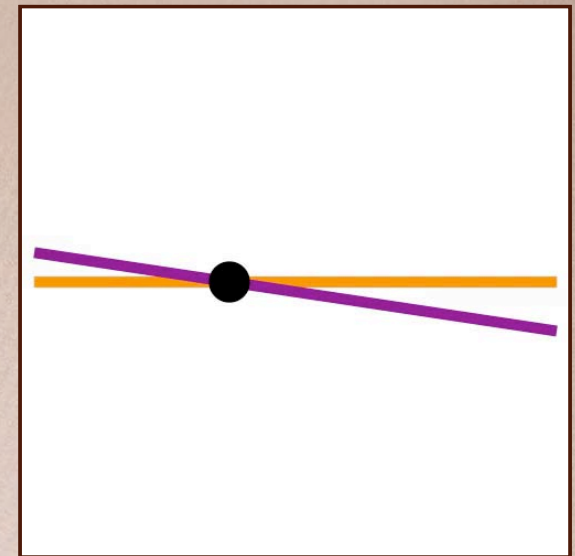
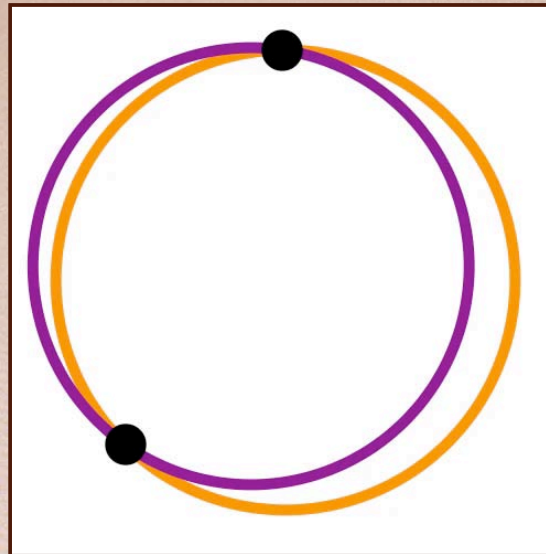
- Computation is unstable
  - Step 1: intersect [nearly parallel] lines
  - Step 2: intersect spheres





# Center of Projection

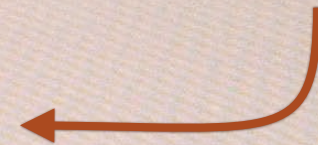
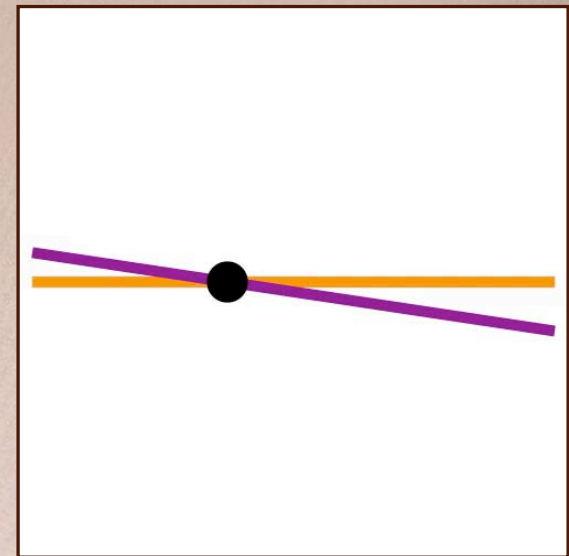
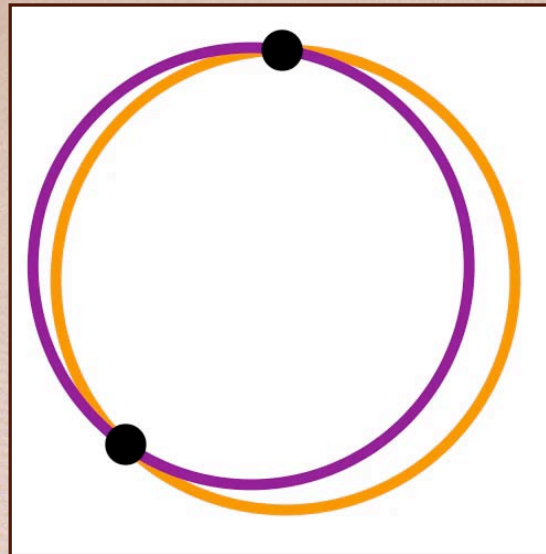
- Computation is unstable
  - Step 1: intersect [nearly parallel] lines
  - Step 2: intersect spheres





# Center of Projection

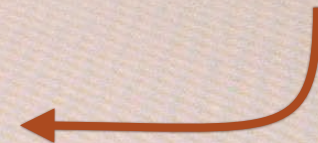
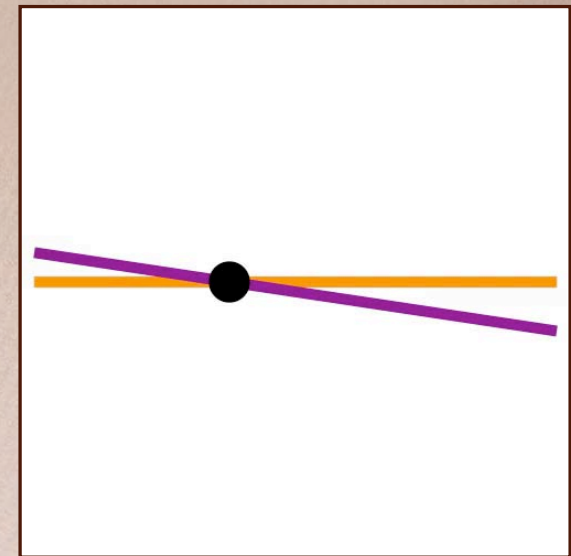
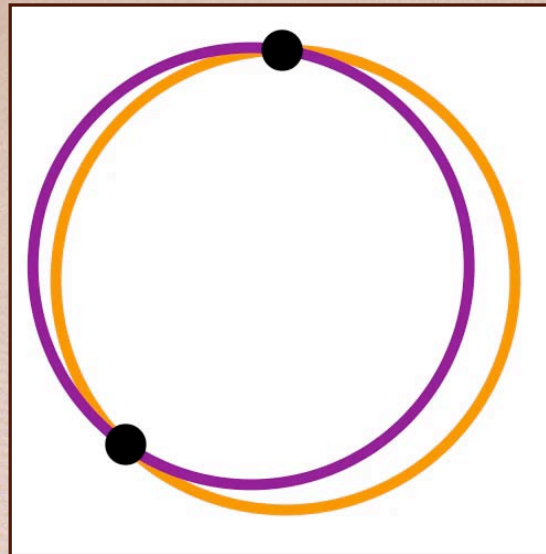
- Computation is unstable
  - Step 1: intersect [nearly parallel] lines
  - Step 2: intersect spheres





# Center of Projection

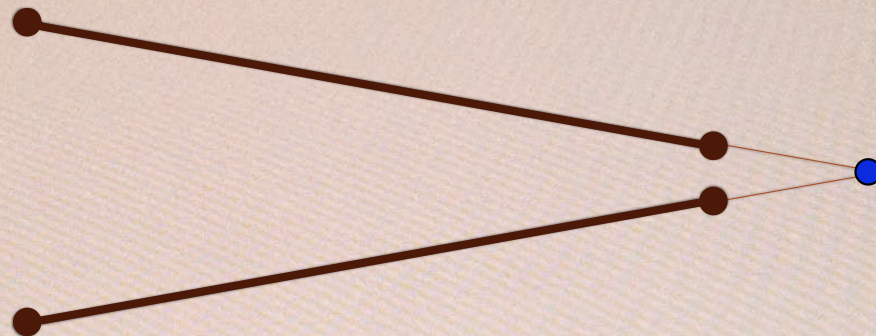
- Computation is unstable
  - Step 1: intersect [nearly parallel] lines
  - Step 2: intersect spheres
- “Instability squared”





# Center of Projection

- Error sources:
  - Image resolution
  - User pointing accuracy
  - Features from different perspectives
- COP calculation magnifies error
  - Structure in instability

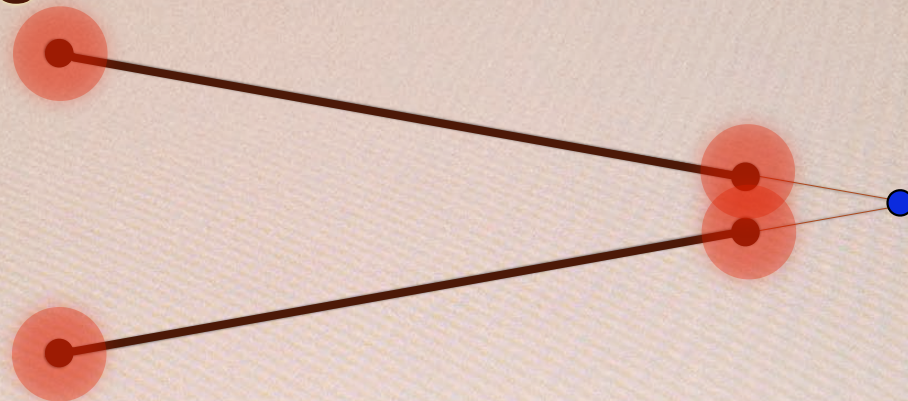




# Center of Projection

- Error sources:
  - Image resolution
  - User pointing accuracy
  - Features from different perspectives
- COP calculation magnifies error
  - Structure in instability

Specify regions,  
not points

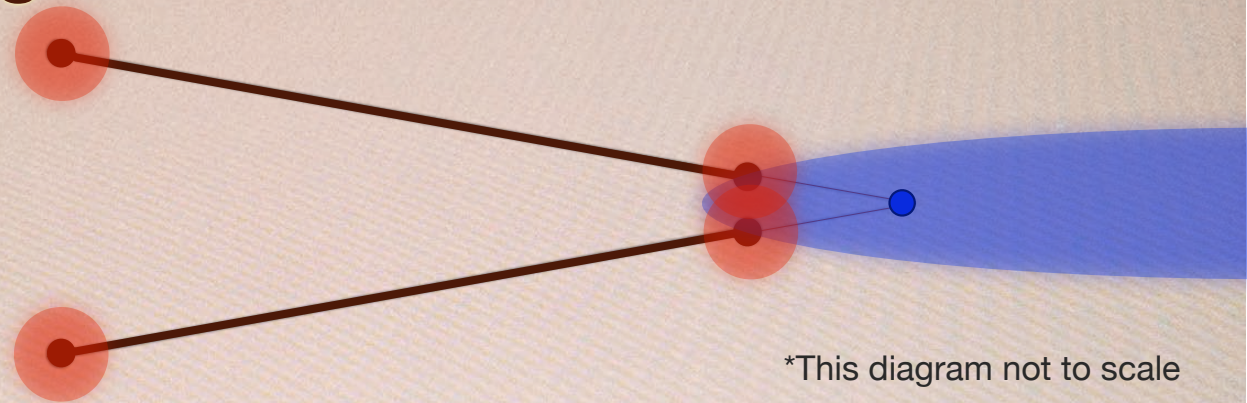




# Center of Projection

- Error sources:
  - Image resolution
  - User pointing accuracy
  - Features from different perspectives
- COP calculation magnifies error
  - Structure in instability

Specify regions,  
not points





# Center of Projection

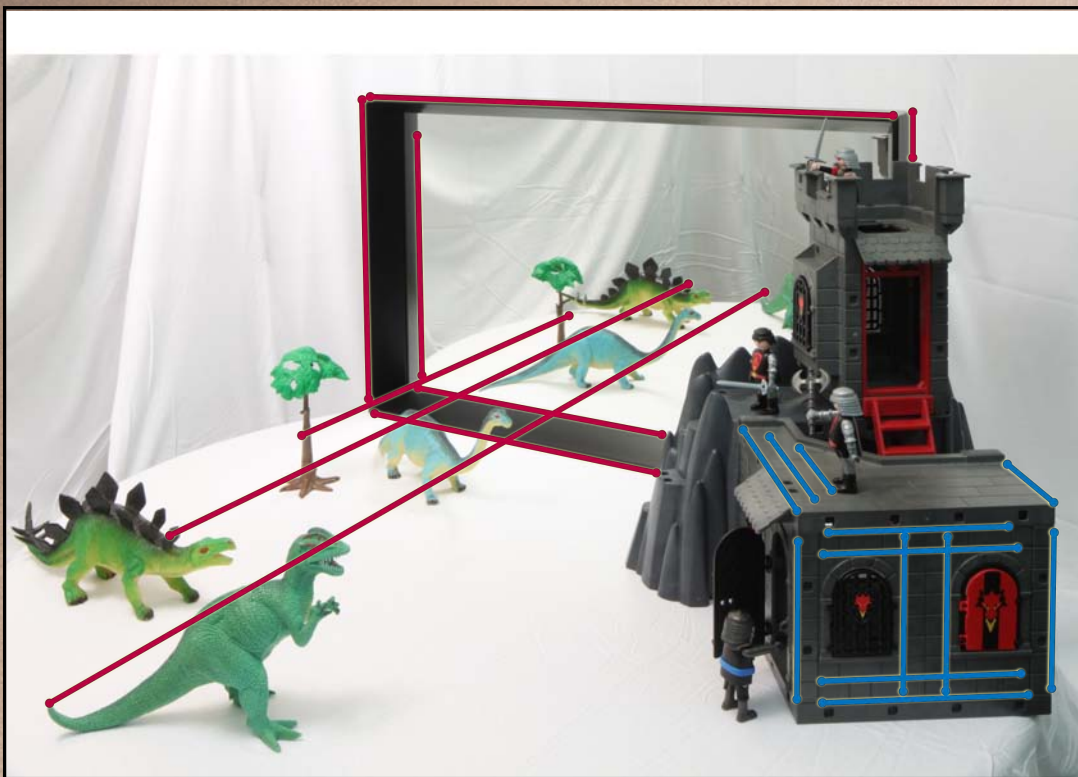
## Real Photograph





# Center of Projection

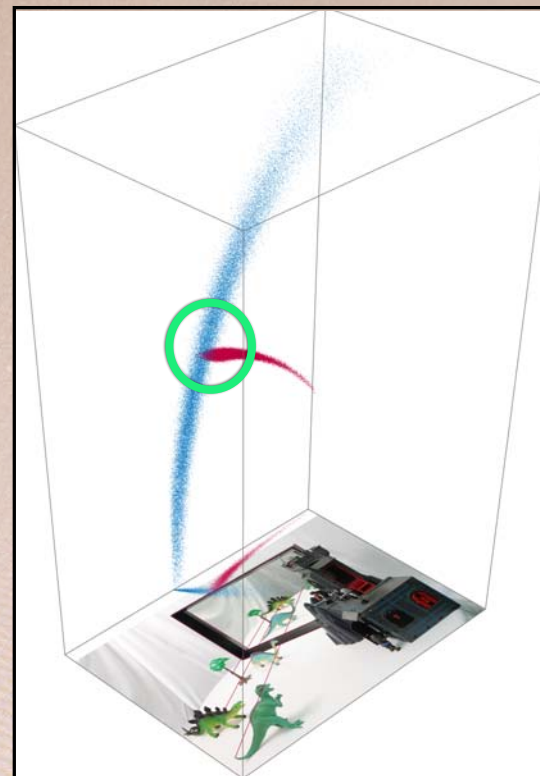
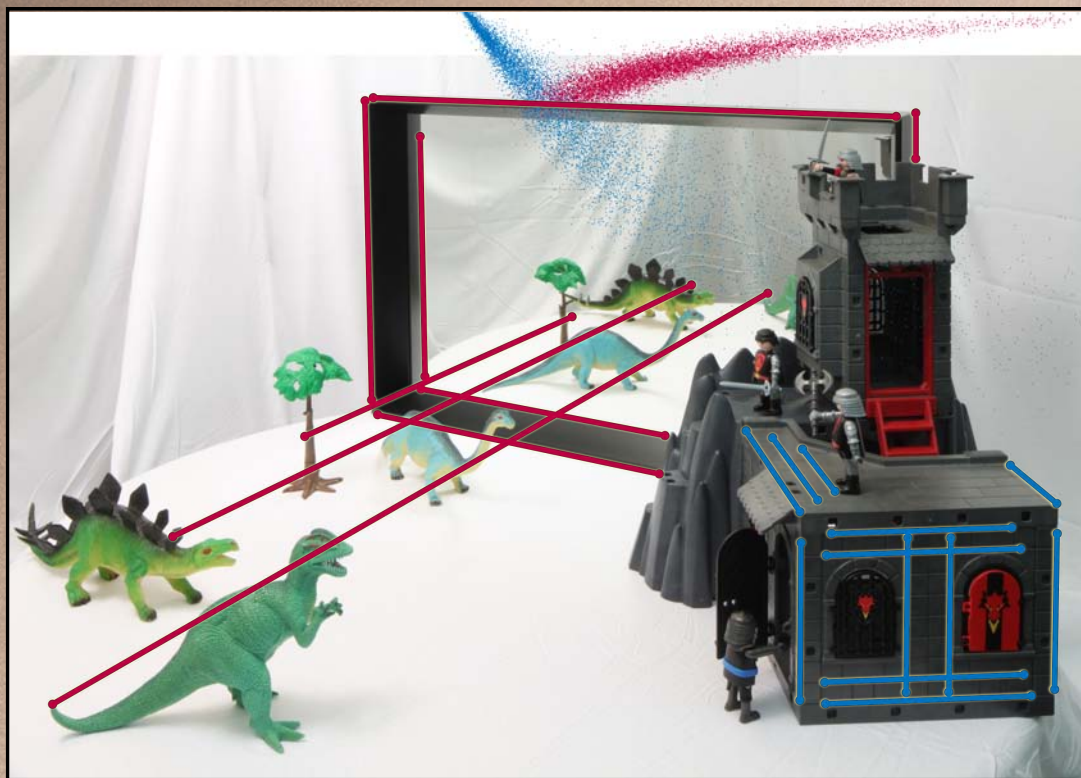
Real Photograph





# Center of Projection

## Real Photograph





# Center of Projection

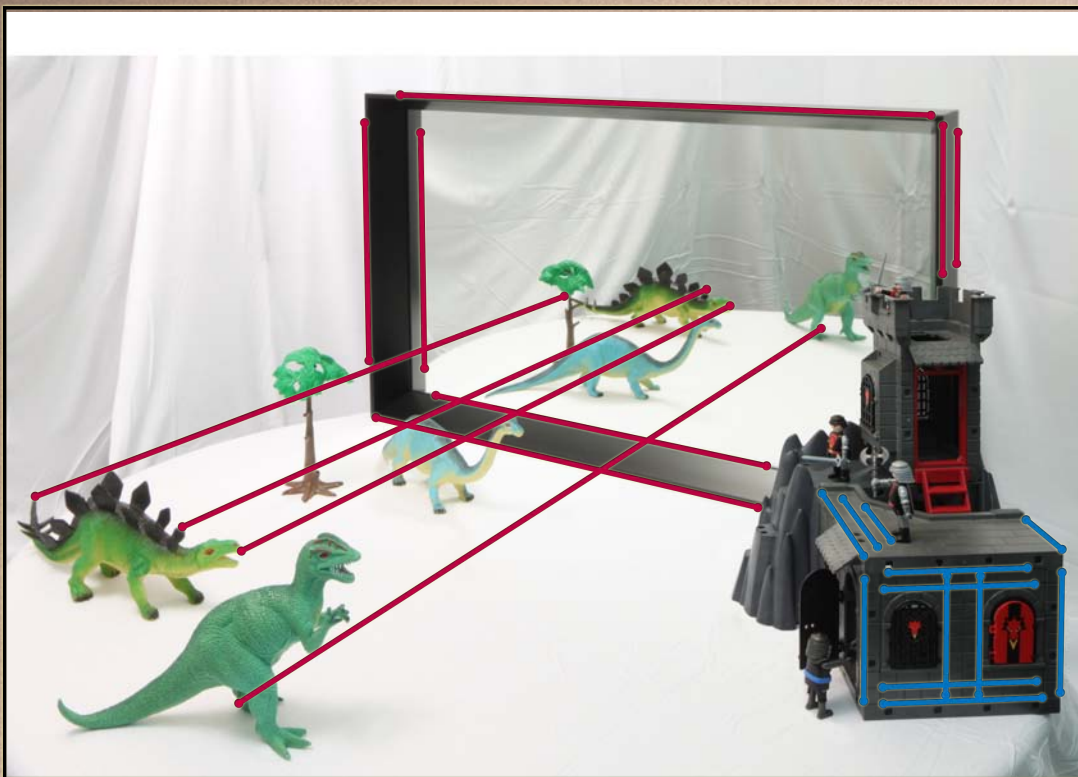
## Altered Photograph





# Center of Projection

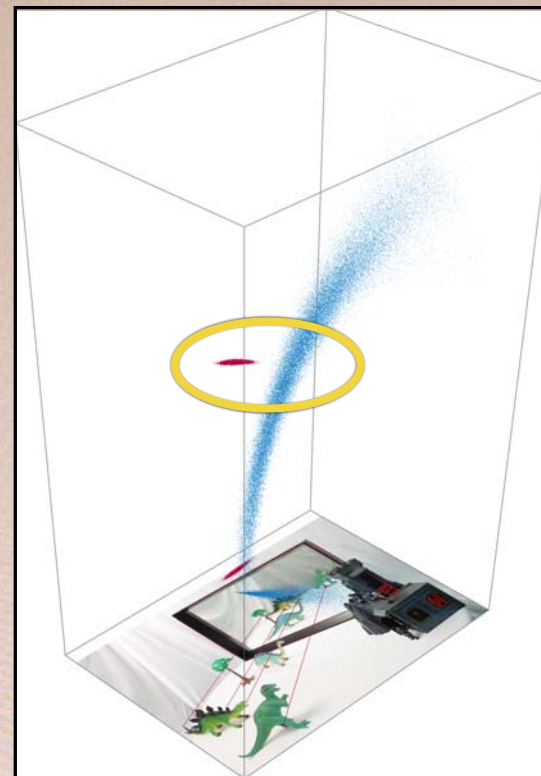
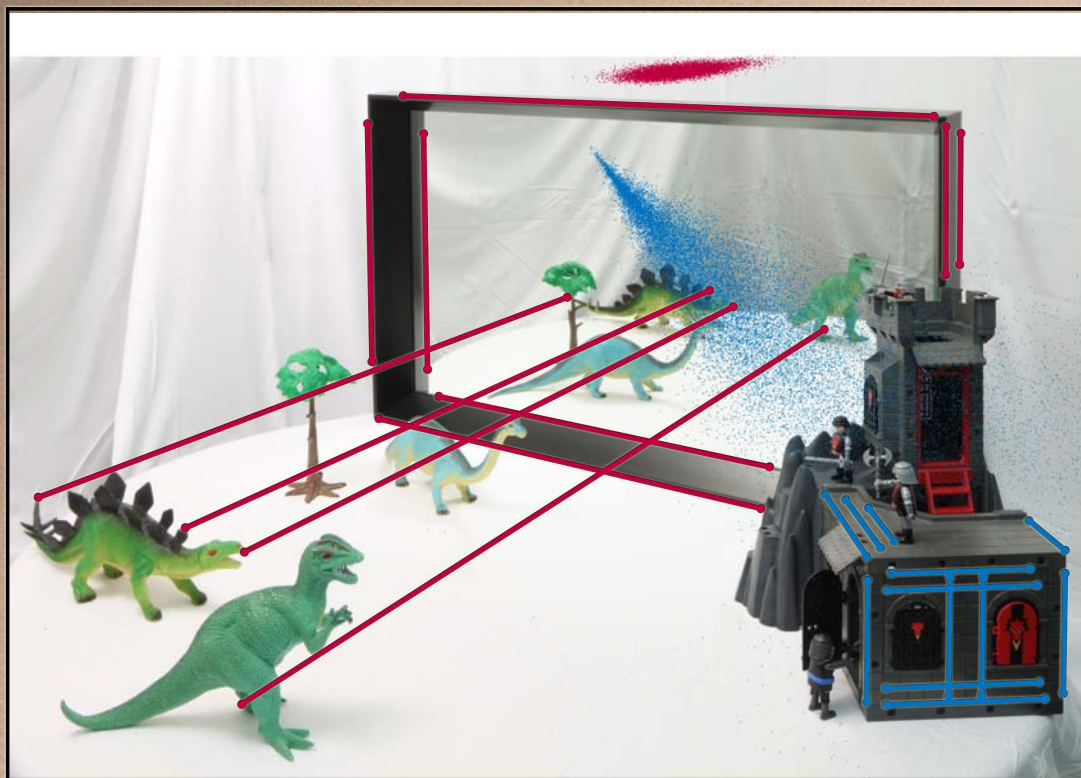
## Altered Photograph





# Center of Projection

## Altered Photograph





# Center of Projection





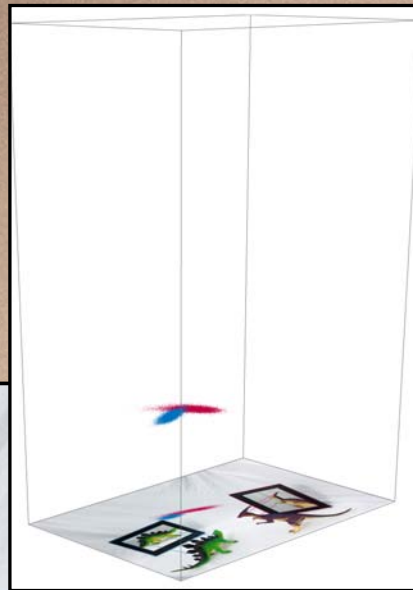
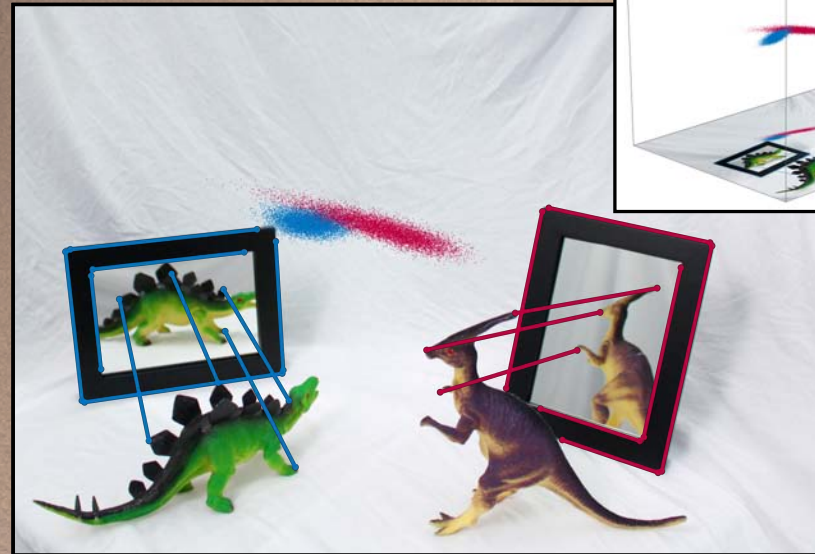
# Center of Projection



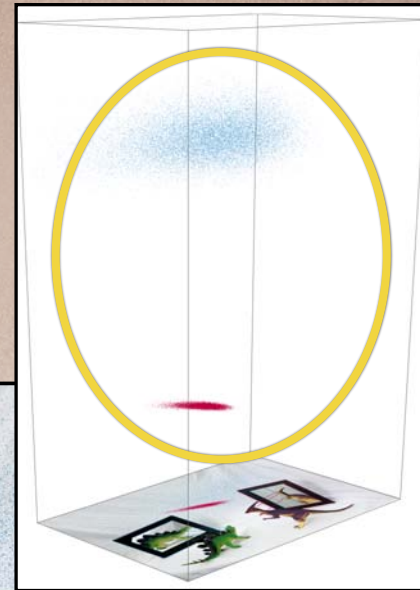
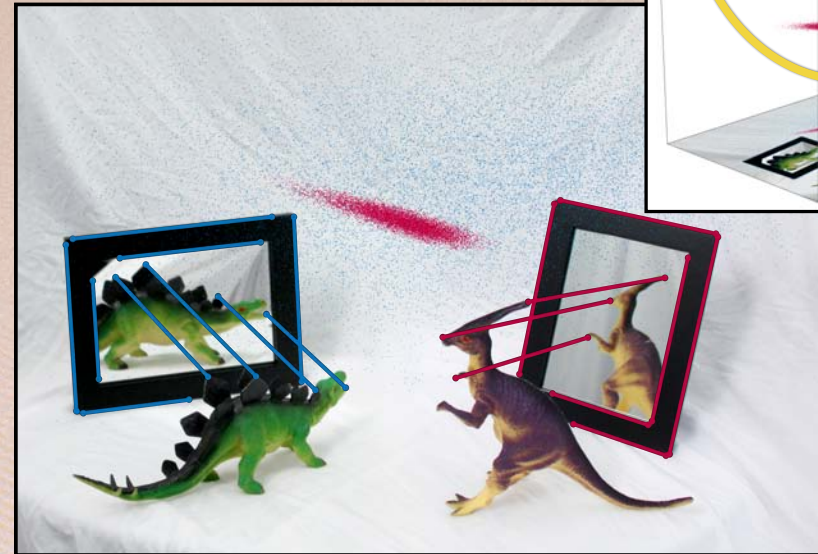


# Center of Projection

Real Photograph



Altered Photograph





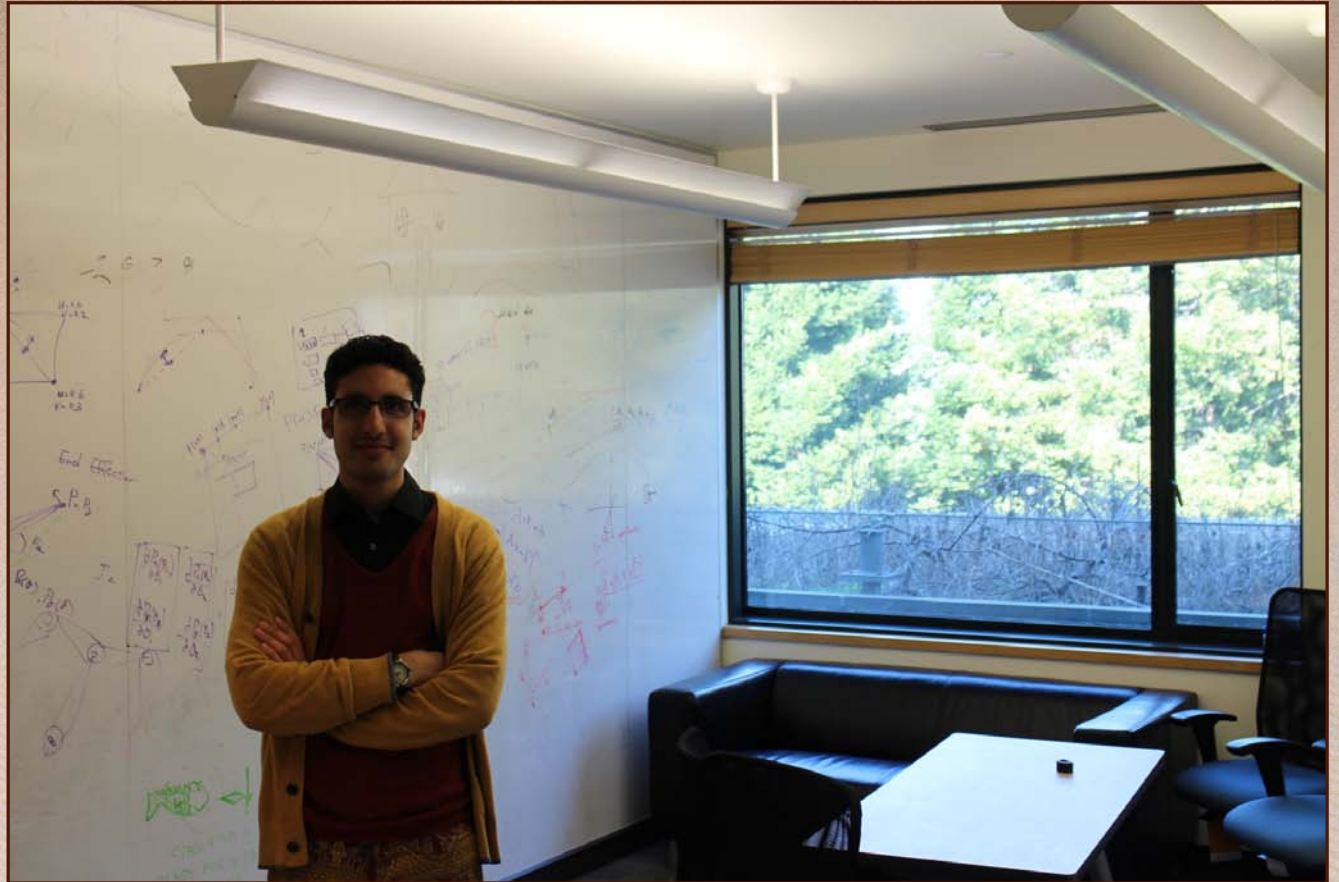
# CoP from Faces



Work in progress



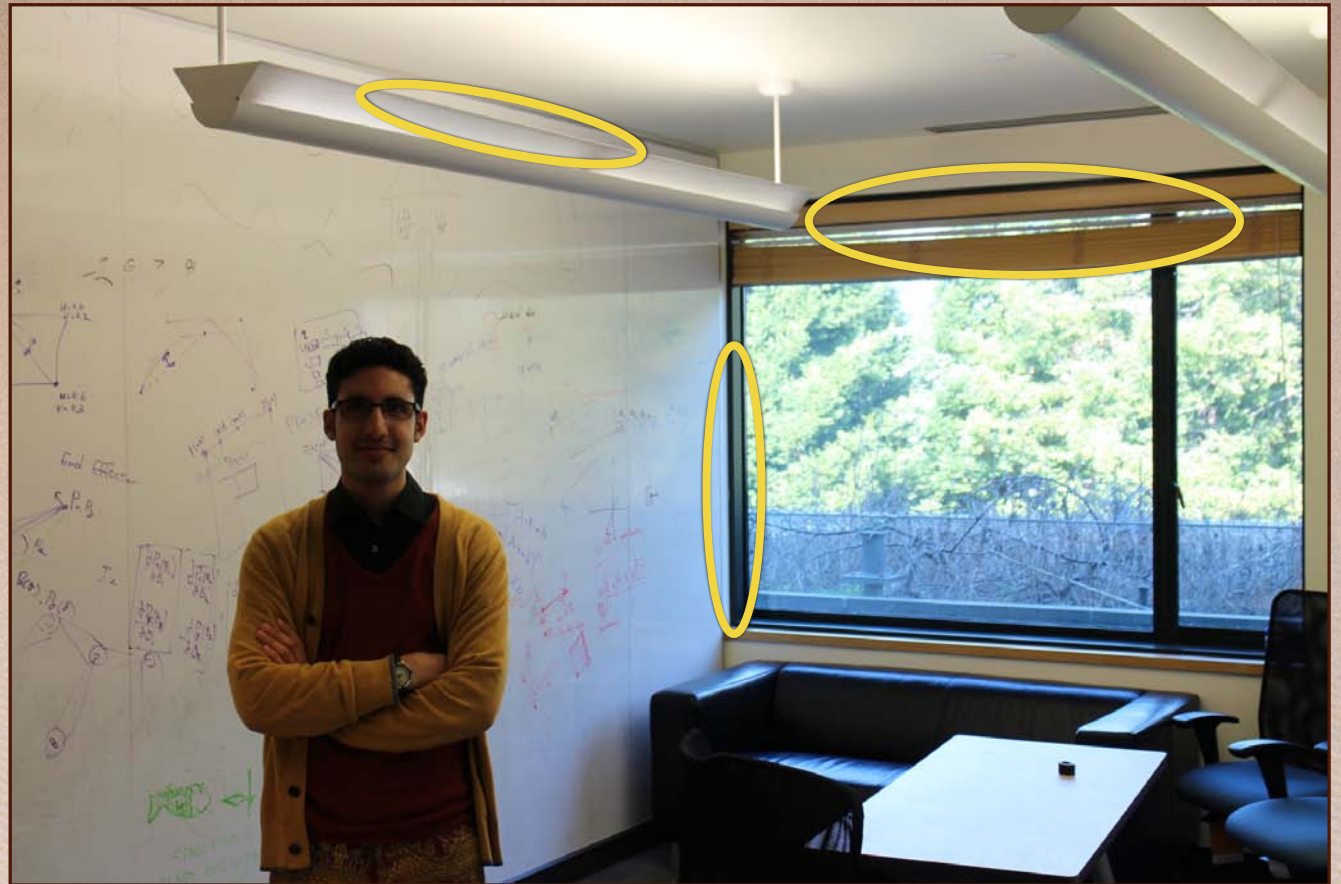
# CoP from Faces



Work in progress



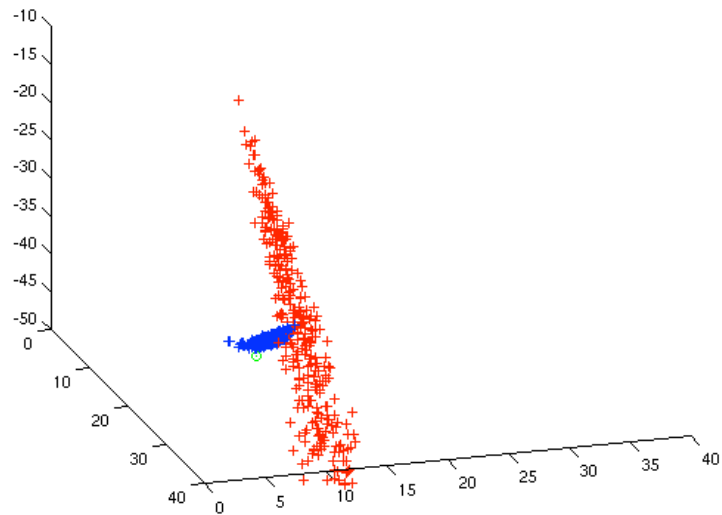
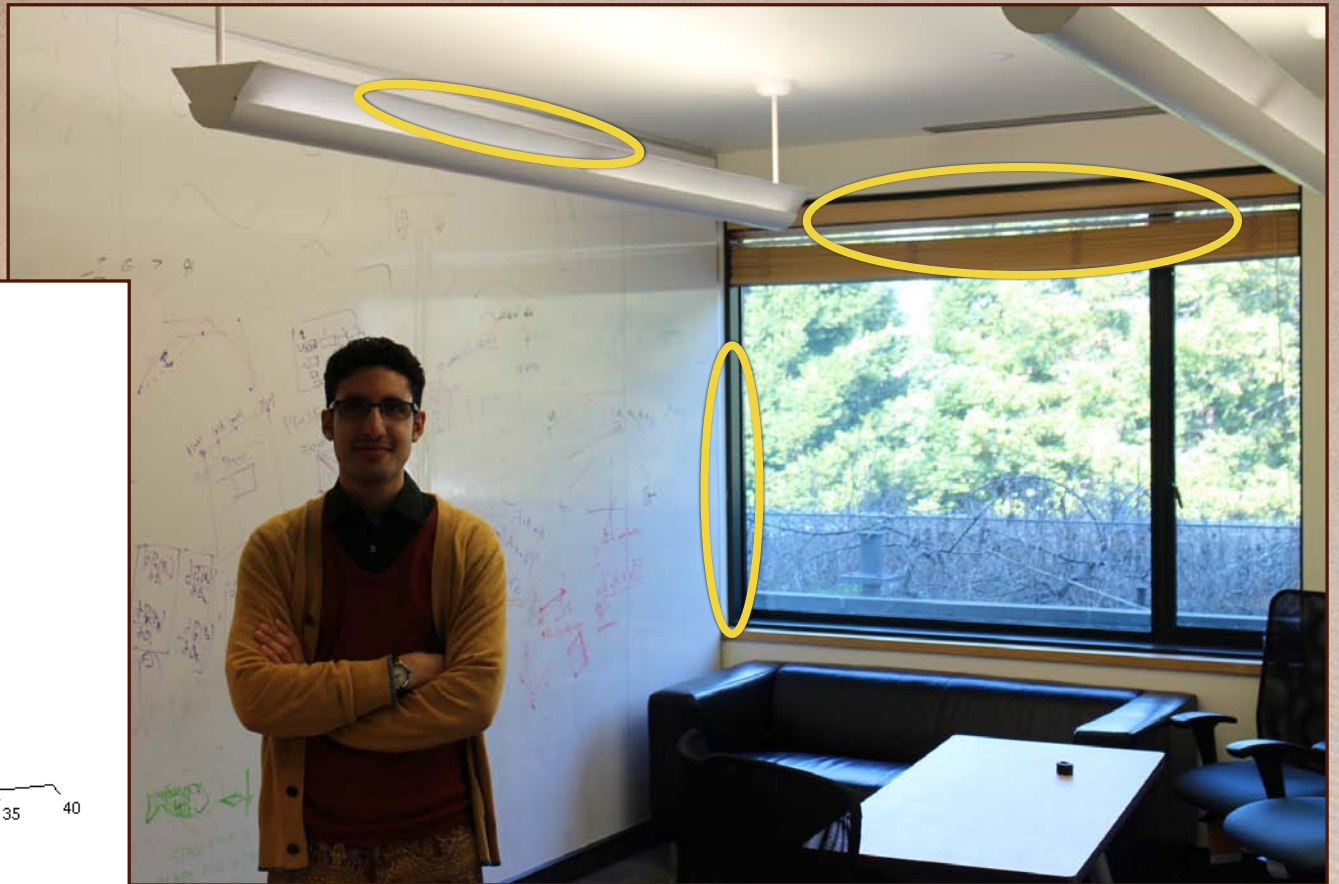
# CoP from Faces



Work in progress



# CoP from Faces





# Summary

- Geometric Image Forensics
  - Human annotation
  - Computer analysis
- Part of “analysis toolbox”
  - Not always applicable
  - Together make forgery more difficult
  - Constrain image content



# Relevant Papers

- Eric Kee, James F. O'Brien, and Hany Farid. "Exposing Photo Manipulation from Shadows and Shading". ACM Transactions on Graphics, too appear. Presented at SIGGRAPH 2014.  
<http://graphics.berkeley.edu/papers/Kee-EPM-2014-XX>
- Eric Kee, James F. O'Brien, and Hany Farid. "Exposing Photo Manipulation with Inconsistent Shadows". ACM Transactions on Graphics, 32(4):28:1–12, September 2013. Presented at SIGGRAPH 2013.  
<http://graphics.berkeley.edu/papers/Kee-EPM-2013-09>
- Valentina Conotter, James F. O'Brien, and Hany Farid. "Exposing Digital Forgeries in Ballistic Motion". IEEE Transactions on Information Forensics and Security, 7(1):283 – 296, February 2012.  
<http://graphics.berkeley.edu/papers/Conotter-EDF-2012-02>
- James F. O'Brien and Hany Farid. "Exposing Photo Manipulation with Inconsistent Reflections". ACM Transactions on Graphics, 31(1):4:1–11, January 2012. Presented at SIGGRAPH 2012.  
<http://graphics.berkeley.edu/papers/Obrien-EPM-2012-01>



**Thank You**